

# Construction and Testing of Large-Area GEM Detectors for the Forward Muon Endcap Upgrade of the CMS Experiment and Vector-Portal Search for Dark Matter Particles with Dimuon Pairs at $\sqrt{s} = 13$ TeV

## A Dark Matter Search at the LHC

Dissertation Defense

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Apr 19, 2022

# Layout



## 1. The Experimental Apparatus

# The Experimental Apparatus

## The Large Hadron Collider

- The principal idea behind the Large Hadron Collider (**LHC**) is utilizing the electromagnetic field to accelerate and steer particles
- At the LHC, proton beams are injected into Radiofrequency (RF) cavities and boosted to the desired energies.

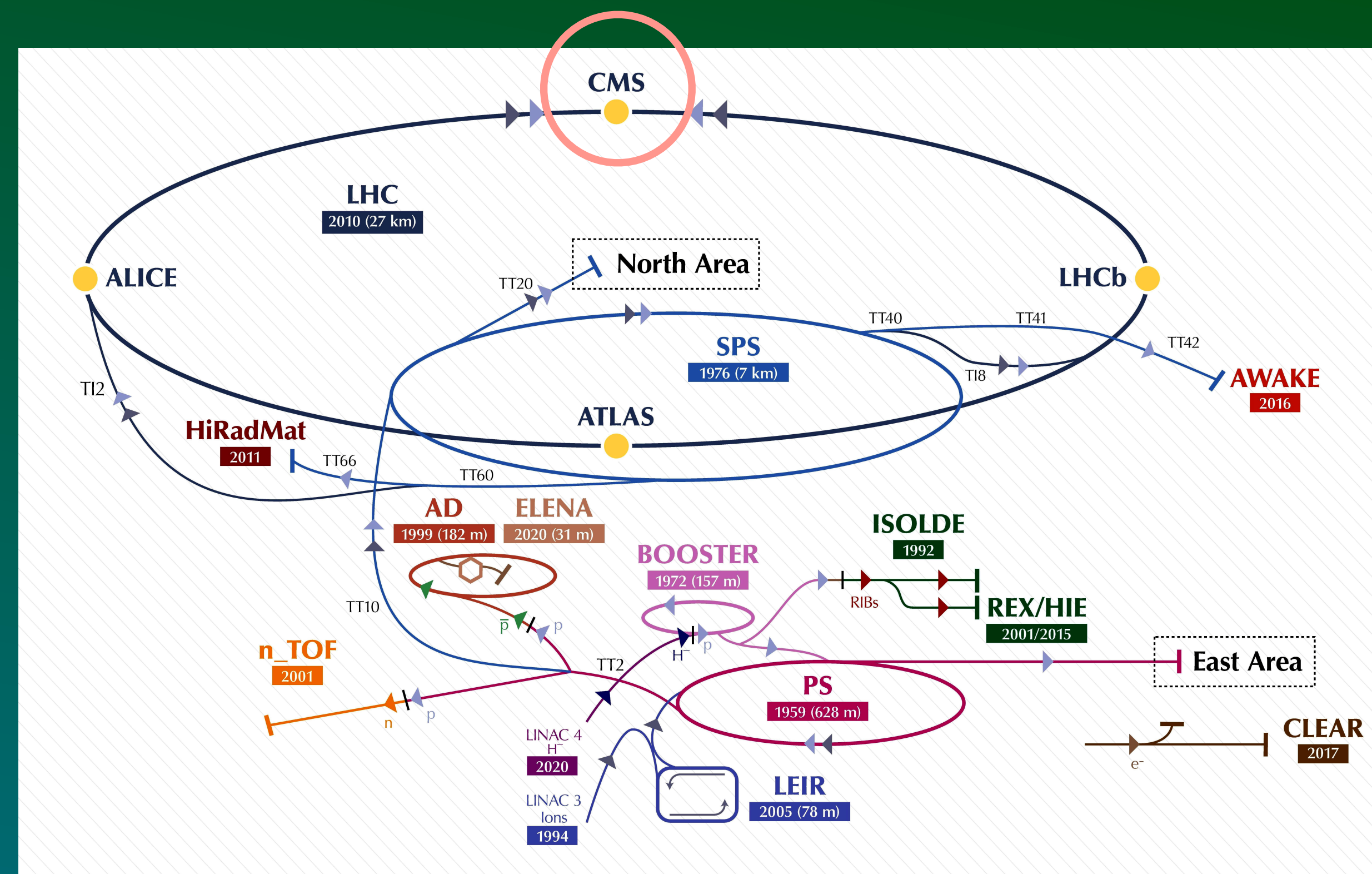


The CERN complex

# The Experimental Apparatus

## The Large Hadron Collider

- The principal idea behind the Large Hadron Collider (LHC) is utilizing the magnetic field to accelerate and steer particles
- At the LHC, proton beams are injected into Radiofrequency (RF) cavities and boosted to the desired energies.
- Groups of protons are then sorted into packs of protons called "*bunches*."
- Once boosted, the beams are guided and focused by superconducting electromagnets at the near speed of light.
- The two largest detectors are built around intersections

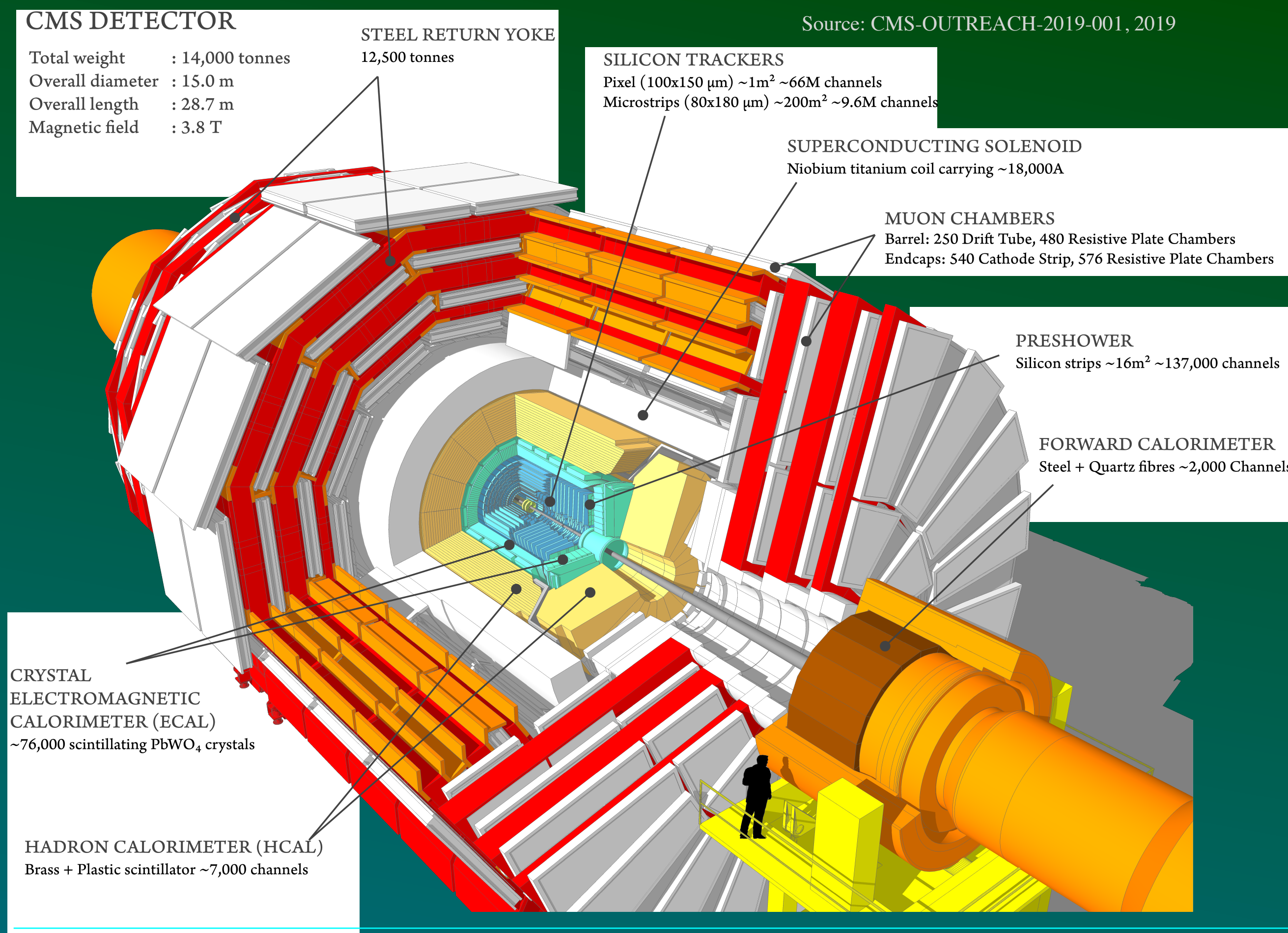


The CERN complex

# The Experimental Apparatus

## The Compact Muon Solenoid

- The Compact Muon Solenoid (**CMS**) detector utilizes magnetic system for muon detection
- A superconducting solenoid with 13 m of length and 5.9 m of radius produces a uniform magnetic field of **4 Tesla** in the core and 2 Tesla outside the solenoid

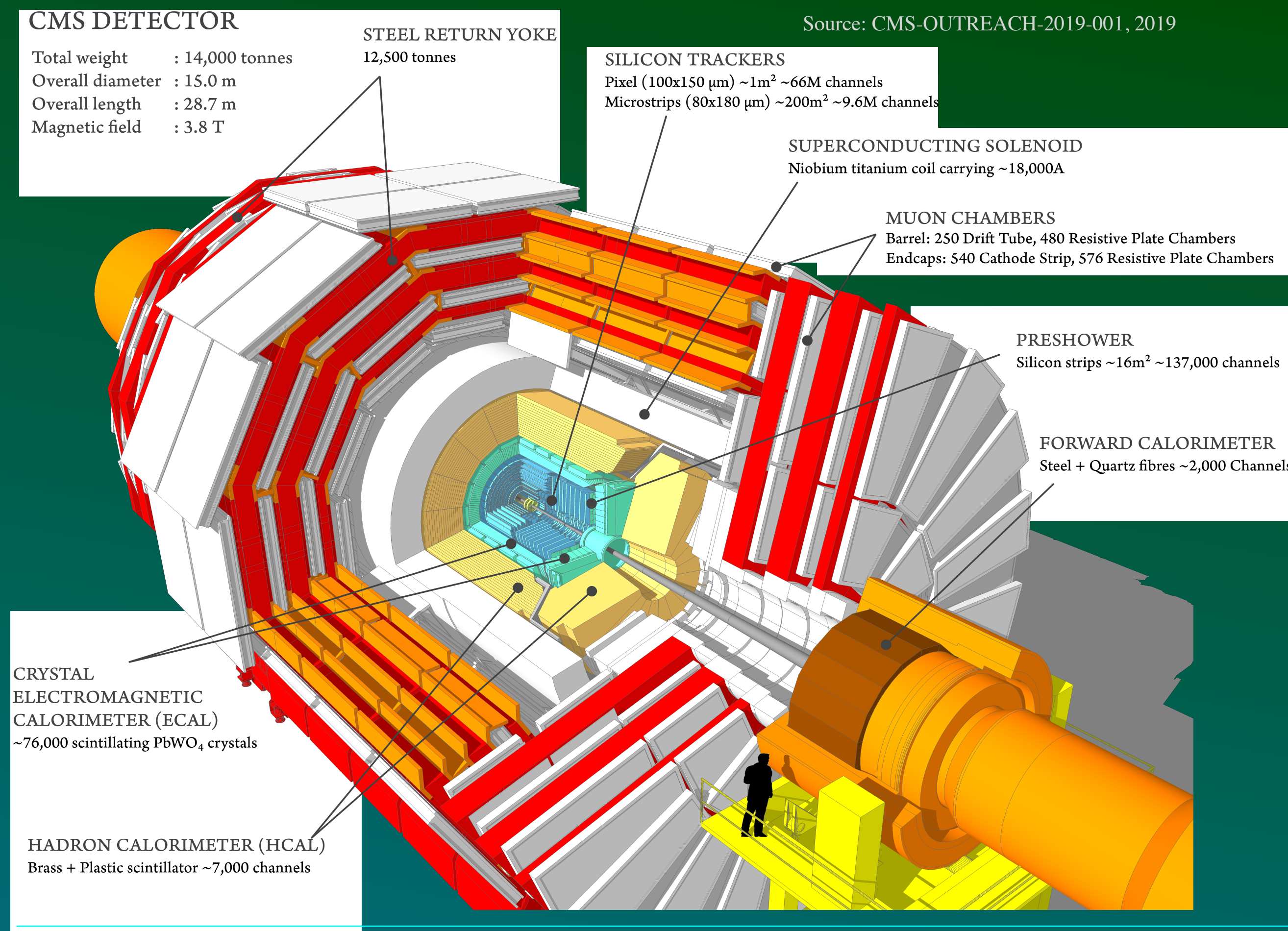


The CMS detector

# The Experimental Apparatus

## The Compact Muon Solenoid

- The Compact Muon Solenoid (**CMS**) detector utilizes magnetic system for muon detection
- A superconducting solenoid with 13 m of length and 5.9 m of radius produces a uniform magnetic field of **4 Tesla** in the core and 2 Tesla outside the solenoid
- Major components:
  - Magnet and Muon System
  - Tracking
  - and Calorimetry

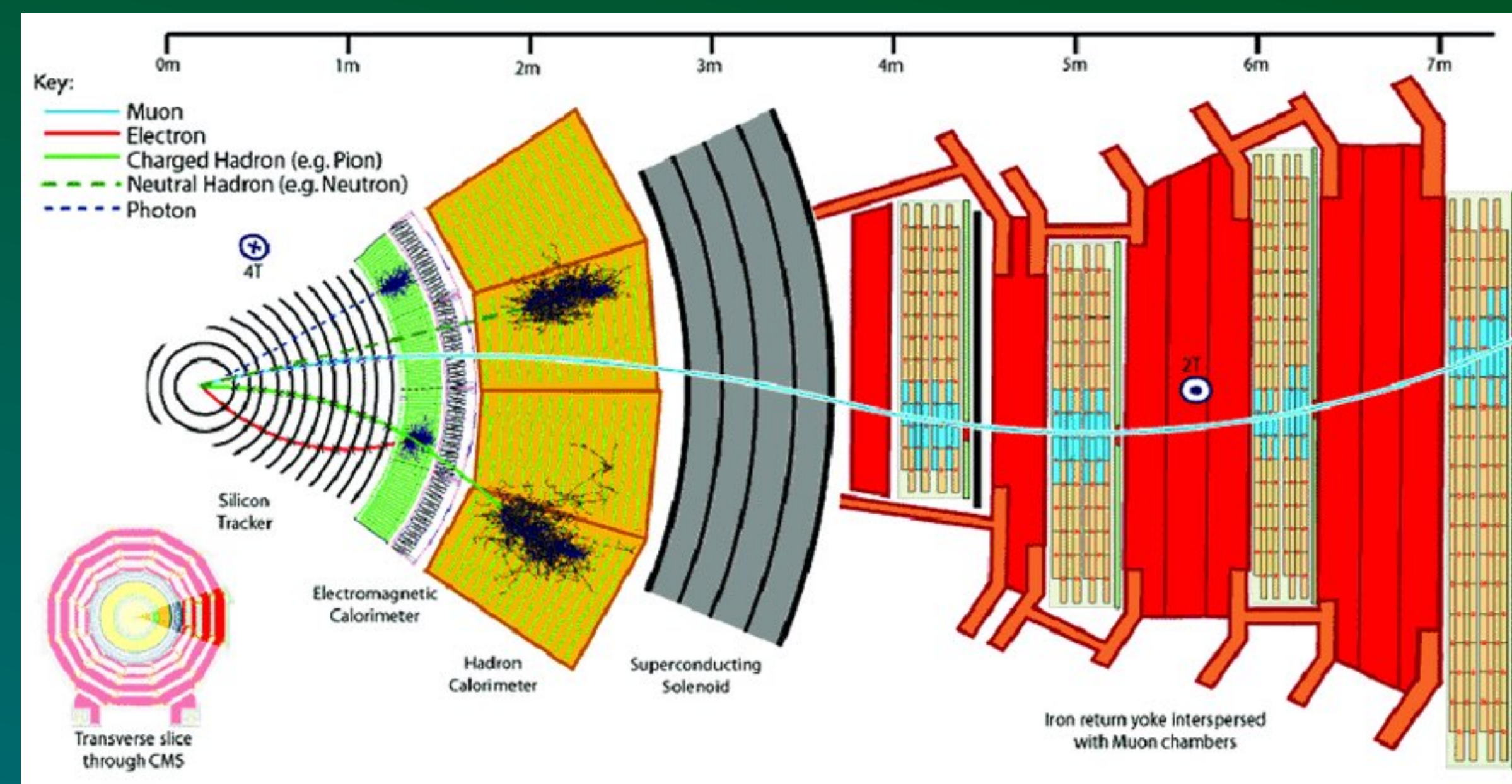


The CMS detector

# The Experimental Apparatus

## Bending Muons

- The magnetic field, produced by superconducting solenoid, facilitates precise measurements of the momentum of the muon tracks.
- The magnetic flux **bends muon** tracks in the **transverse plane**.
- The bending and the direction of the tracks can be parametrized (sagitta) and used to solve the equation of motion
- The **momentum** and the **charge** of the particles are determined via measuring this angle

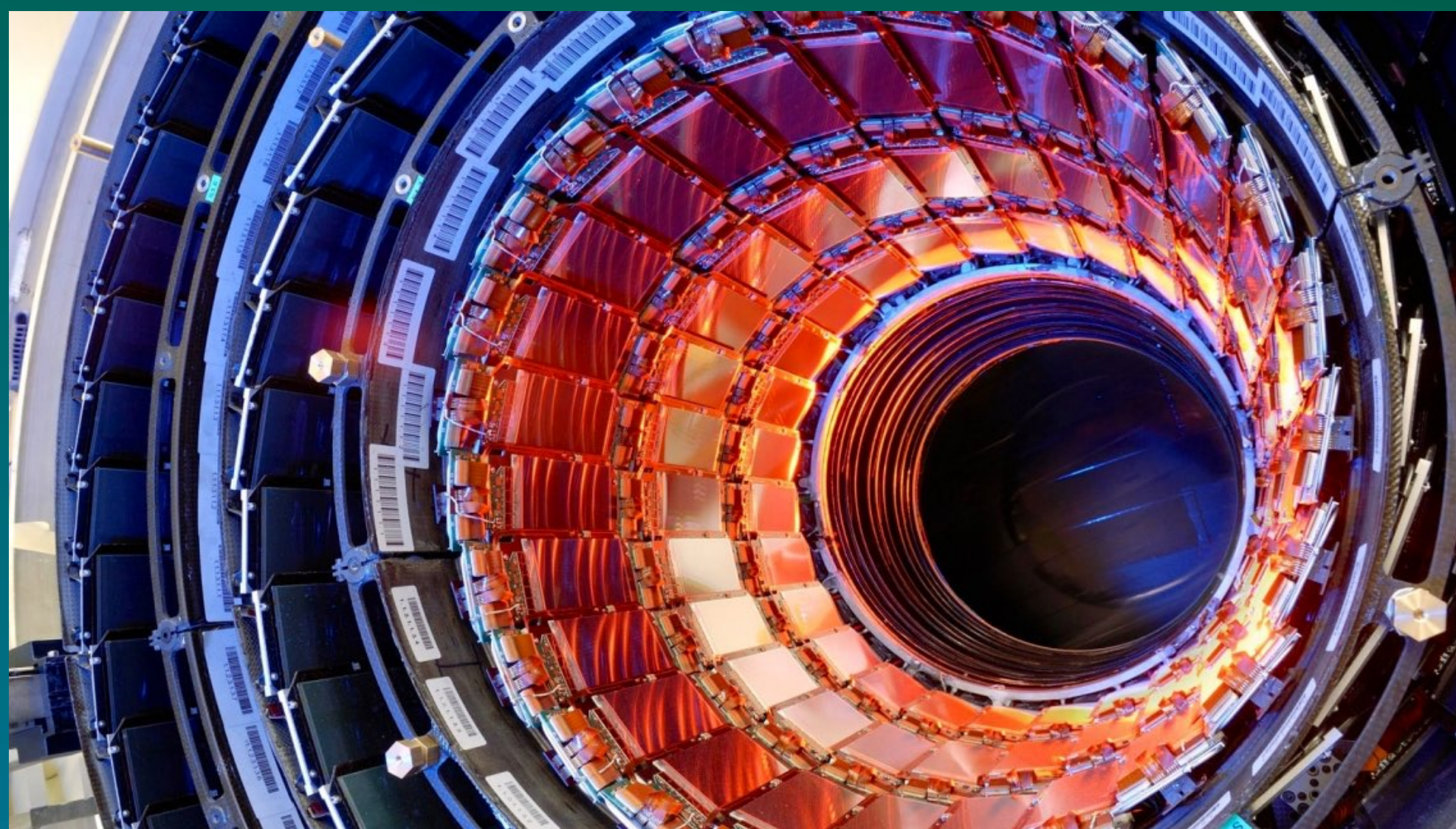


The bending of the an electromagnetic particle

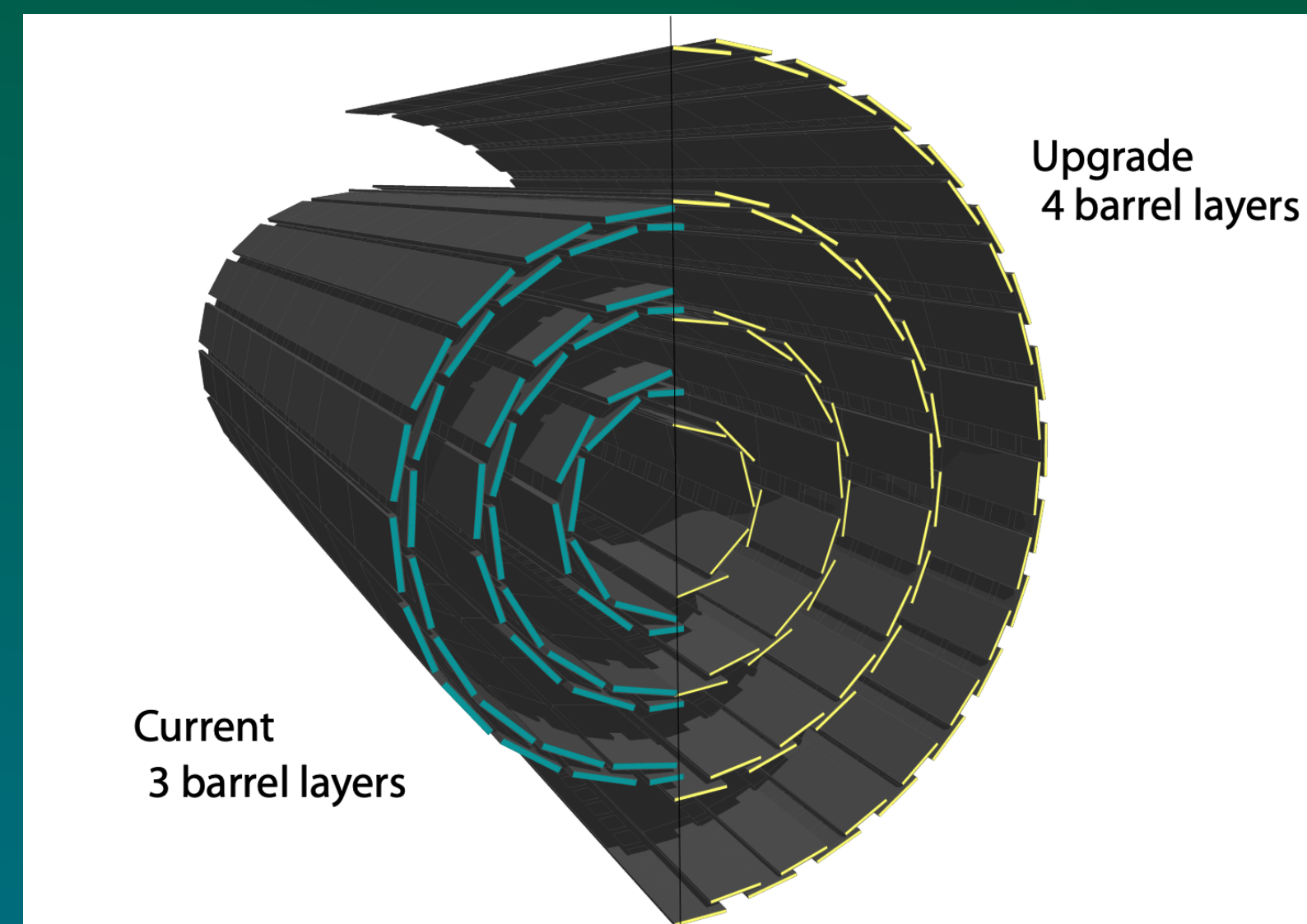
# The Experimental Apparatus

## Identifying Tracks

- The tracking task at the CMS is shared by two major systems
  - the inner trackers
  - the muon system



The strip tracker



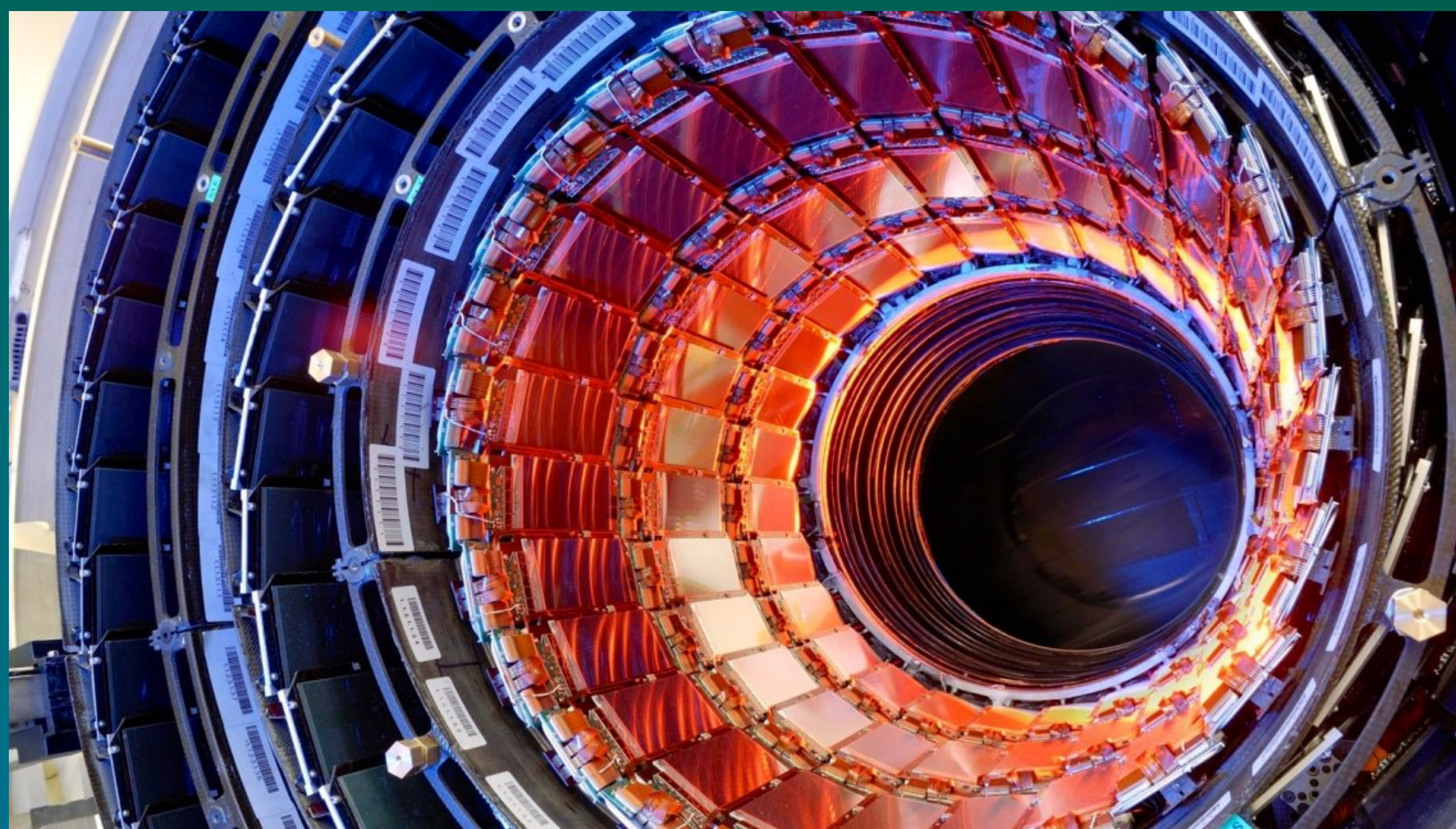
The silicon pixels



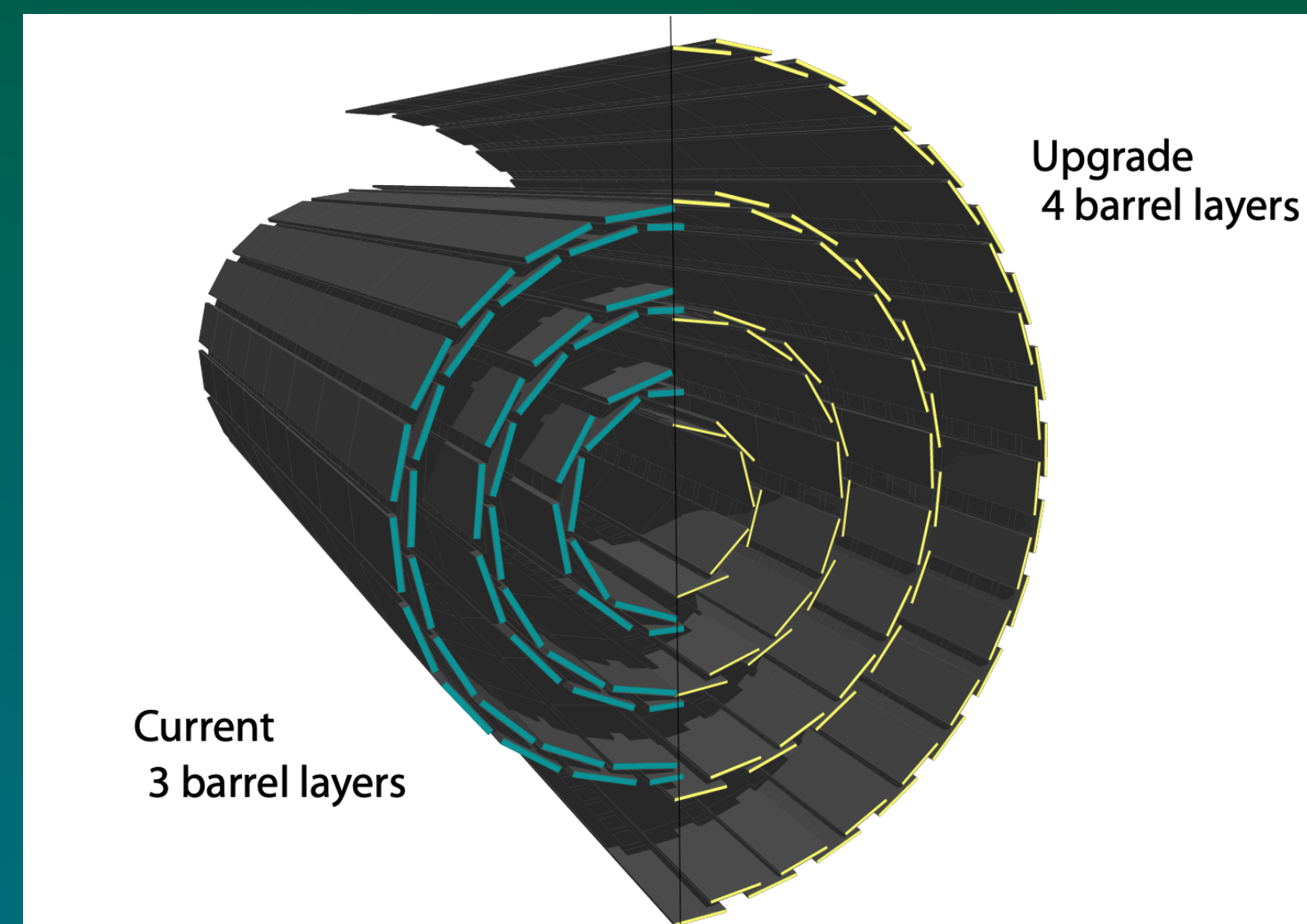
# The Experimental Apparatus

## Identifying Tracks

- The tracking task at the CMS is shared by two major systems
  - the inner trackers
    - the pixel detectors (went through upgrade in 2016)
    - strip detectors
  - the muon system: gaseous detectors



The strip tracker



The silicon pixels



# The Experimental Apparatus

## Measuring Energy: Calorimetry

- At the CMS, calorimetry is done on electromagnetic particles
  - $e, e^+, \gamma$ : measured by **electromagnetic** calorimeter (**ECAL**)
  - $p, n, \pi^\pm, \mathcal{K}^\pm$ : measured by **hadronic** calorimeter (**HCAL**)

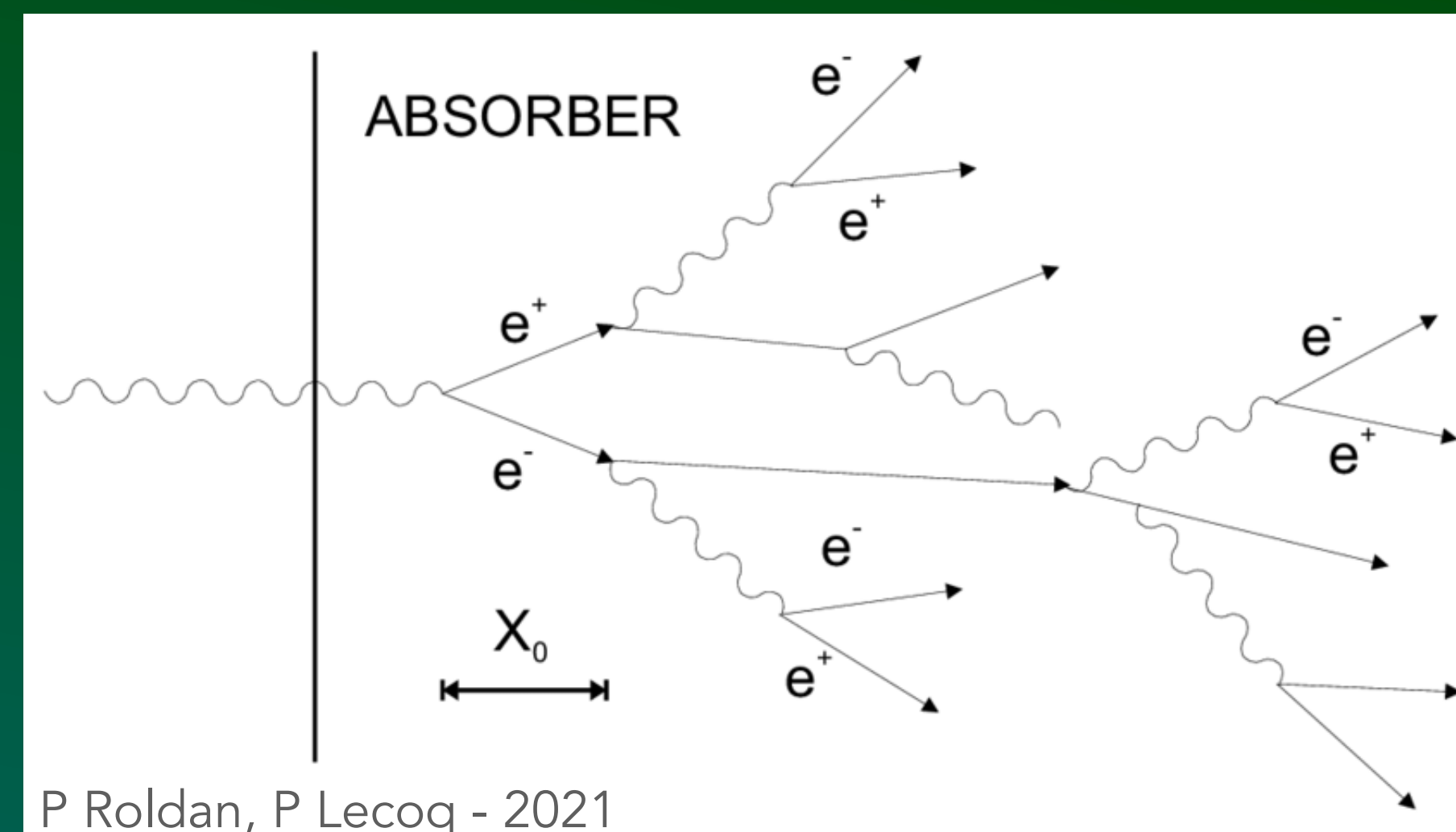
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### ECAL

- $\text{PbWO}_4$  crystals as scintillation materials
- High-energy electromagnetic particles produce *showers* in the crystals upon smashing into them



Electromagnetic shower

# The Experimental Apparatus

## Measuring Energy: Calorimetry

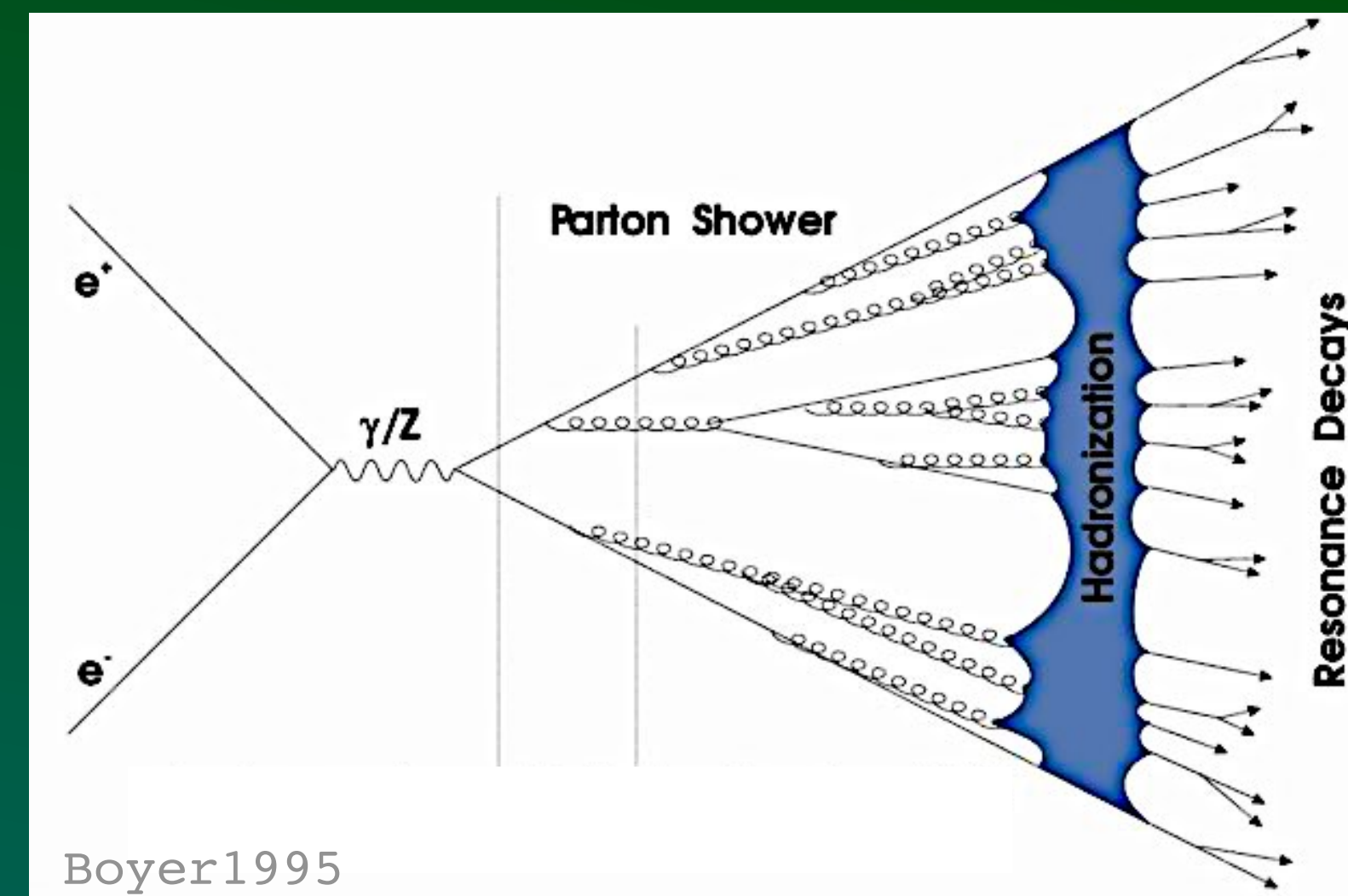
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### ECAL

- $PbWO_4$  crystals as **scintillation materials**
- High-energy electromagnetic particles produce **showers** in the crystals upon smashing into them

### HCAL

- Layers of **dense material** (brass or steel) interleaved with tiles of plastic **fluorescent scintillators**
- The incoming hadrons interact strongly with the nuclei of the calorimeters material, provoking a **hadronic shower**.
- Once interaction energy scale falls, the **strong interaction** coupling rises, which triggers **hadronization**

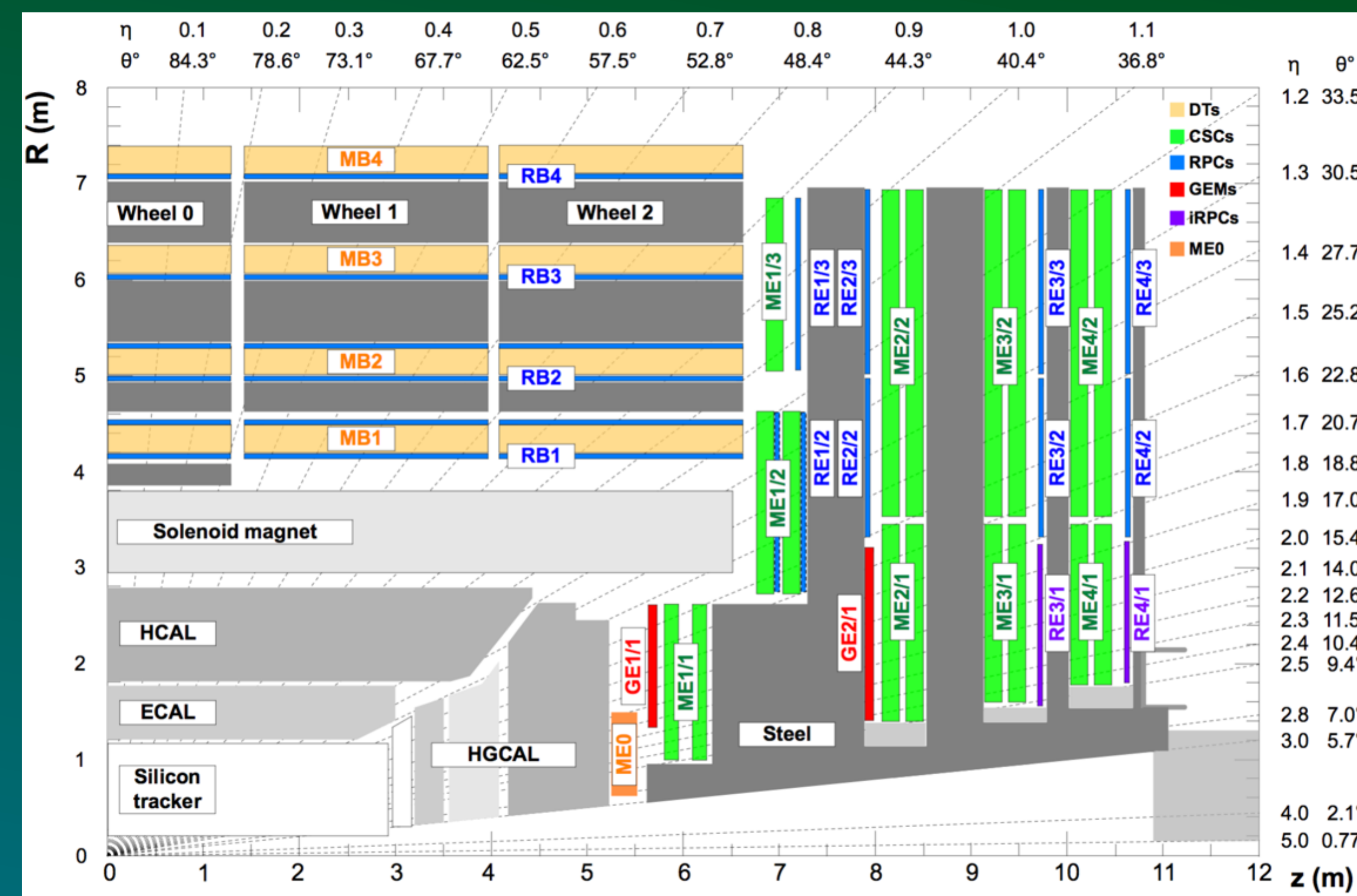


Parton showering and hadronization

# The Experimental Apparatus

## Detecting Muons: The Muon System

- The muon system is tasked with three major functionalities: **muon identification, tracking, triggering,** and momentum measurement.
- The muon system has two main sections
  - The barrel
  - The endcaps

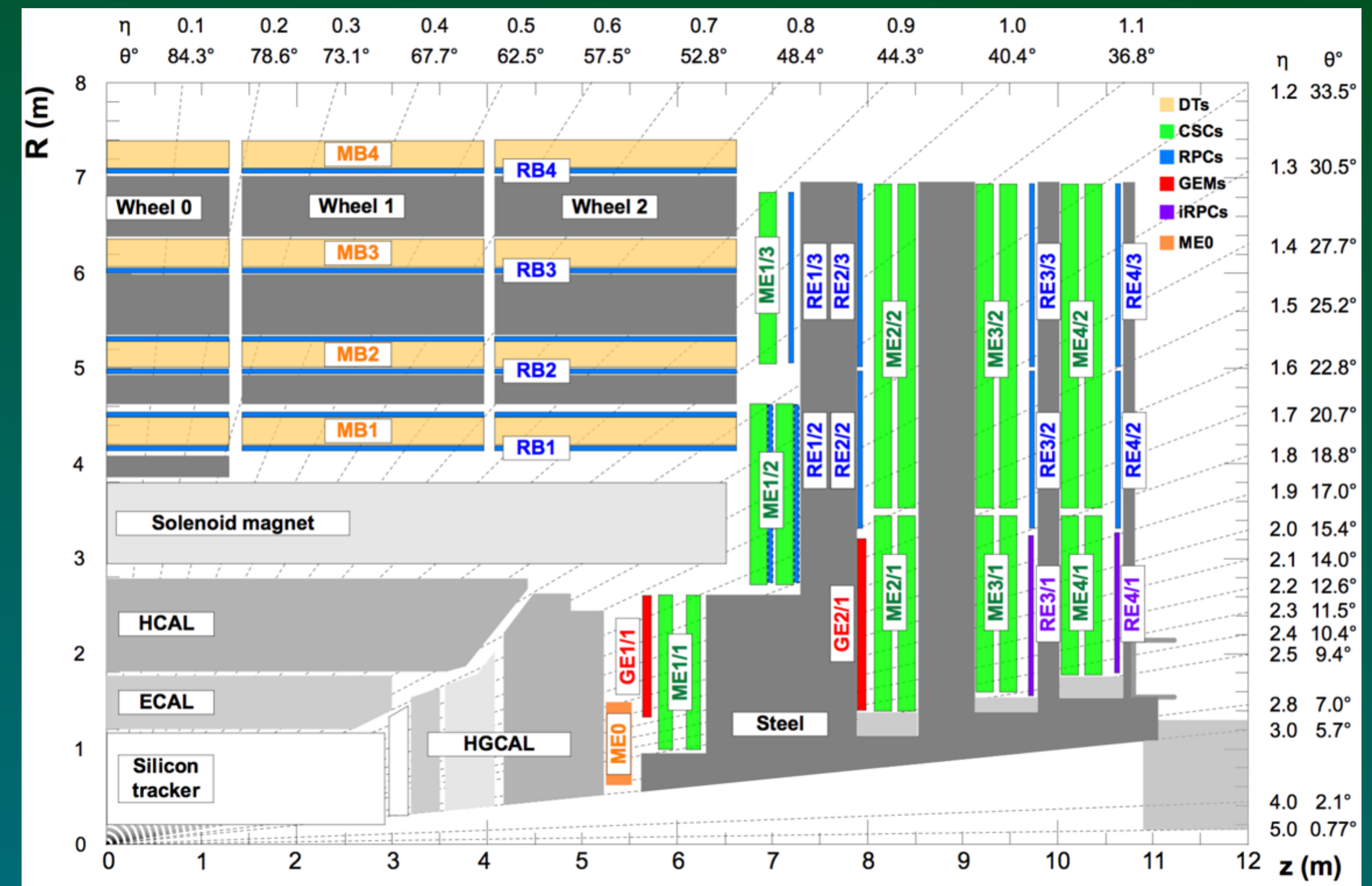


Quadrant overview of the CMS detector

# The Experimental Apparatus

## Detecting Muons: The Muon System

- The muon system is tasked with three major functionalities: muon identification, tracking, triggering, and momentum measurement.
- The muon system has two main sections
  - The barrel
  - The endcaps
- The barrel has Drift Tubes (DTs), Resistive Plate Chambers (RPCs), and the endcaps are armed with Cathode Strip Chambers (CSCs), RPCs, and **Gas Electron multiplier (GEMs)** [not operational for duration of this dissertation]
- Transverse momentum is measured based on the bending angle



Quadrant overview of the CMS detector



# The Experimental Apparatus

## The Trigger System

- The CMS records only potentially *interesting events* with a **two-level trigger system**.
- **Level-1 (L1) trigger** utilizes a system of **synchronized hardware**
  - The muon system, HCAL, and ECAL participate in the L1 trigger
- **High-Level Triggering (HLT)** is purely **software-based**
  - The information from the **muon system and tracker** sub-detectors is **combined** to **identify the muons** and **determine their  $p_t$** .



# The Experimental Apparatus

## The Trigger System

- The CMS records only potentially *interesting* events with a two-level trigger system.
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  - The information from the muon system and tracker sub-detectors is combined to identify the muons and determine their  $p_t$ .
- **Two-Level HLT**
  - **Level-2 (L2) muon system:** hits and segments patterns → seeds → Kalman filter → **reconstruction**
  - **Level-3 (L3) inner tracker + muon sub-detectors:** tracker seeds and muon system **seeds matchup** → maximize the reconstruction efficiency
  - Main technique to determine **identity** of the particle and isolation : **Particle-Flow (PF)**



# Layout



1. The Experimental Apparatus

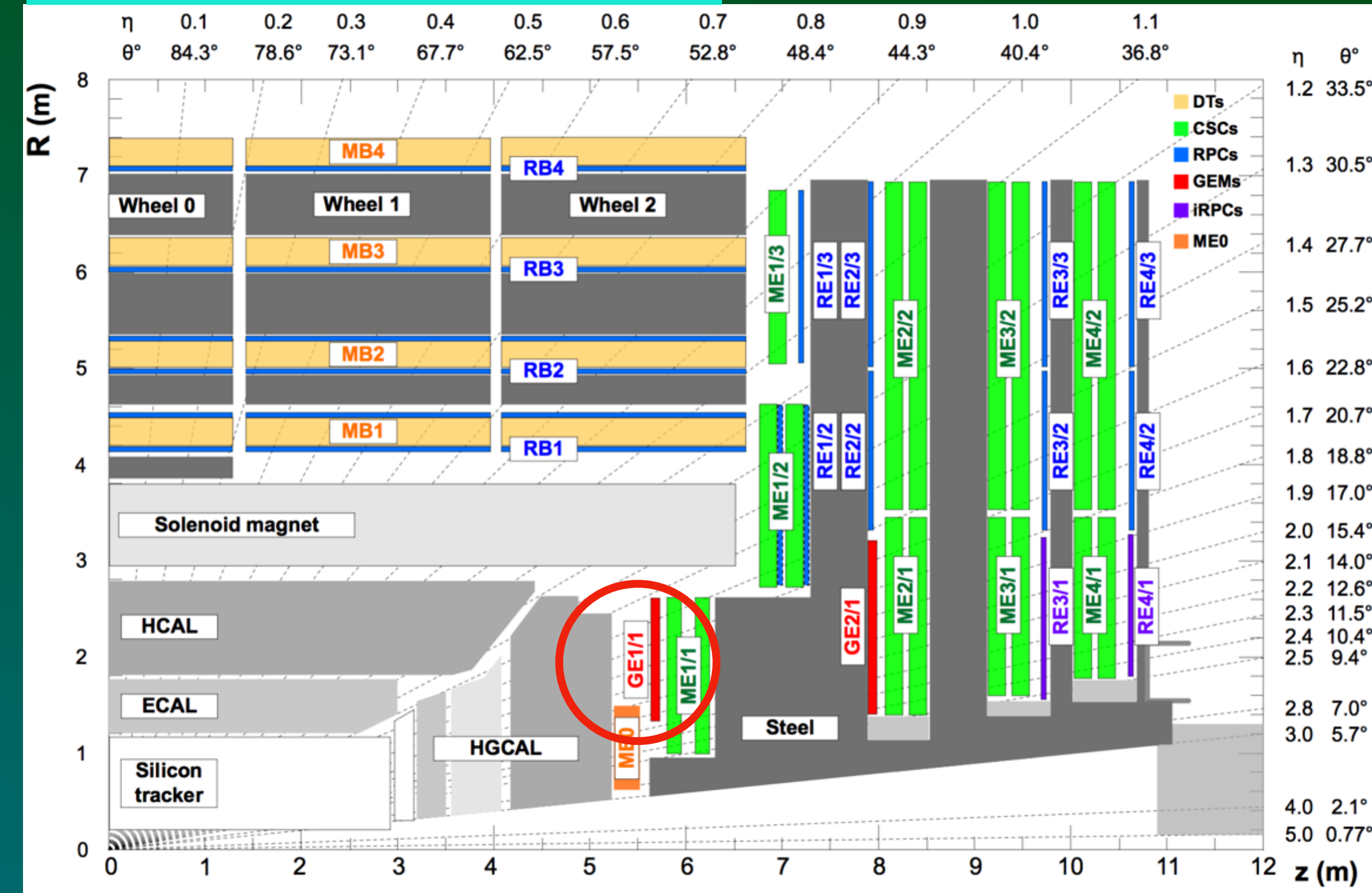
2. Construction & Quality Control of GEM Detectors

# GEMs: Introduction

## Motivation

- The LHC is being planned to transform into the **High Luminosity Large Hadron Collider (HL LHC)**
- Unprecedented luminosity of  $2 - 3 \times 10^{34} \text{ cm}^2 \text{ s}^{-1}$
- The muon system is not able to keep up higher rates of **multiple scattering**: L1 trigger overwhelms the system at the forward region

- Rate capability:  $\gg 10 \text{ kHz/cm}^2$ ,
- time resolution of  $> \sim 8 \text{ ns}$ ,
- spatial resolution  $\sim 200 \mu\text{m}$ .



The GE1/1 station at the CMS

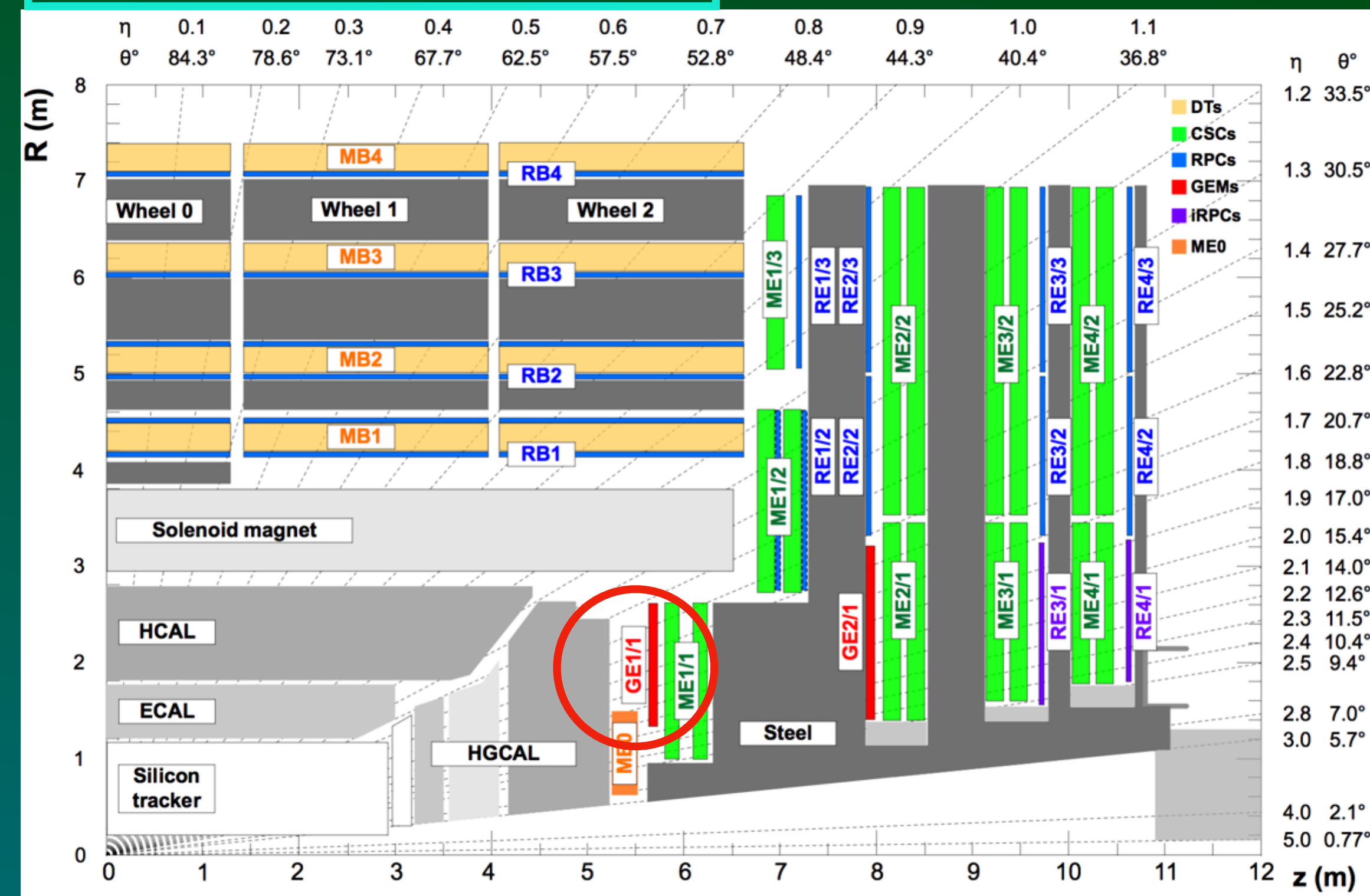
GEMs:  $1.55 < |\eta| < 2.18$

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- Unprecedented luminosity of  $2 - 3 \times 10^{34} \text{ cm}^2 \text{ s}^{-1}$
- The muon system is not able to keep up higher rates of **multiple scattering**: L1 trigger overwhelms the system at the forward region
- Response: **Gas Electron Multiplier (GEM) technology** to be installed at the designated **GE1/1 endcap station**
- **Restore redundancy** for tracking and triggering in the muon system
- Improves muon **momentum resolution**, unaffected by multiple scattering

- Rate capability:  $\gg 10 \text{ kHz/cm}^2$ ,
- time resolution of  $> \sim 8 \text{ ns}$ ,
- spatial resolution  $\sim 200 \mu\text{m}$ .



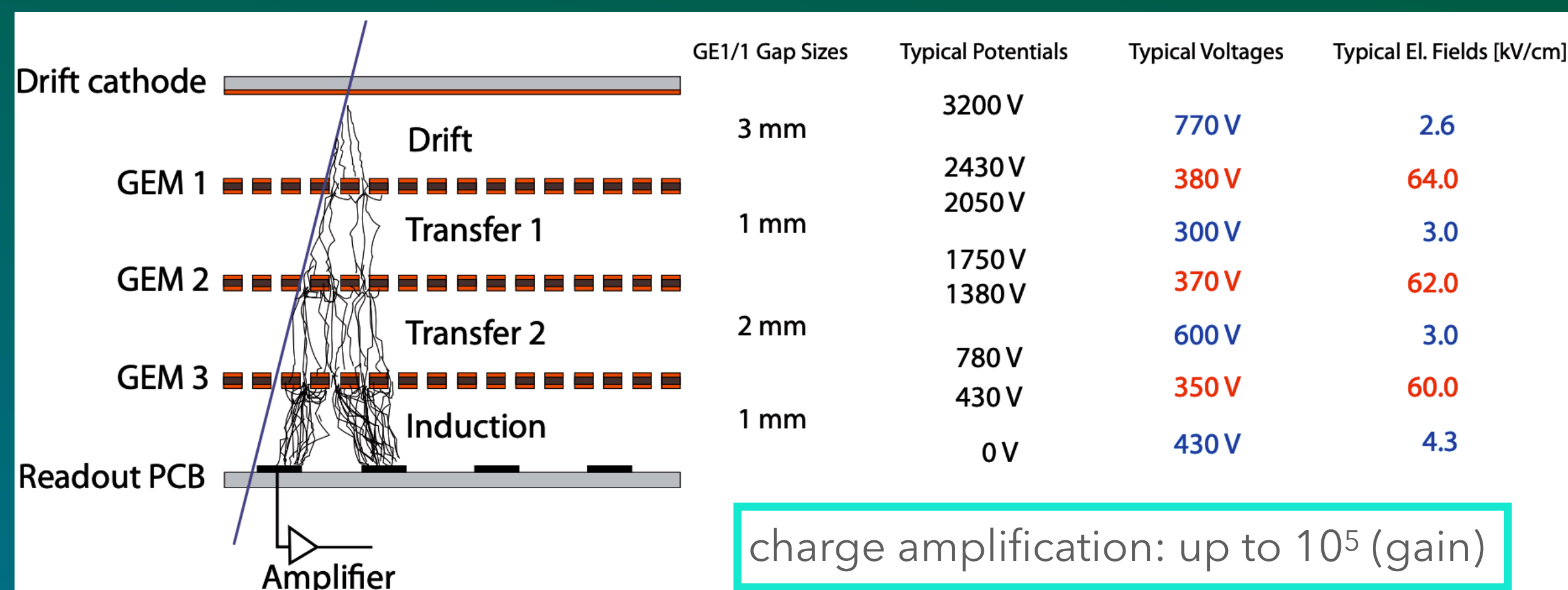
The GE1/1 station at the CMS

GEMs:  $1.55 < |\eta| < 2.18$

# GEMs: Introduction

## The Operation Principals

- A *triple-GEM* chamber (detector) incorporates three GEM foils,
  - i.e., **Kapton foils** coated with **copper** on both sides
  - with an array of **microscopic holes** (typically 140  $\mu\text{m}$  pitch),
  - separated by **spacers** and held between an **anode readout** board and a **cathode drift** board.



# GEMs: Introduction

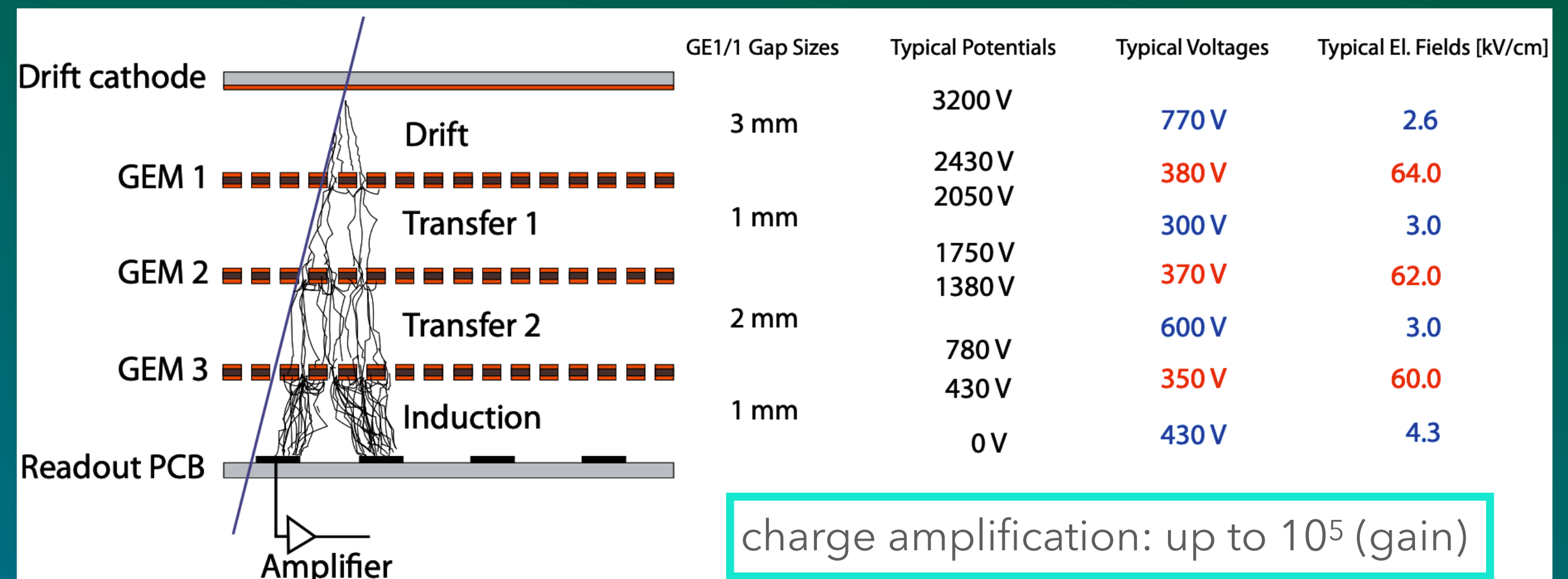
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  - with an array of microscopic holes (typically 140  $\mu\text{m}$  pitch),
  - separated by spacers and held between an anode readout board and a cathode drift board.
- A GEM chamber utilizes **electron amplification** through microscopic holes within a gas medium (**Ar/CO<sub>2</sub> 70:30**).

Applied Voltage  $\rightarrow$  strong electric field (60-100 kV/cm) inside the holes

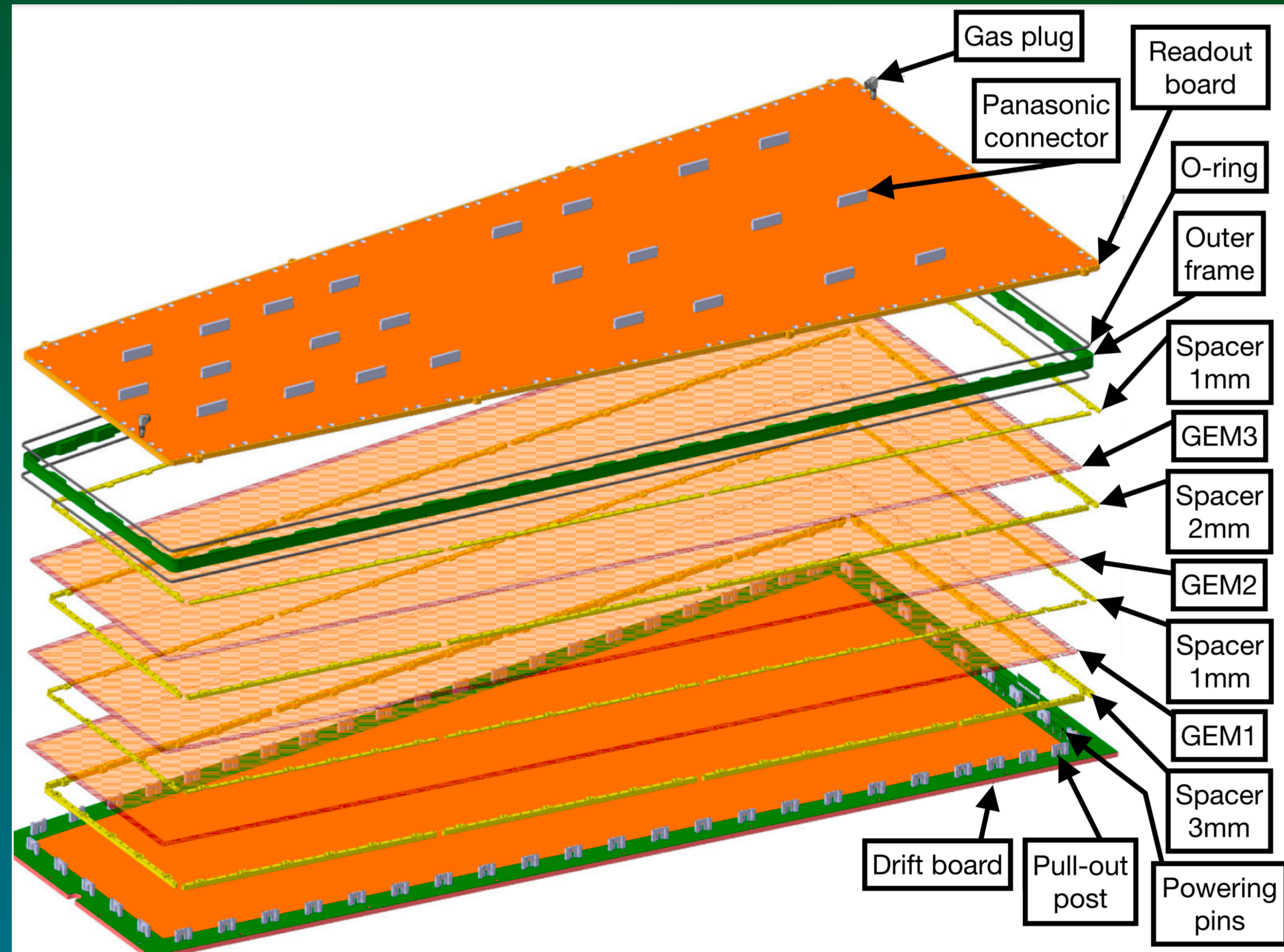
$\rightarrow$  electron drift toward the holes  $\rightarrow$  electron amplification (Townsend **avalanche**)

$\rightarrow$  induce **electrical signal** readout anode



# GEMs: Introduction

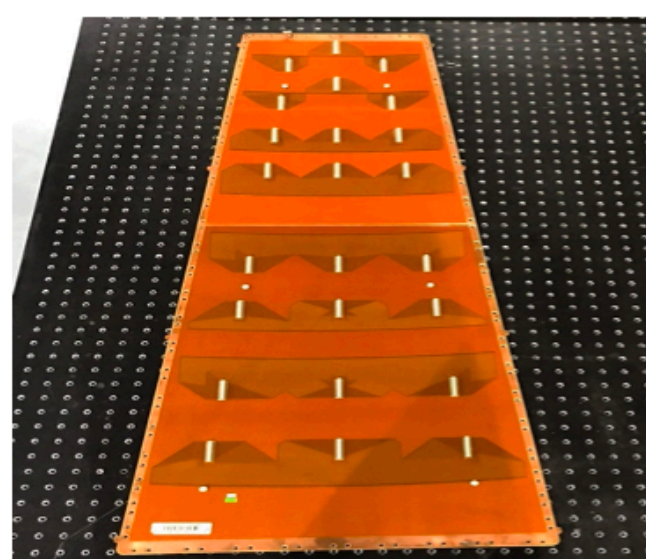
## Components



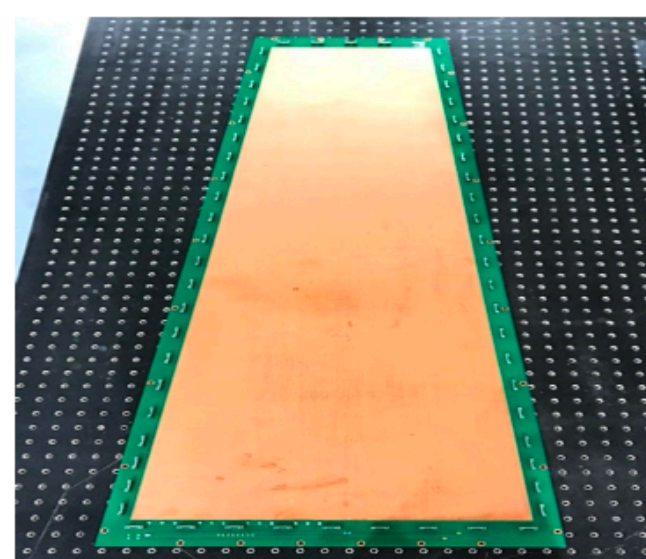
Exploded overview of a GEM chamber

# GEMs: Assembly

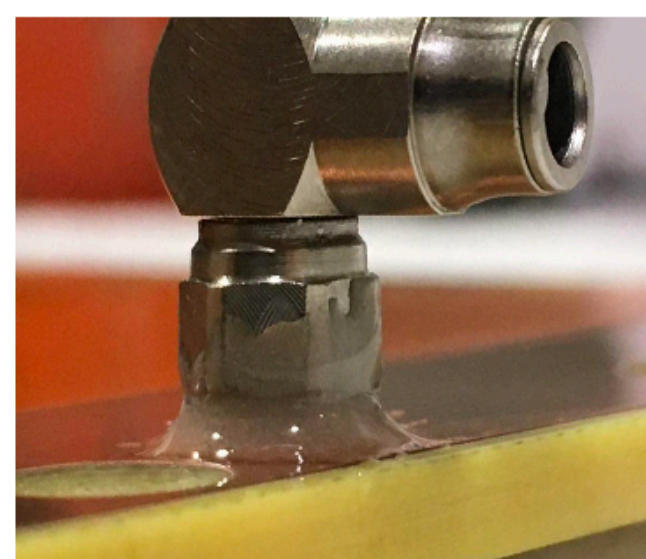
## Procedure Overview



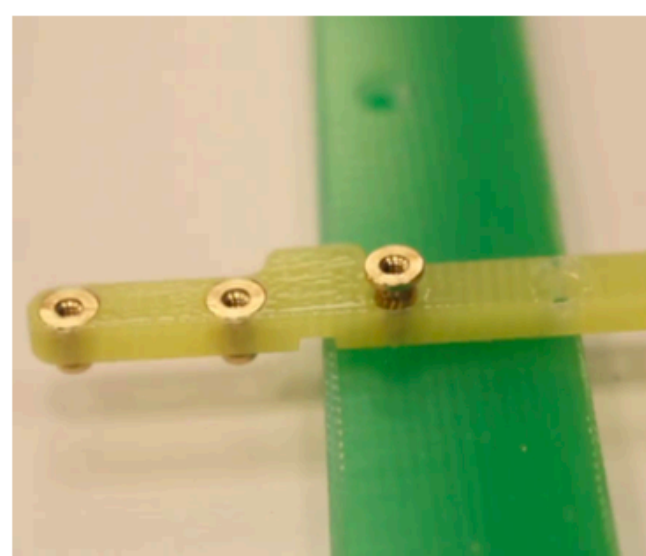
(a)



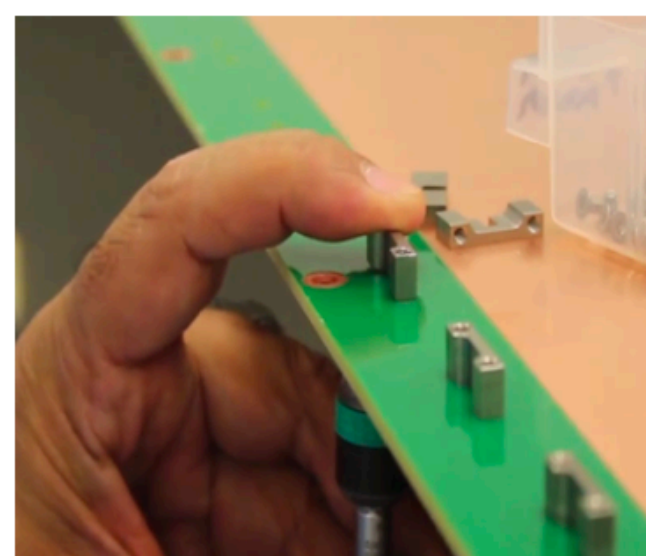
(b)



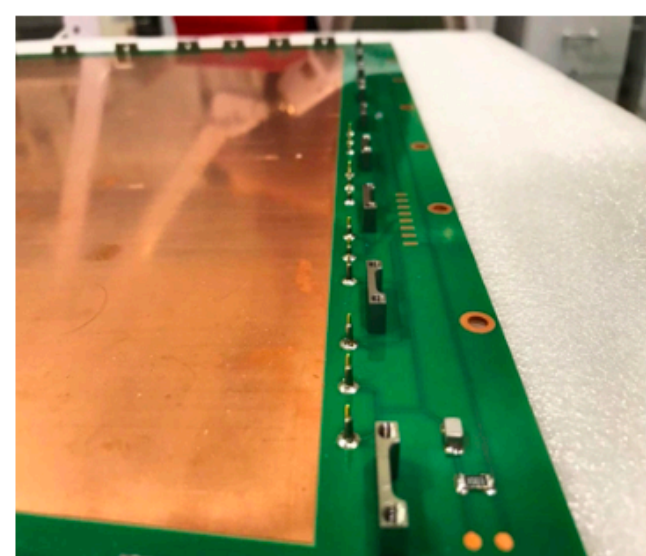
(c)



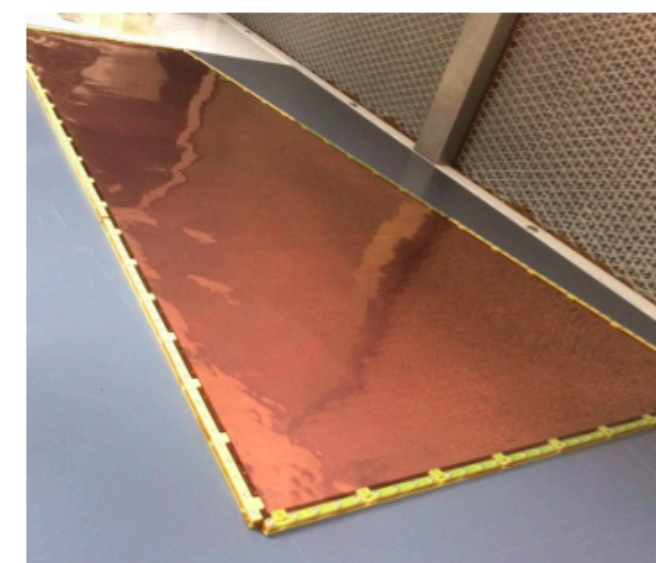
(d)



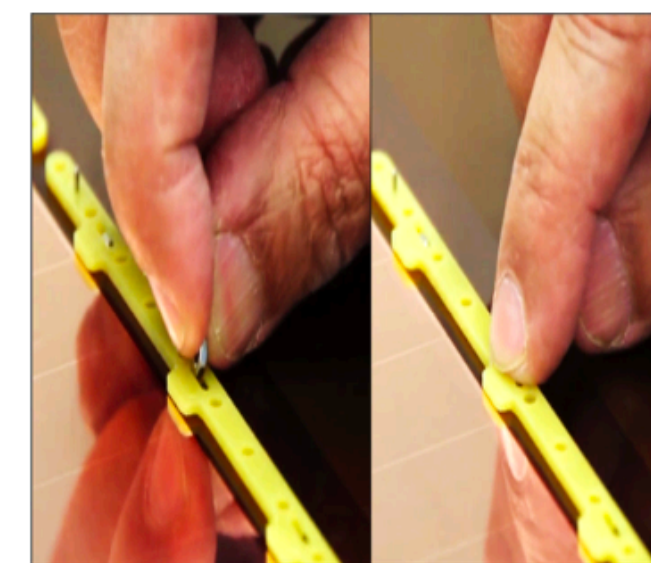
(e)



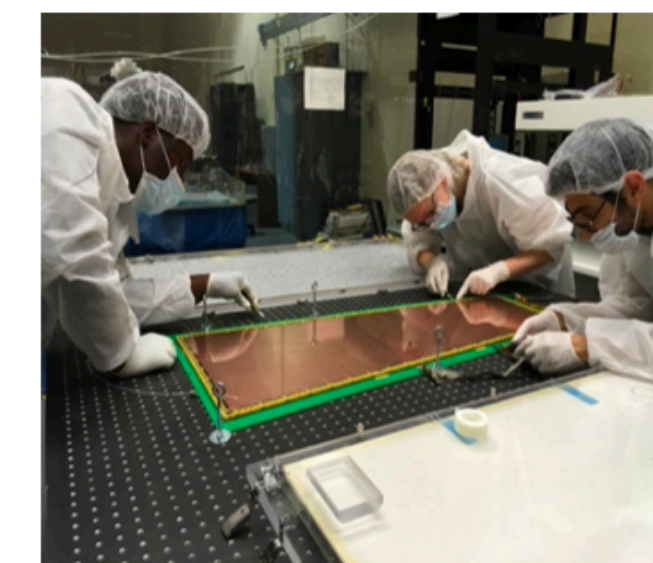
(f)



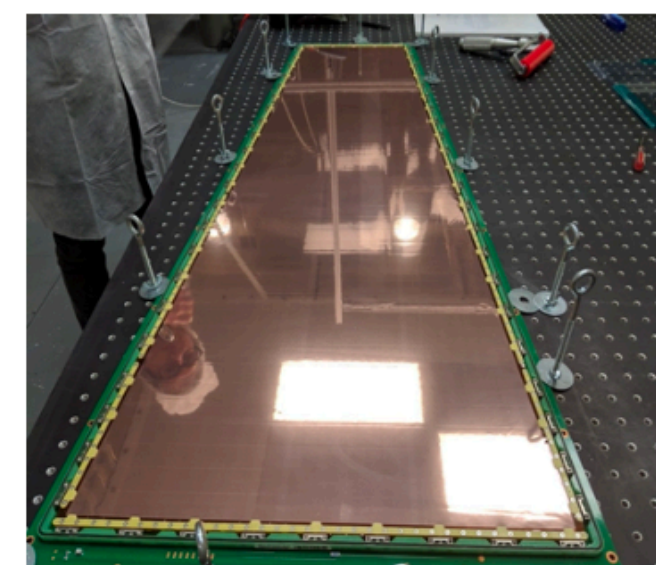
(g)



(h)



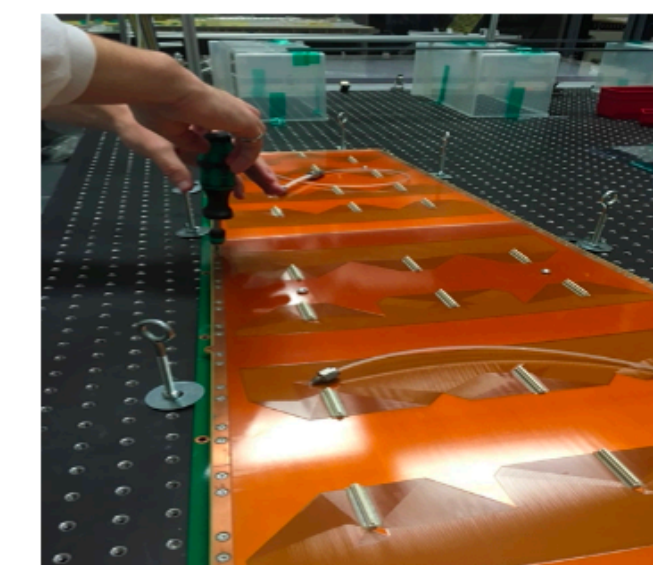
(i)



(j)



(k)



(l)

# GEMs: Quality Control

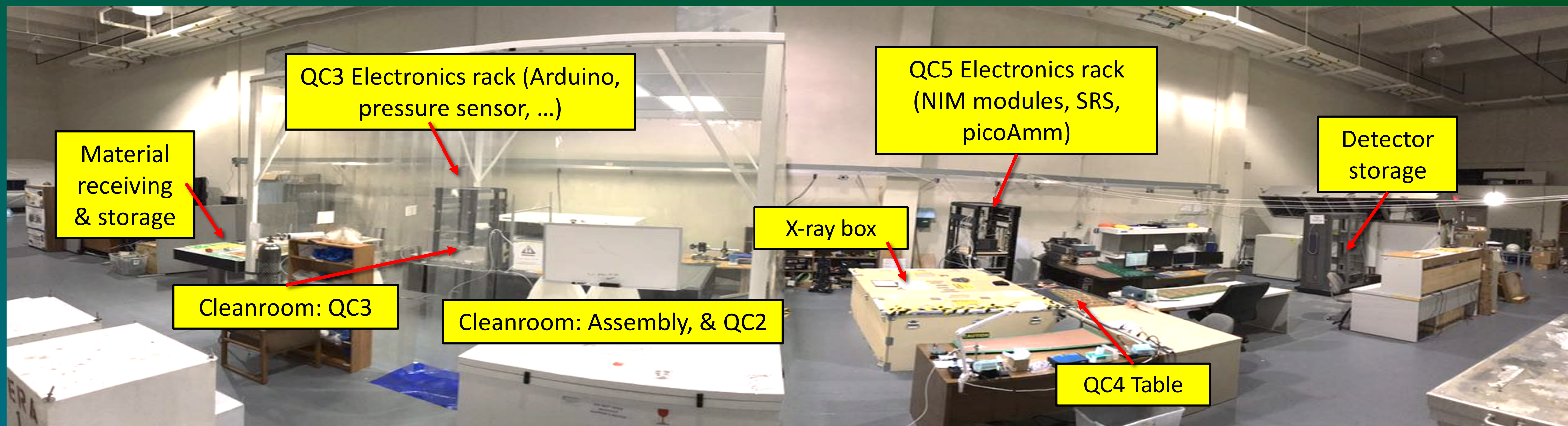
## Overview

QC Step	QC Procedure
1	Initial inspection of the chamber components
2	Electrical cleaning of the GEM foils and resistance check
3	Leak test of closed detector volume
4	Linearity test of high voltage divider and intrinsic noise rate measurement
5a	Effective gas gain measurement
5b	Response uniformity measurement



# GEM: Production Line

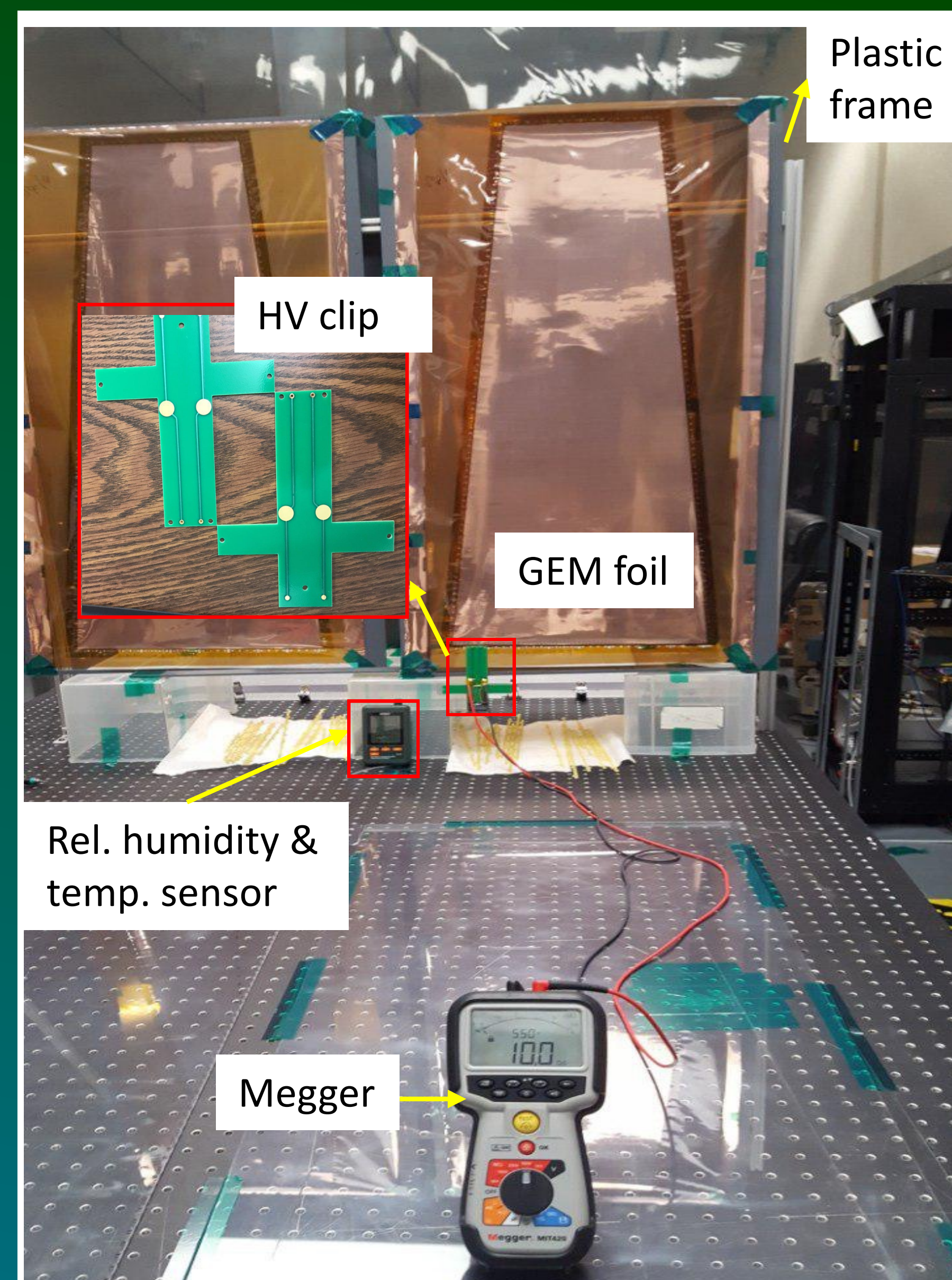
FIT production line



# GEMs: QC Step 2

## GEM Foil Resistance Check

- Applying 550 V to the GEM foils and measuring the **leakage current** between top and bottom electrodes
- The GEM foil is accepted if its **impedance** is above **10 GΩ**, with relative humidity lower than 50% and the number of **sparks** per minutes is lower than **2-3** during the last three minute



# GEMs: QC Step 2

## Typical Results

- Applying 550 V to the GEM foils and measuring the **leakage current** between top and bottom electrodes
- The GEM foil is accepted if its **impedance** is above **10 GΩ**, with relative humidity lower than 50% and the number of **sparks** per minutes is lower than **2-3** during the last three minute

FOIL-BATCH-S-132/12					
Time [min]	Voltage [V]	Resistance [G ohm]	Current [nA]	Sparks	Total sparks
0.5	550	4	550	1	1
1	550	8	250	1	2
2	550	9.8	152	1	3
3	550	3.8	134	0	3
4	550	8.9	112.2	1	4
5	550	12.5	95	0	4
6	550	13.4	90	0	4
7	550	14	71	0	4
8	550	15.5	65	0	4
9	550	16	61	0	4
10	550	17	61	0	4

QC2 measurements a foil in FIT0002

# GEMs: QC Step 2

## Summary of Results

- Applying 550 V to the GEM foils and measuring the **leakage current** between top and bottom electrodes
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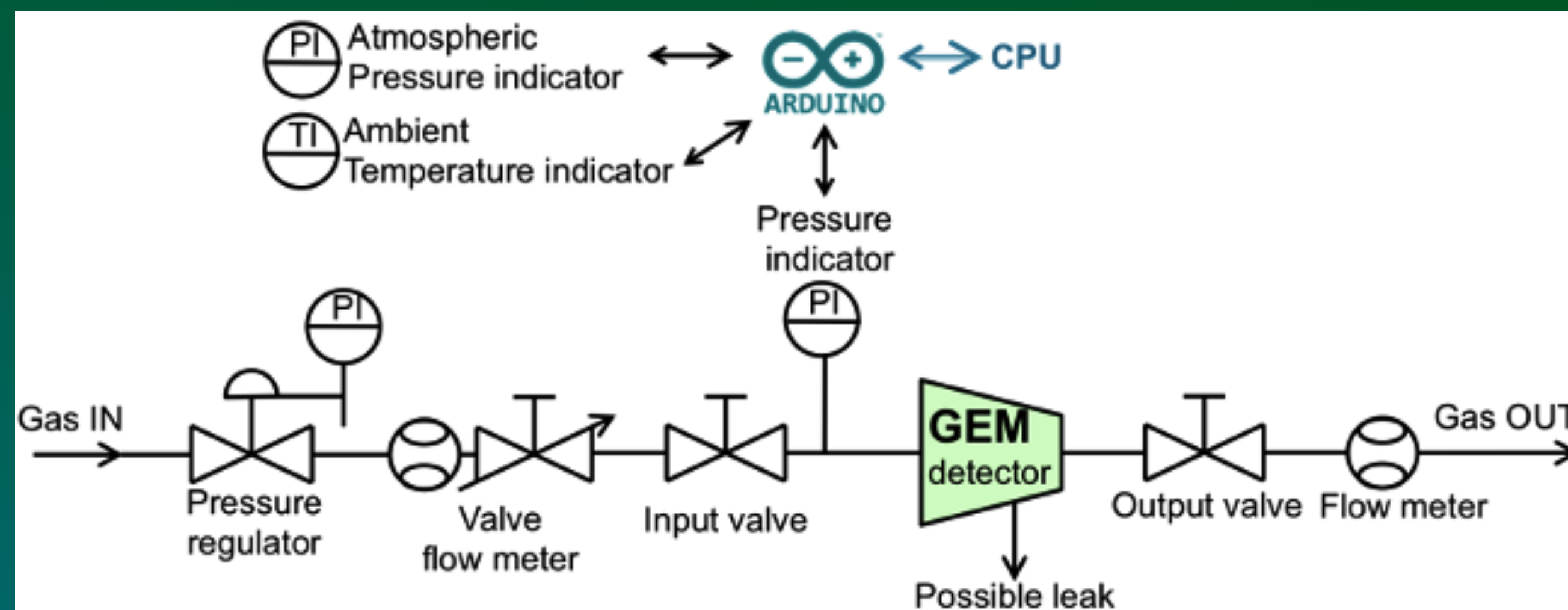
Chmaber SN	Foil ID	Resistance (MΩ)	Temp (C°)	RH %	Pressure (mbar)
<b>FIT0001</b>	172/15	12	26.3	53.6	1016.1
	168/15	14			
	137/13	13			
<b>FIT0002</b>	167/15	17	27	51.2	1017.3
	170/15	11			
	171/15	14			
<b>FIT0003</b>	175/15	11	26.3	53	1016.1
	125/12	11			
	133/12	13			
<b>FIT0004</b>	172/17	14	27.2	52	1015.2
	186/16	13			
	132/12	10			
<b>FIT0005</b>	171/15	15	26.3	53.6	1016.7
	226/19	13			
	228/19	11			
<b>FIT0006</b>	207/18	10	26.3	53	1016.4
	215/18	13			
	218/18	17			
<b>FIT0007</b>	213/18	13	25.2	56.3	1013.4
	217/18	8			
	194/17	11			
<b>FIT0008</b>	214/18	11	26.9	55.2	1014.1
	191/17	13			
	199/17	11			
<b>FIT0009</b>	205/18	11	27.2	48.4	1015.1
	206/18	14			
	209/18	15			
<b>FIT0010</b>	166/15	11	26.1	43.8	1017.9
	208/18	11			
	210/18	13			

QC2 summary

# GEMs: QC Step 3

## Gas Leakage Test

- Measure **gas leakage** of the closed chamber with both gas **input and output blocked**
- An **exponential** fit to the pressure drop against time to extract **time constant  $\tau$**
- $P_{int} = P_0 e^{-t/\tau}$
- The initial pressure  $P_0$  is set to **25 millibar**
- Any chamber with a **time constant greater than 3.04 hours** passes the QC3 criteria to ensure that the **leak rate remains below 1%**

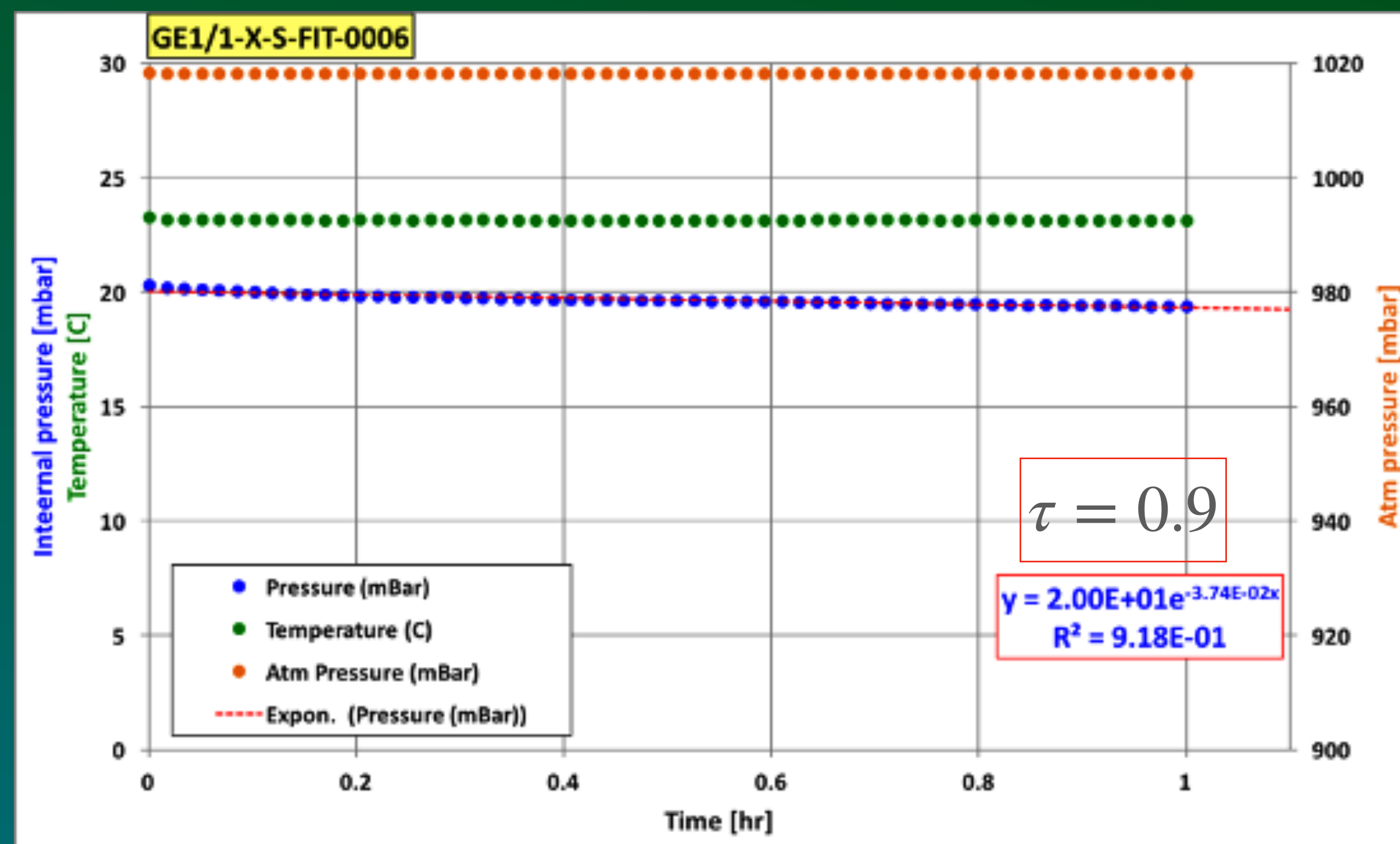


QC3 apparatus

# GEMs: QC Step 3

## Typical Results

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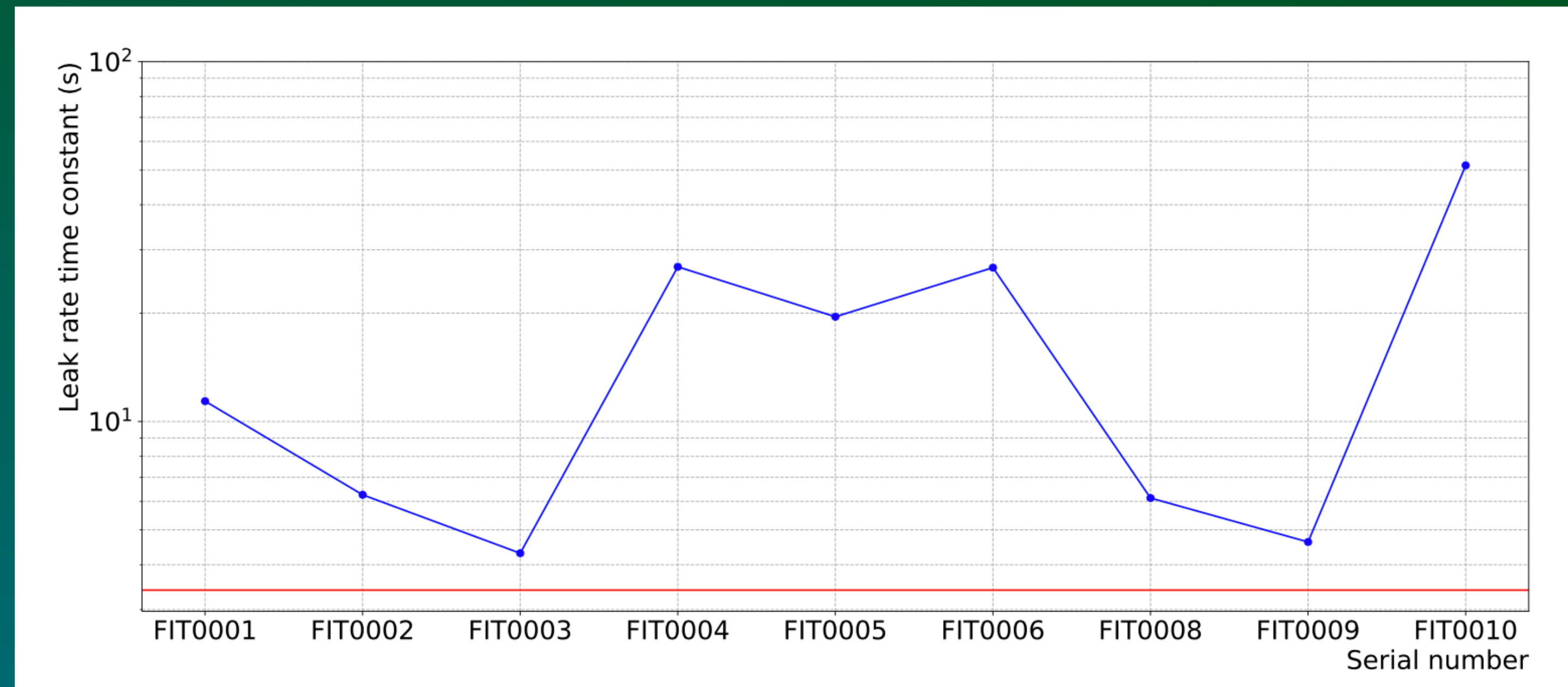


QC3 results for FIT0006

# GEMs: QC Step 3

## Summary of Results

- Measure **gas leakage** of the closed chamber with both gas **input and output blocked**
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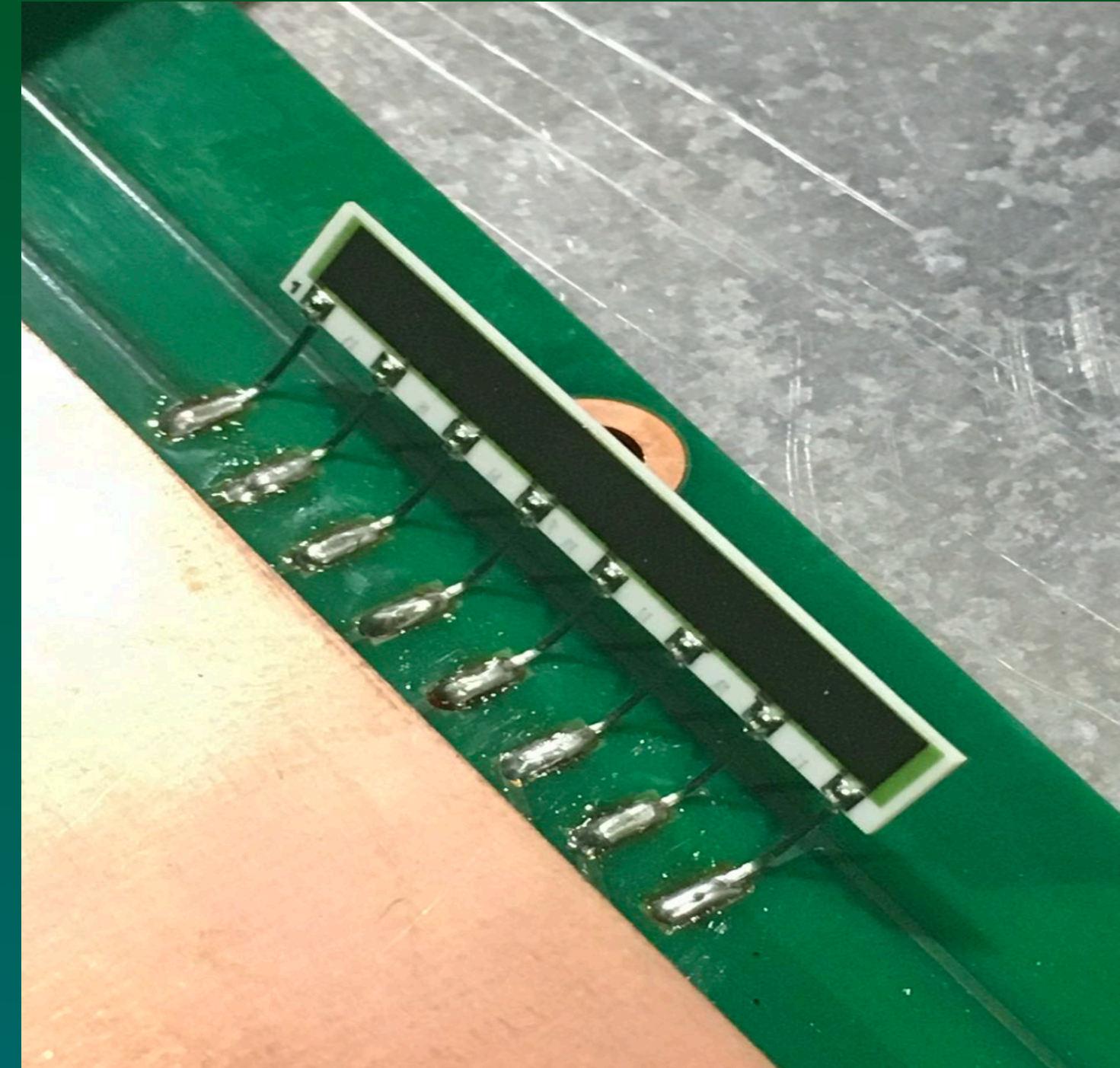


QC3 summary

# GEMs: QC Step 4a

## Linearity test of the HV divider

- The **HV** has to be appropriately distributed among the GEM foils and the drift board
- The QC4 is designed to test the functionality of **on-detector circuitry** that distributes the HV.
- The GE1/1 arranged in a **3/1/2/1 mm**
- **Ceramic HV divider** → appropriate **fields**



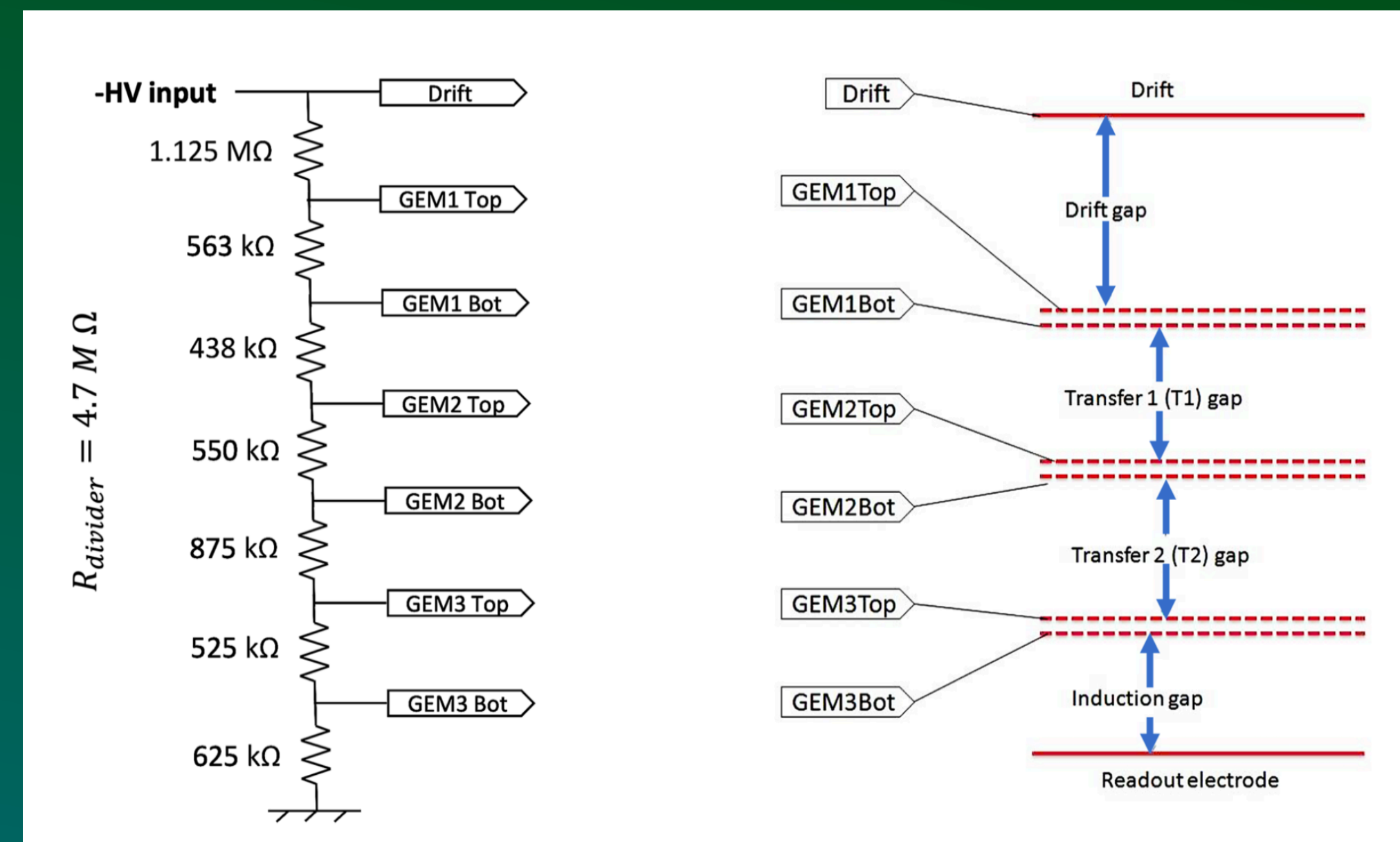
The ceramic HV divider



# GEMs: QC Step 4a

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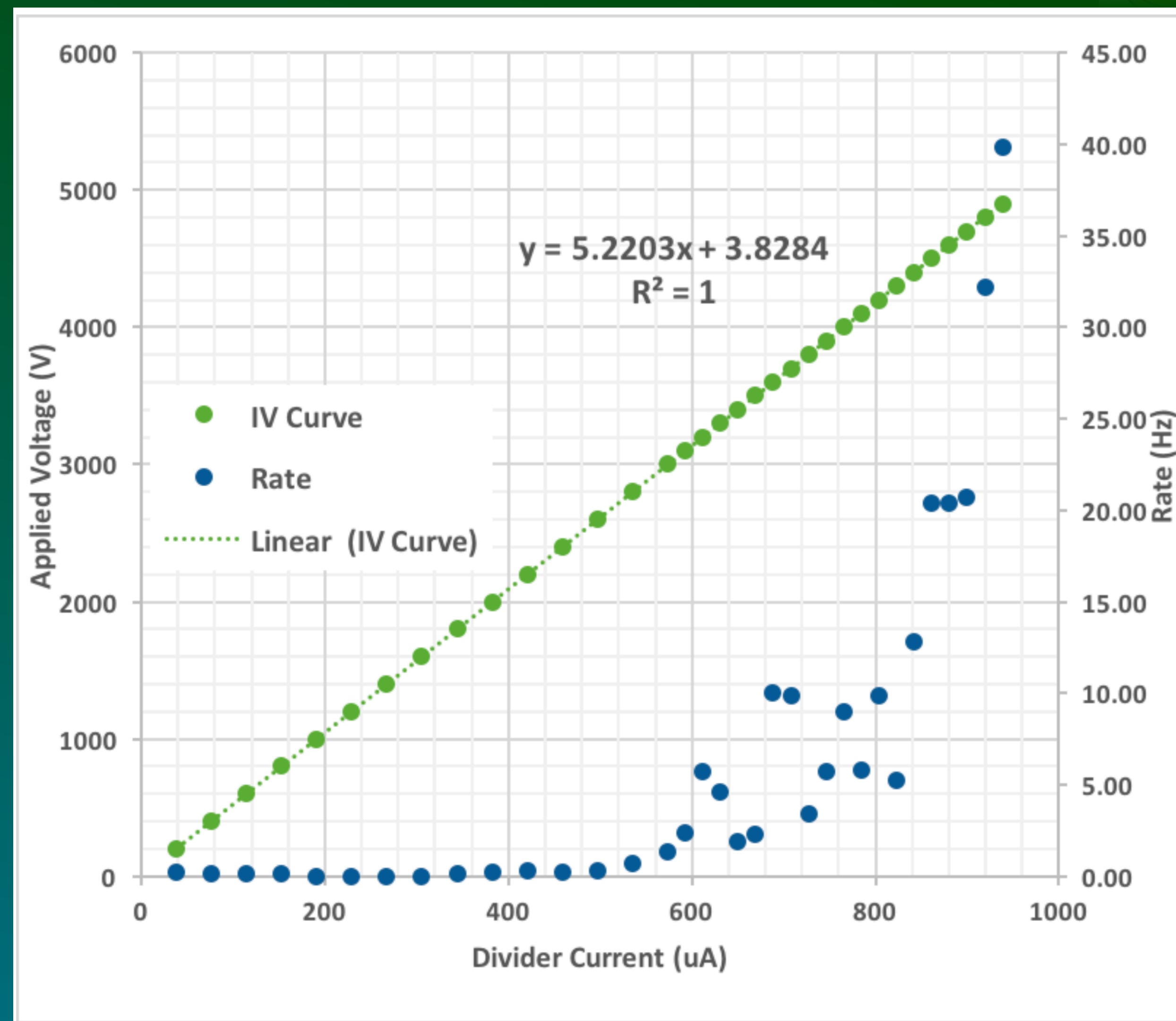
HV divider circuit diagram

# GEMs: QC Step 4a

## Typical Results

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- The QC4 is designed to test the functionality of **on-detector circuitry** that distributes the HV.
- The GE1/1 arranged in a **3/1/2/1 mm**
- Ceramic HV** divider → appropriate **fields**
- Fit the **I-V curve** with a **linear** and compute the **deviation** of its slope with respect to the **nominal**

resistance: 
$$D_R = \frac{R_m - R_n}{R_n}$$

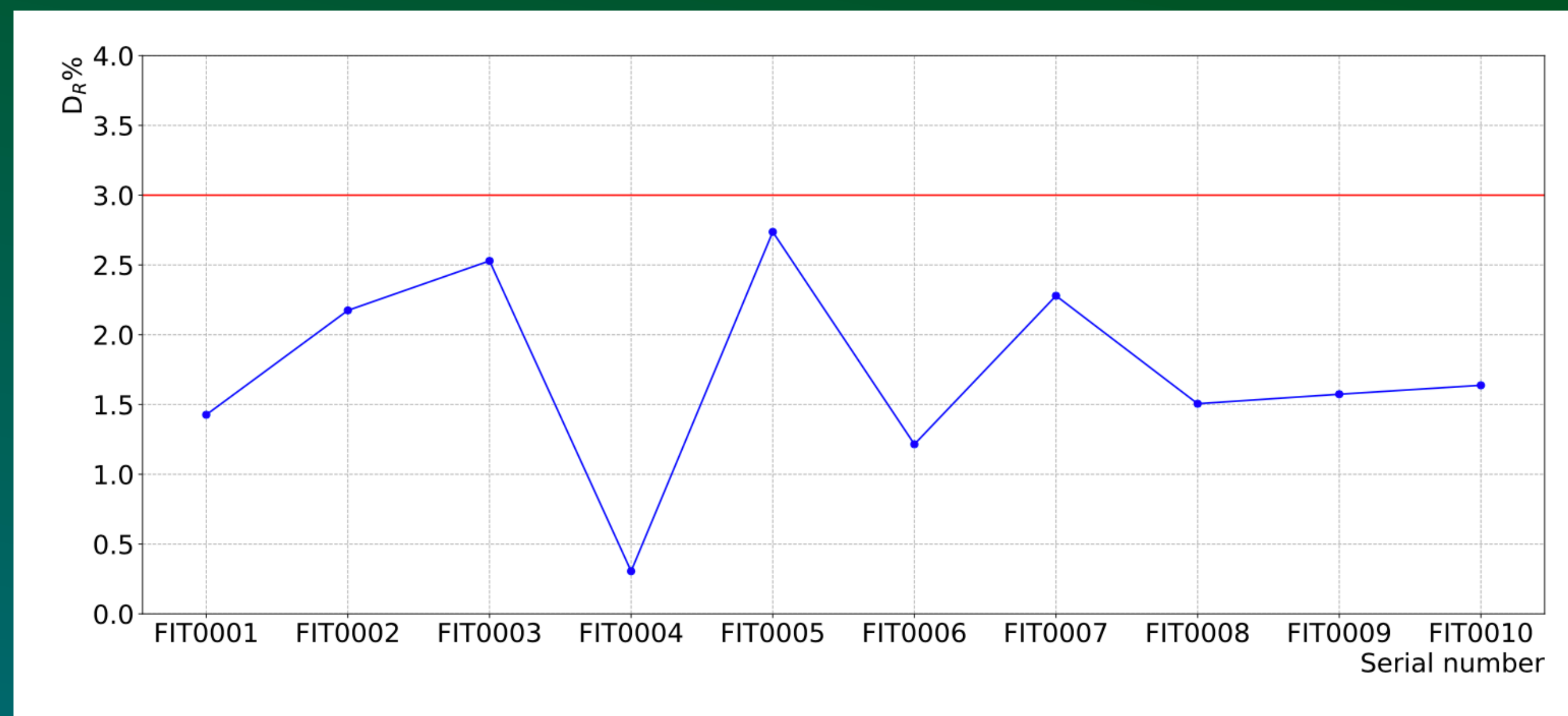


Typical results (FIT0006)

# GEMs: QC Step 4a

## Summary of Results

- The **HV** has to be appropriately distributed among the GEM foils and the drift board
- The QC4 is designed to test the functionality of **on-detector circuitry** that distributes the HV.
- The GE1/1 arranged in a **3/1/2/1 mm**
- Ceramic HV** divider → appropriate **fields**
- Fit the **I-V curve** with a **linear** and compute the **deviation** of its slope with respect to the **nominal** resistance
- A chamber with a **resistance deviation** — between the nominal and measured resistances — **smaller than 3%** passes

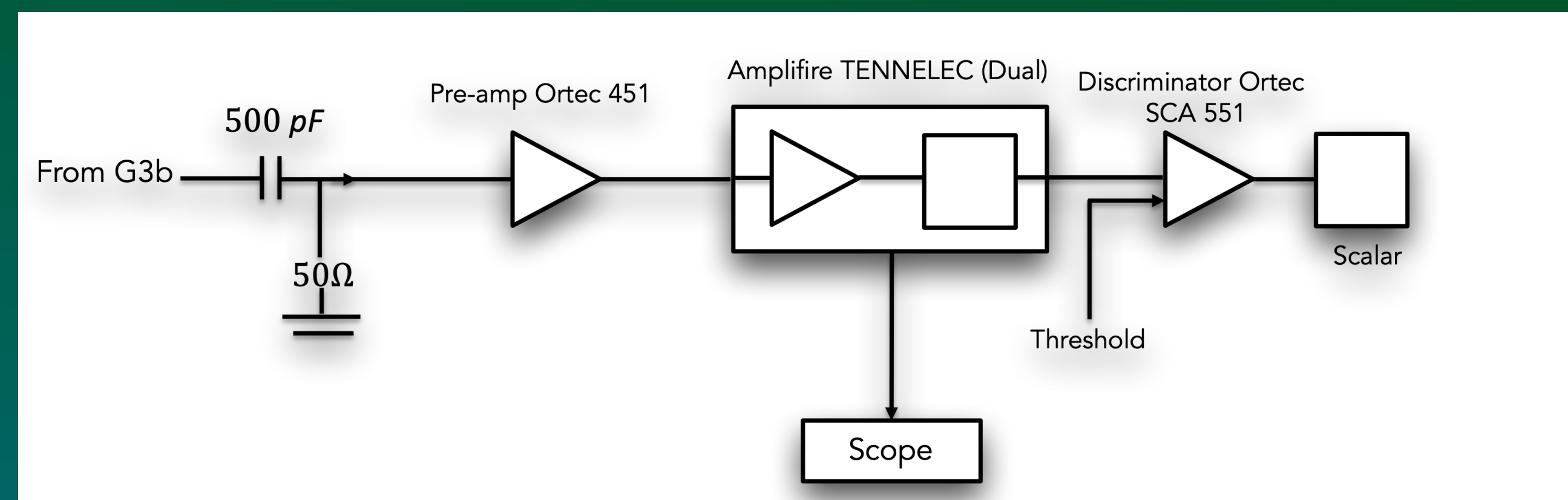


Summary of results for QC4a

# GEMs: QC Step 4b

## Intrinsic Noise Rate Measurement

- **Intrinsic noise** produced by **coronal discharges** rate per surface area
- Flushing the chamber with **CO<sub>2</sub>**, which has high enough **ionizing energy** to be immune to ionization from the cosmic rays
- A detector passes the QC step 4 if the intrinsic noise rate for the entire detector does **not exceed 100 Hz**.

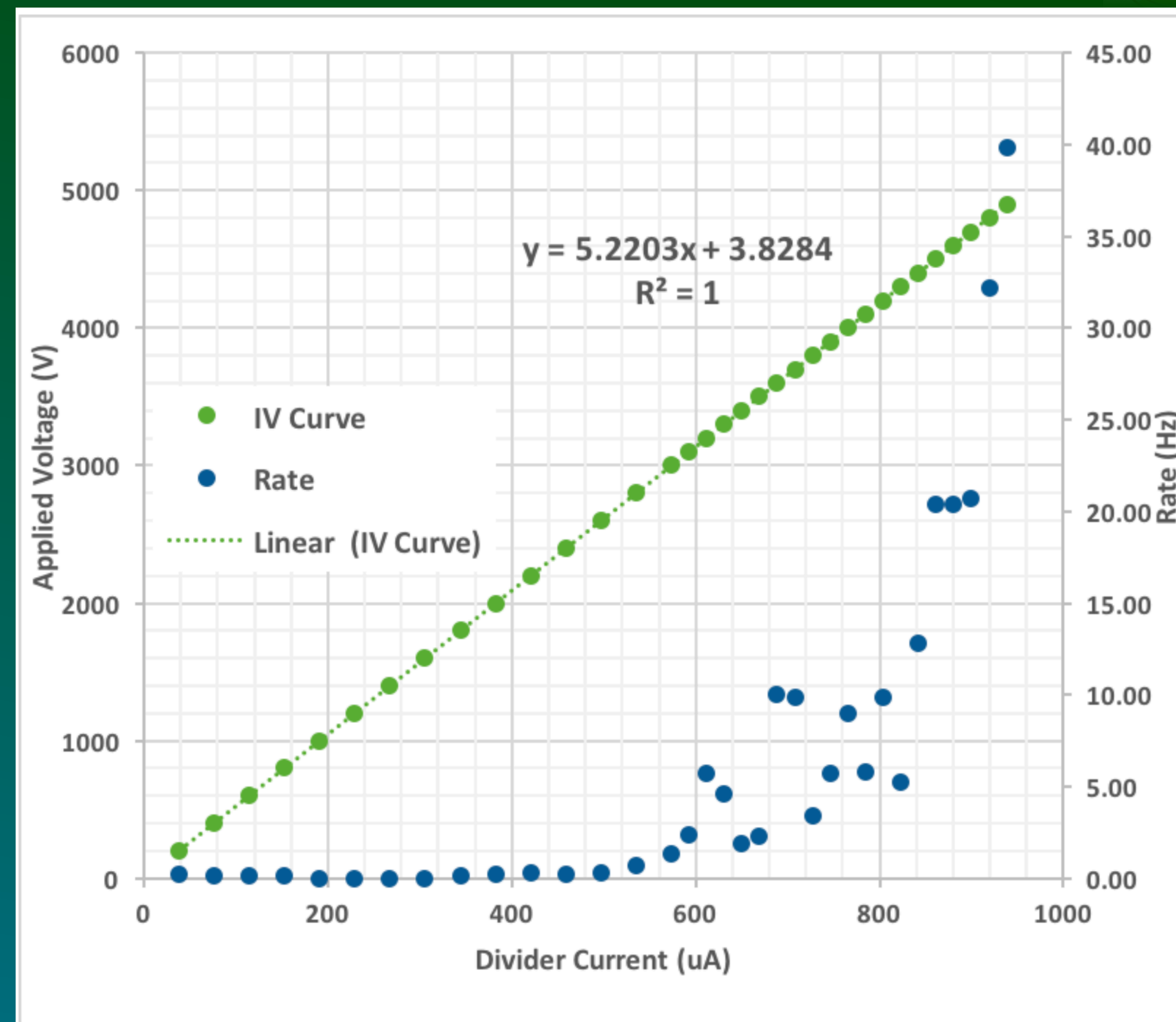


QC4 electric chain

# GEMs: QC Step 4b

## Typical Results

- **Intrinsic noise** produced by **coronal discharges** rate per surface area
- Flushing the chamber with **CO<sub>2</sub>**, which has high enough **ionizing energy** to be immune to ionization from the cosmic rays
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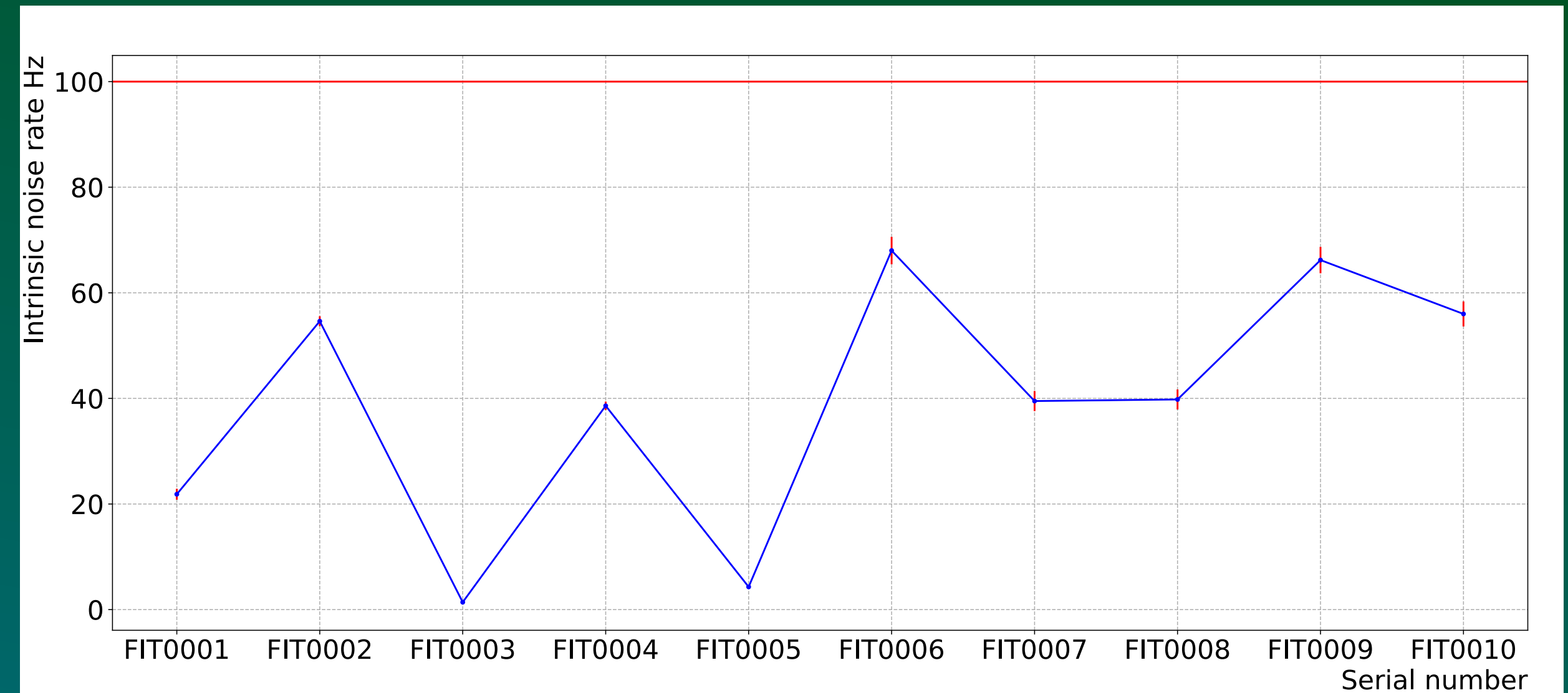


Typical results (FIT0006)

# GEMs: QC Step 4b

## Summary of Results

- **Intrinsic noise** produced by **coronal discharges** rate per surface area
- Flushing the chamber with **CO<sub>2</sub>**, which has high enough **ionizing energy** to be immune to ionization from the cosmic rays
- A detector passes the QC step 4 if the intrinsic noise rate for the entire detector does **not exceed 100 Hz**.



Summary of results for QC4b

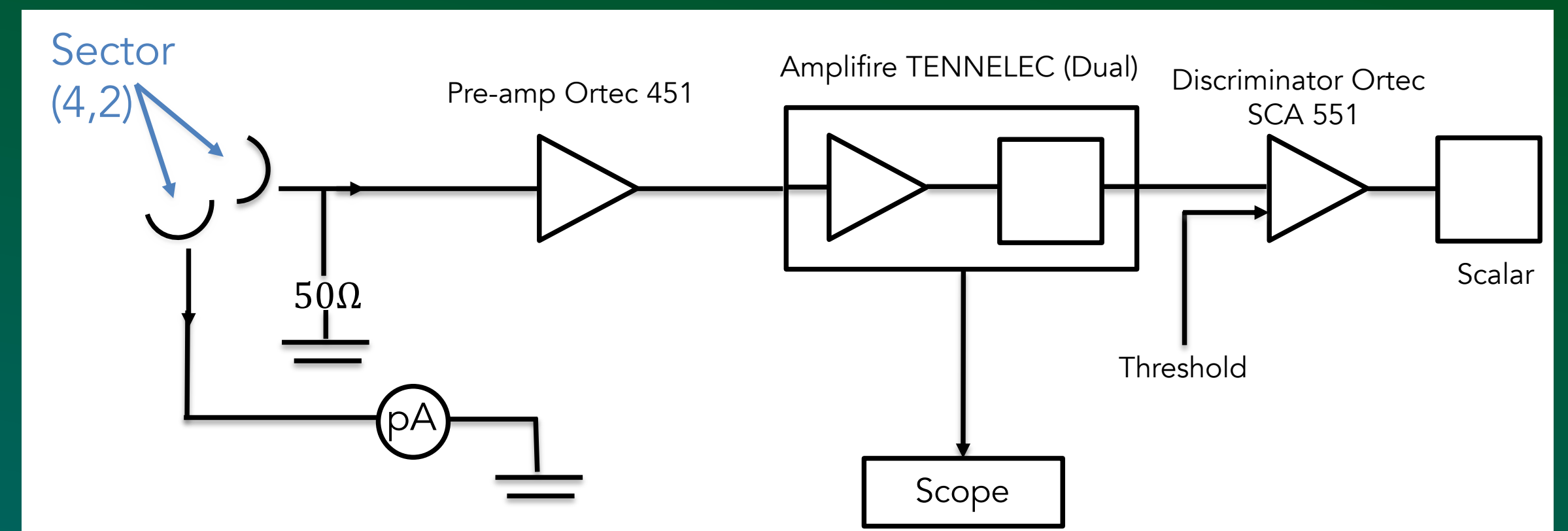
# GEMs: QC Step 5a

## Effective Gain

- Measure the **gain vs. current in HV divider** (prop. to applied voltage) using **X-ray source** flushed under **Ar/CO<sub>2</sub>**
- Comparing the **primary ionization charge** produced by the incoming charged particle in the drift gap to the final **amplified charge** on RO

$$G = \frac{I_{RO}}{R \cdot N_{primary} \cdot e}$$

- Each chamber is required to have effective gain within  $\pm 1.1\sigma \pm 37\%$  of the nominal effective gas gain value:  $2 \times 10^4$



Electronics chain for QC5a

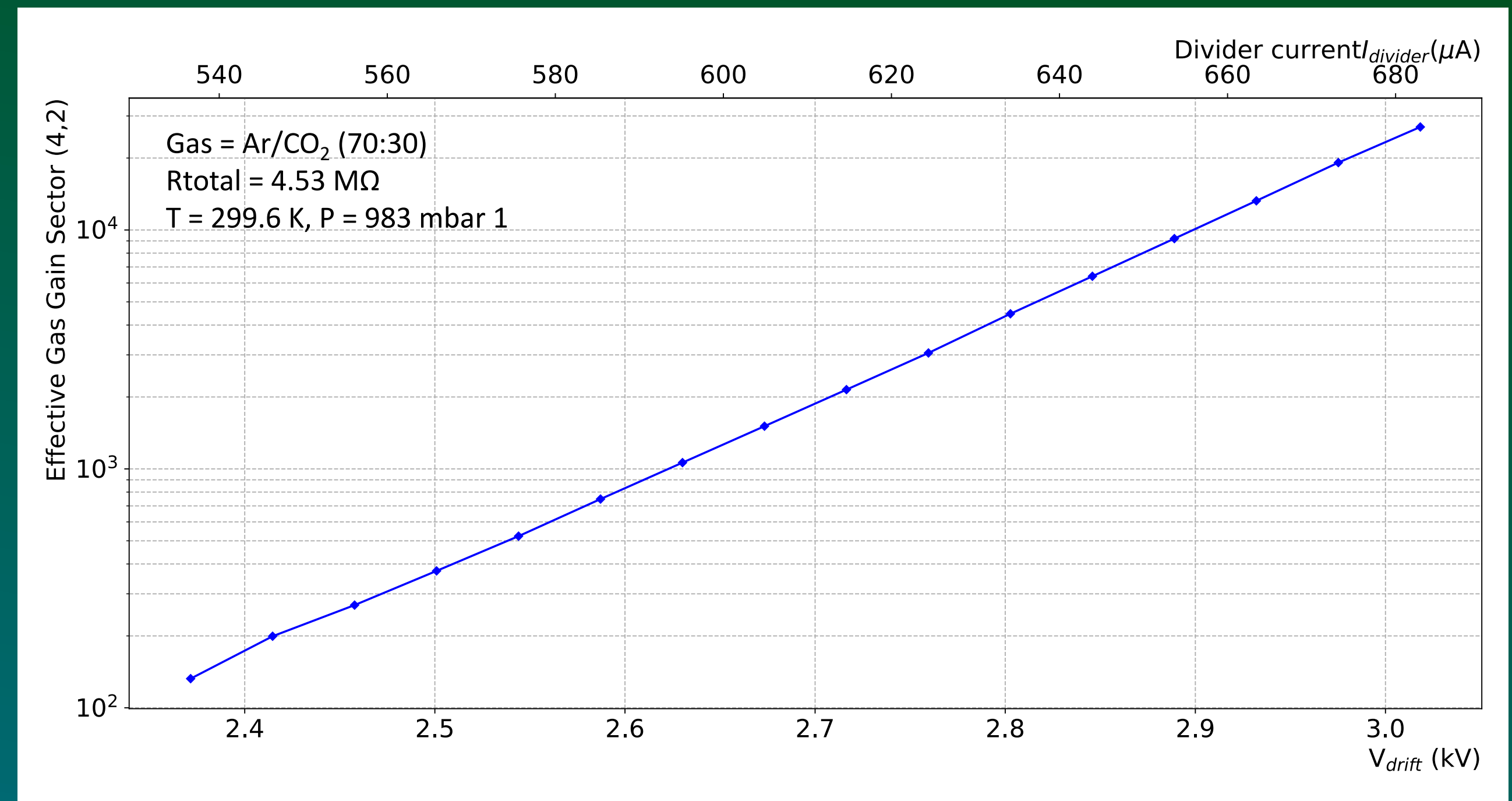
# GEMs: QC Step 5a

## Typical Results

- Measure the gain vs. current in HV divider (prop. to applied voltage) using X-ray source
- The gas gain is measured via the anode current produced in the chamber during this irradiation

$$G = \frac{I_{RO}}{R \cdot N_{primary} \cdot e}$$

- Each chamber is required to have effective gain within  $\pm 1.1\sigma \pm 37\%$  of the nominal effective gas gain value:  $2 \times 10^4$



QC5a results for FIT0001



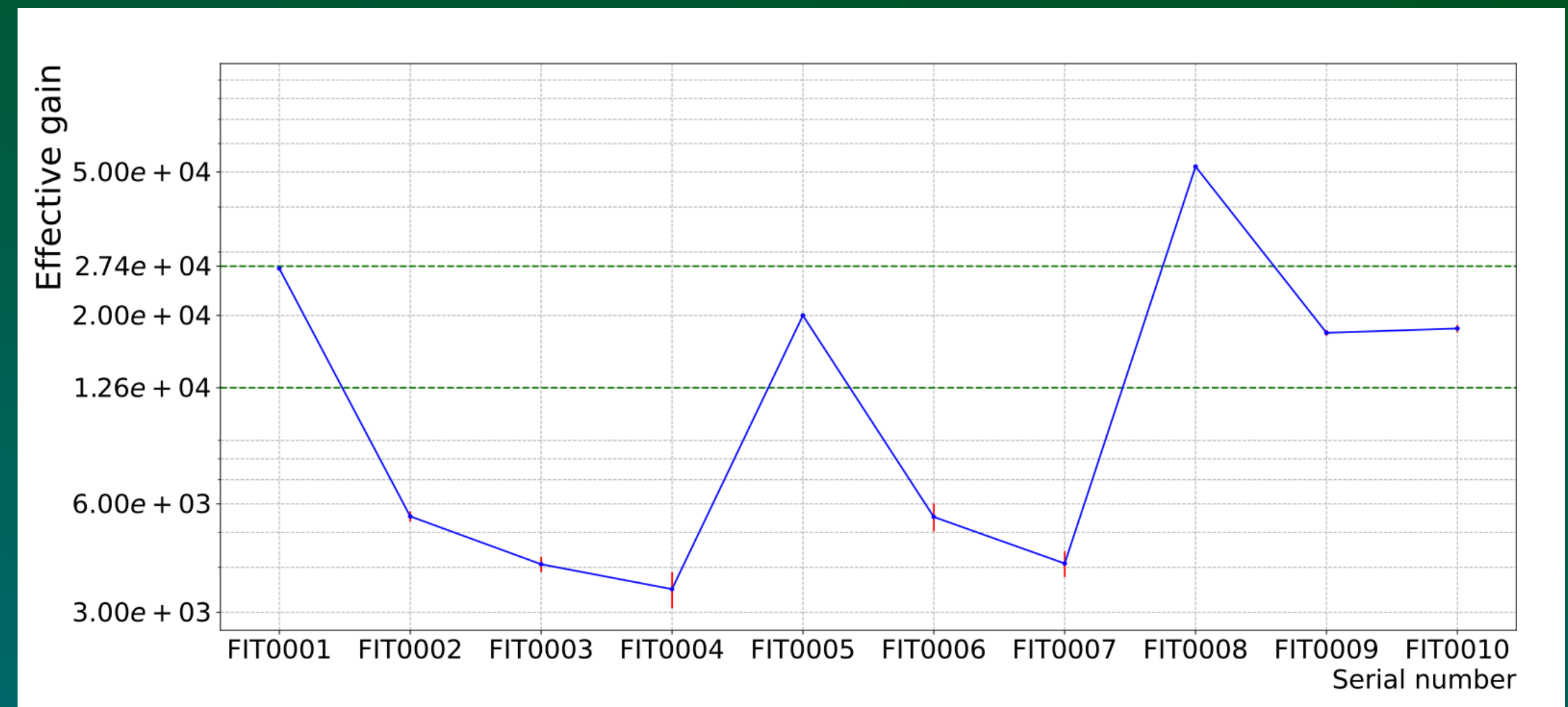
# GEMs: QC Step 5a

## Summary of Results

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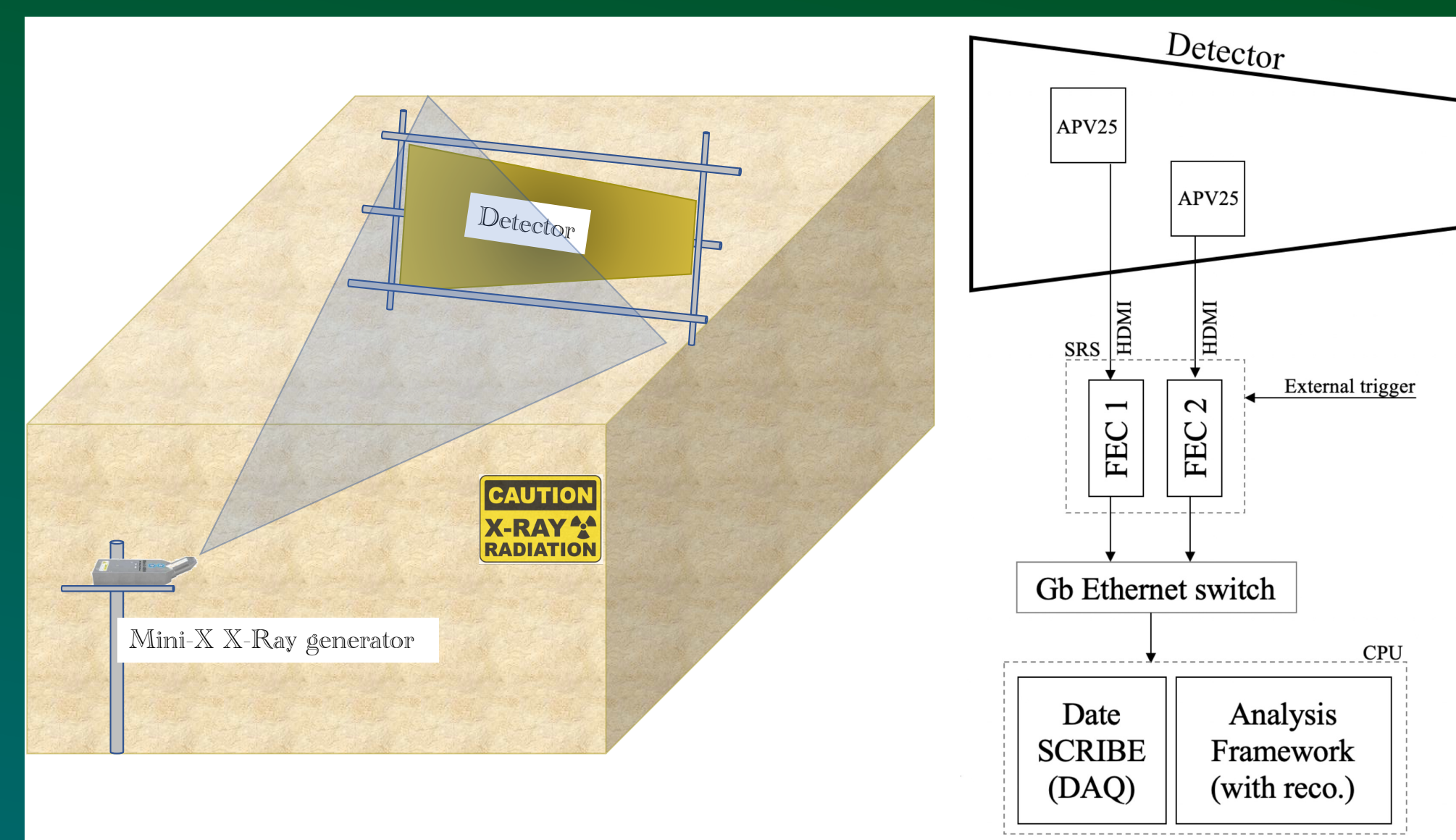


Summary of results for QC5a

# GEMs: QC Step 5b

## Response Uniformity Measurement

- Fix 24 analog pipeline voltage 25 (APV25) analog readout onto the readout Panasonic connectors according to the boss/sub mapping provided by the collaboration
- Performed by irradiating the entire chamber with the **X-ray** generator
- Operated at a reduced gas gain (typically between 500 and 600)
- the gain response across all readout strips must be below **37% of the standard deviation**



QC5b apparatus: The APV25 on each readout sector amplifies the induced charge on the readout strips and sends them to analog-to-digital converters (ADCs) to digitize the signal. The digitized signals are recorded by front-end concentrator cards (FECs), which are components of the larger RD51 Scalable Readout System (SRS)

# GEMs: QC Step 5b

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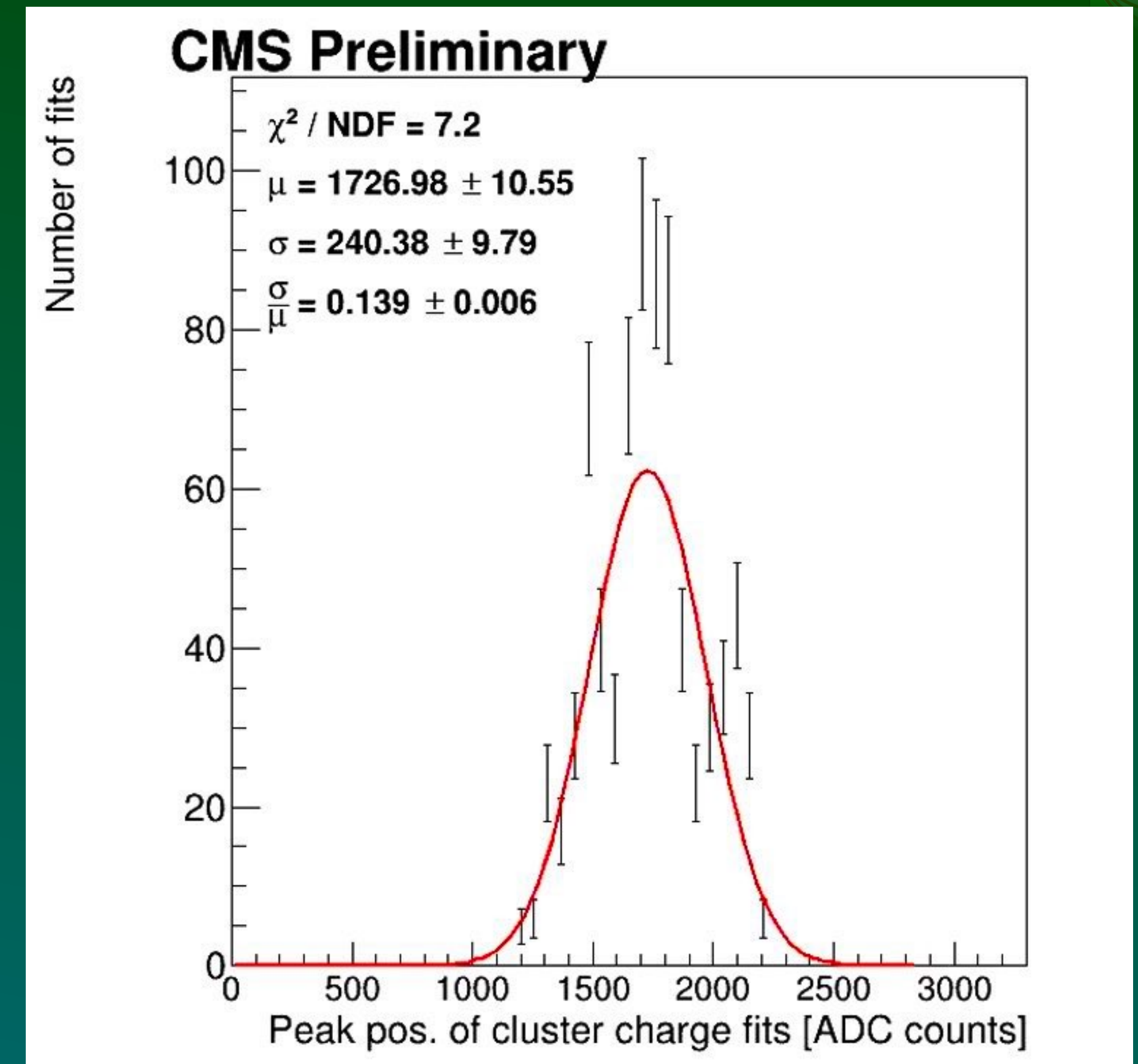
Uncertainty	Description	Contribution%
$\sigma_{thickness}$	Gap size between the GEM foils	1
$\sigma_{diameter}$	Diameter of holes in the GEM foil	4.2
$\sigma_{drift\ bending}$	Bending of the drift PCB	25
$\sigma_{RO\ bending}$	Bending of the RO PCB	7.5

The contributing parameters to the overall uncertainty in the gain uniformity response test

# GEMs: QC Step 5b

## Response Uniformity Measurement

- A GE1/1 readout board is divided into **768 regions** called **slices**
- Each **slice** containing **4 readout strips**.
- The **charge** collected from a **cluster of 4 readout strips** in a slice: **strip cluster charge**.
- The SRS system can produce an **ADC spectrum** for **each slice** or cluster.
- The prominent **peak** in an ADC spectrum for a cluster is the **X-ray fluorescence photopeak of Copper**.
- The fluorescence **photopeak** is located by fitting a **Cauchy distribution**
- The **photopeaks** of all cluster-strip charges are **histogrammed**, and a **Gaussian** is fitted to it.

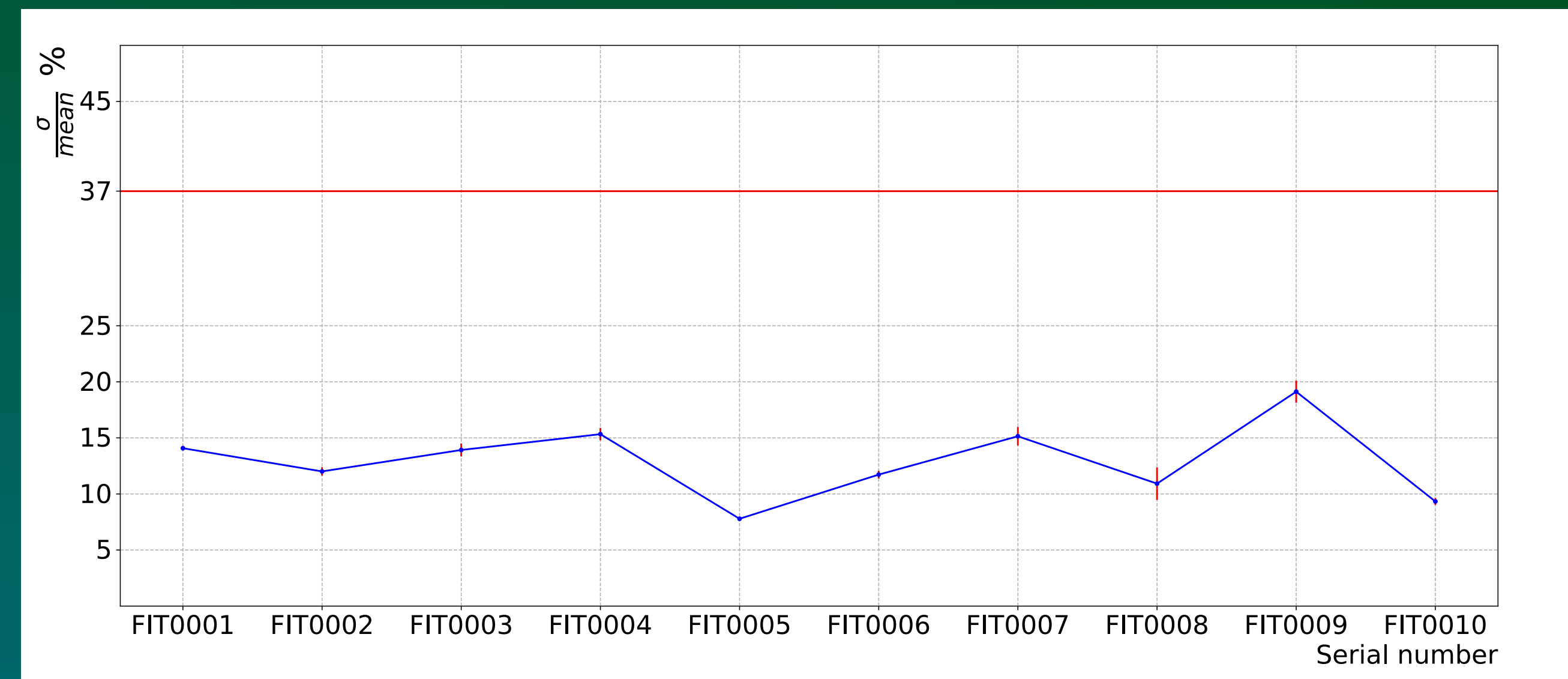


The means of the ADC spectra of the aggregate of strip-clusters is shown. The peak of the distribution is obtained through a Gaussian fit. The mean of the Gaussian represents the peak of the distribution. The ratio  $\sigma/\mu \times 100 = 13\%$  represents the gain variation across the detector.

# GEMs: QC Step 5b

## Summary of Results

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Summary of results for QC5b

# Conclusion



# Layout



1. The Experimental Apparatus
2. Construction & Quality Control of GEM Detectors
3. The Dark Matter Problem



# Introduction

## The Dark Matter Problem

- The Standard Model of particle physics (SM) is a mathematically tight theory that describes fundamental physics and provides high-precision predictions consistent with decades of experimental studies.
- There are several important shortcomings that are of primary interest for current research in the field. Related to the research reported here is the fact that the **SM offers no explanation for the existence of dark matter (DM)**, for which there is abundant astronomical evidence.
- Experimentally, DM has not yet been observed, and there is not yet any evidence for non-gravitational interactions between DM and Standard Model particles.
- The DM searches are perused in three major fronts:
  - Direct detection experiments
  - Indirect searches
  - **Collider searches** → {
    - Model-dependent searches
    - EFT model-independent searches
    - **Simplified model-independent searches [1,2,3]**





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# Introduction

## The Dark Sector

- The conventional approach in the search for new particles, including DM particles, has been to consider them to be **charged under at least some SM gauge symmetries**.
- While this approach has been the basis of 50 years of theoretical and experimental development in particle physics, the **experimental results have not been positively corroborated with this assumption**.
- To overcome these underwhelming results, attention has increasingly turned toward models wherein new particles are not charged under SM gauge symmetries.
- Collectively, these models are referred to as the **dark sector** or hidden-sector models [4,5].
- Under this assumption, if the DM does not seemingly interact with the SM sector, the implication is that it resides in a *dark sector* (charged under a *dark* symmetry group).
- If this new sector communicates with SM sector through a weak portal, then detection is possible at the LHC.

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- If this new sector **communicates** with SM sector through a **weak portal**, then **detection is possible** at the LHC.



# Introduction

## The Dark Sector - Continued

- The portal may assume different forms based on the spin of the portal operator: **Spin 1-Vector**, Spin-1/2 Neutrinos, Spin0-Higgs (scalar), or Axions (pseudo-scalar).
- The focus of my research is the **Spin 1-Vector portal** where a dark gauge boson interacts with an SM gauge boson through *kinetic mixing* between one dark and one visible Abelian gauge boson. This gauge boson is called the the dark Z ( $Z_D$ ) [6].

$$\mathcal{L} = -\frac{1}{4}B^{\mu\nu}B_{\mu\nu} - \frac{1}{4}B'^{\mu\nu}B'_{\mu\nu} - \epsilon B^{\mu\nu}B'_{\mu\nu}$$



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- $B^{\mu\nu}$  is the SM electromagnetic field tensor
- $B'^{\mu\nu}$  The field tensor in the dark sector
- $\epsilon$  is the kinetic mixing parameter

# Layout



1. Experimental Apparatus

2. Construction & Quality Control of GEM Detectors

3. Dark Matter Problem

4. Model-independent Search



# Model-Independent Search

## The 2018 Analysis

- We explored the **pair production of new bosons** at the LHC in collaboration with research groups from Texas A&M, Rice University, and University of Sonora.
- Our analysis presents a search for **new light bosons** decaying into **muon pairs**, corresponding to an integrated luminosity of  $59.7 \text{ fb}^{-1}$  at the center-of-mass energy  $\sqrt{s} = 13 \text{ TeV}$ , recorded during **2018** at the CMS.
- The **parameter space** probed is  $0.25 < m < 60 \text{ GeV}$  for the **mass** of the **mediator** [7].

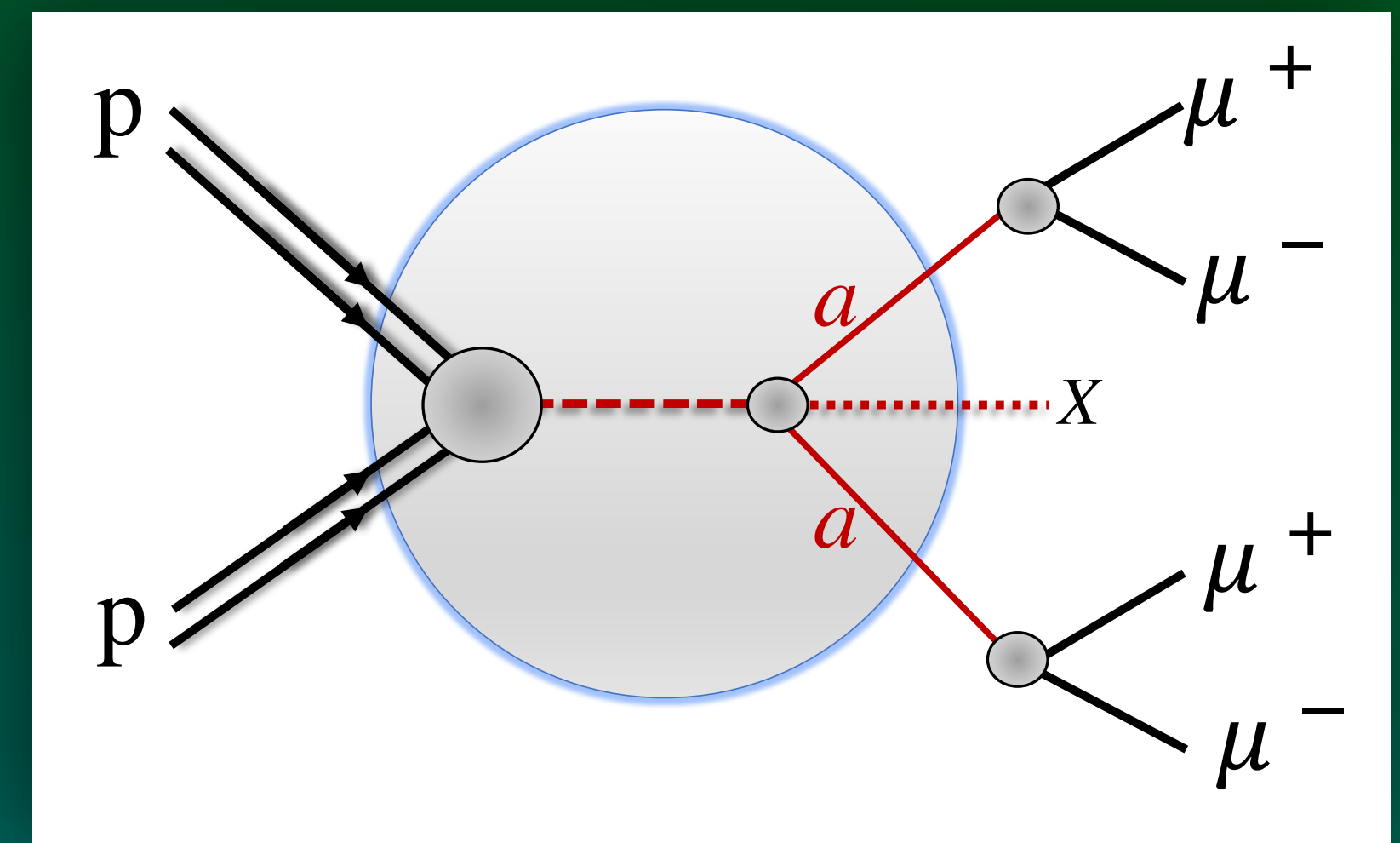


Figure1: Schematic example of the  $pp$  interaction that produces a pair of new bosons of which each decays into a muon pair. The grey circle indicate the dark sector inter- actions. The  $X$  particle is to signify any excess processes other than the four lepton final state.



# Model-Independent Search

## The 2018 Analysis

We have a CADI line with AN and draft paper based on Run II 2018 data with dimuon trigger w/o VTX constraints:

- CADI: [HIG-21-004](#)
- Pre-approval talk: [Feb 16, 2021](#)
- Unblinded results: [Apr 28, 2021](#)
- Twiki: [HIG21004Run2](#)

<p>Available on the CMS information server</p> <p style="text-align: right;">CMS AN-19-153</p> <hr/> <p style="text-align: center;"><b>CMS Draft Analysis Note</b></p> <p style="text-align: center;"><small>The content of this note is intended for CMS internal use and distribution only</small></p> <hr/> <p style="text-align: right;">2021/02/02 Archive Hash: 43bba85-D Archive Date: 2021/02/02</p> <p style="text-align: center;">Search for new bosons decaying into pairs of muons using Run 2 CMS data</p> <p style="text-align: center;">Sven Dildick<sup>1</sup>, Paul Padley<sup>1</sup>, Wei Shi<sup>1</sup>, Teruki Kamon<sup>2</sup>, Hyunyoung Kim<sup>2</sup>, Alexei Safonov<sup>2</sup>, Tamer Elkafrawy<sup>3</sup>, Marcus Hohlmann<sup>3</sup>, Mehdi Rahmani<sup>3</sup>, and Alfredo Castaneda<sup>4</sup></p> <p style="text-align: center;"><sup>1</sup>Rice University (US) <sup>2</sup>Texas A&amp;M University (US) <sup>3</sup>Florida Institute of Technology (US) <sup>4</sup>University of Sonora (MX)</p> <p style="text-align: center;"><b>Abstract</b></p> <p>A model independent search for pair production of new bosons in parameter space of mass, <math>0.25 &lt; m &lt; 60 \text{ GeV}/c^2</math>, and lifetime, <math>0 &lt; c\tau &lt; 100 \text{ mm}</math>, is reported using events with four muons. The dataset corresponds to <math>59.97 \text{ fb}^{-1}</math> of proton-proton collisions at <math>\sqrt{s} = 13 \text{ TeV}</math> recorded during 2018 by the CMS experiment at the CERN LHC. <b>(Result after unblinding, for example: No excess is observed in the data and...)</b> A model independent upper limit on the product of the cross section, branching fraction, and acceptance is derived. The results are interpreted in the context of several benchmark models, namely, an axion-like particle model, a model for a vector portal to dark matter, the next-to-minimal supersymmetric standard model, and dark SUSY models including those predicting a non-negligible lifetime of the new boson.</p>	<p><b>Thank conveners:</b></p> <p><b>Keti Kaadze</b> <b>Stephane Cooperstein</b></p>	<p style="text-align: right;">CMS PAPER HIG-21-004</p> <hr/> <p style="text-align: center;"><b>DRAFT CMS Paper</b></p> <p style="text-align: center;"><small>The content of this note is intended for CMS internal use and distribution only</small></p> <hr/> <p style="text-align: right;">2021/02/02 Archive Hash: 945e303 Archive Date: 2021/02/02</p> <p style="text-align: center;">Model-independent search for pair production of new bosons decaying into muons in proton-proton collisions at 13 TeV</p> <p style="text-align: center;">The CMS Collaboration</p> <p style="text-align: center;"><b>Abstract</b></p> <p>A model-independent search for pair production of new bosons in a mass range, <math>0.25 &lt; m &lt; 60 \text{ GeV}</math>, and lifetime range, <math>0 &lt; c\tau &lt; 100 \text{ mm}</math>, is reported using events with four muons in the final state. The dataset corresponds to <math>59.97 \text{ fb}^{-1}</math> of proton-proton collisions at <math>\sqrt{s} = 13 \text{ TeV}</math> recorded during 2018 by the CMS experiment at the CERN LHC. <b>(Result after unblinding, for example: No excess is observed in the data and...)</b> A model-independent upper limit on the product of the cross section, branching fraction, and acceptance is derived. The results are interpreted in the context of several benchmark models, namely, an axion-like particle model, a vector portal model, the next-to-minimal supersymmetric standard model, and dark SUSY models including those predicting a non-negligible lifetime of the new boson. In all scenarios, a sizable parameter space is excluded compared with previous results.</p>
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# Layout



1. Experimental Apparatus
2. Construction & Quality Control of GEM Detectors
3. Dark Matter Problem
4. Model-independent Search
5. Vector-portal Model

# Bench-Mark Models

## The Dark Scalar Model

- In this model, the  $Z_D$  particle is produced via kinetic mixing mechanism between the SM  $Z$  and the dark boson  $Z_D$  (gauge boson of a new  $U(1)_D$  symmetry group.)
- The mixing parameter:  $\varepsilon$
- The dark scalar  $s_D$ , a complex scalar field, is assumed to be *not* self-conjugate (Bose symmetry)
- For the purposes of simplicity the branching fraction  $\mathcal{B}$  of  $s_D$  to muons is considered to be 100%. The

- Feynman diagram for this process is shown in Fig. 2 [8, 9]. (Other models in **App. A**)

$$pp \rightarrow Z_D \rightarrow s_D \bar{s}_D \rightarrow \mu^+ \mu^- \mu^+ \mu^-$$

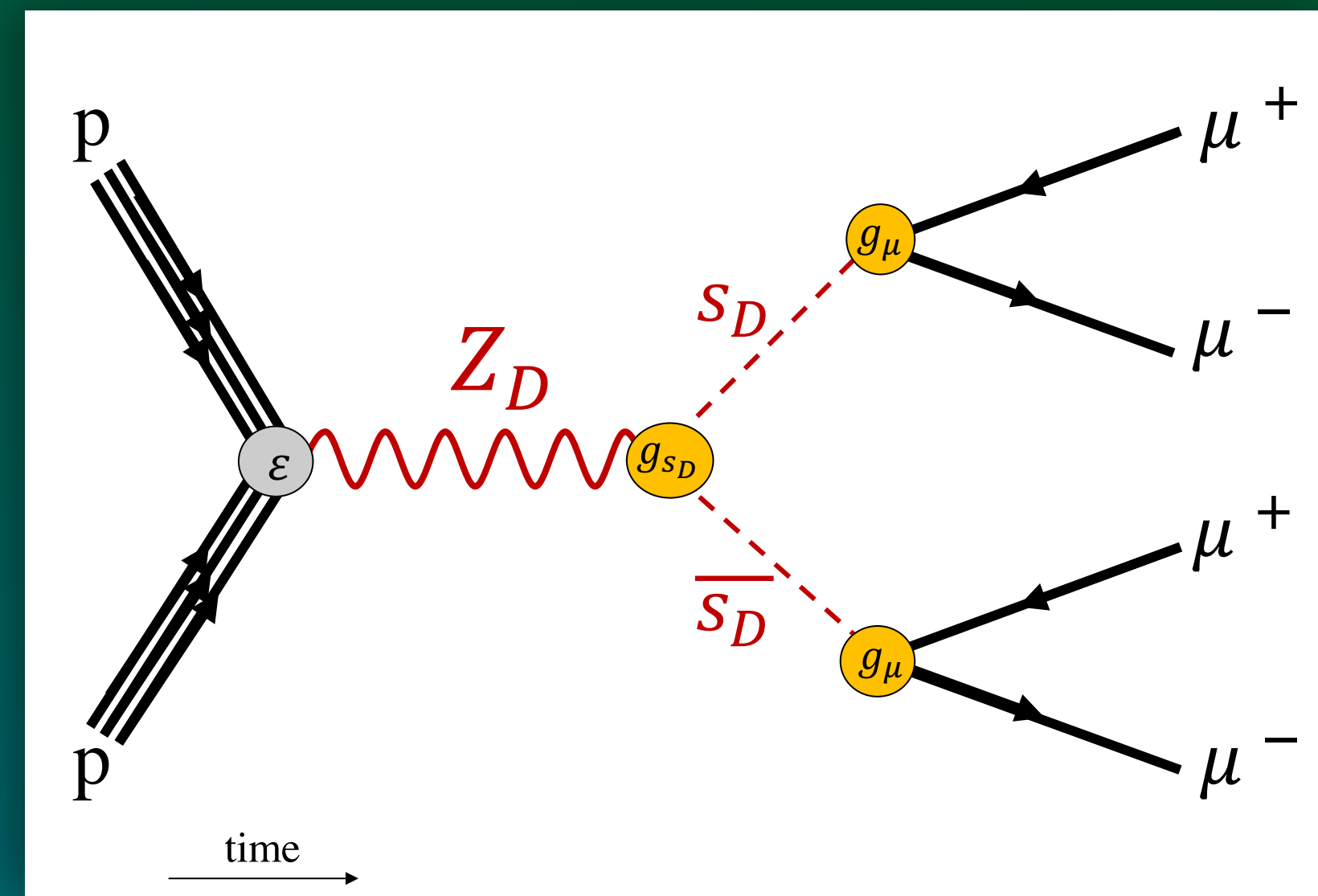


Figure 2:  $Z_D$  decays into a pair of scalar dark matter particles which then each subsequently decay into two oppositely charged muons.

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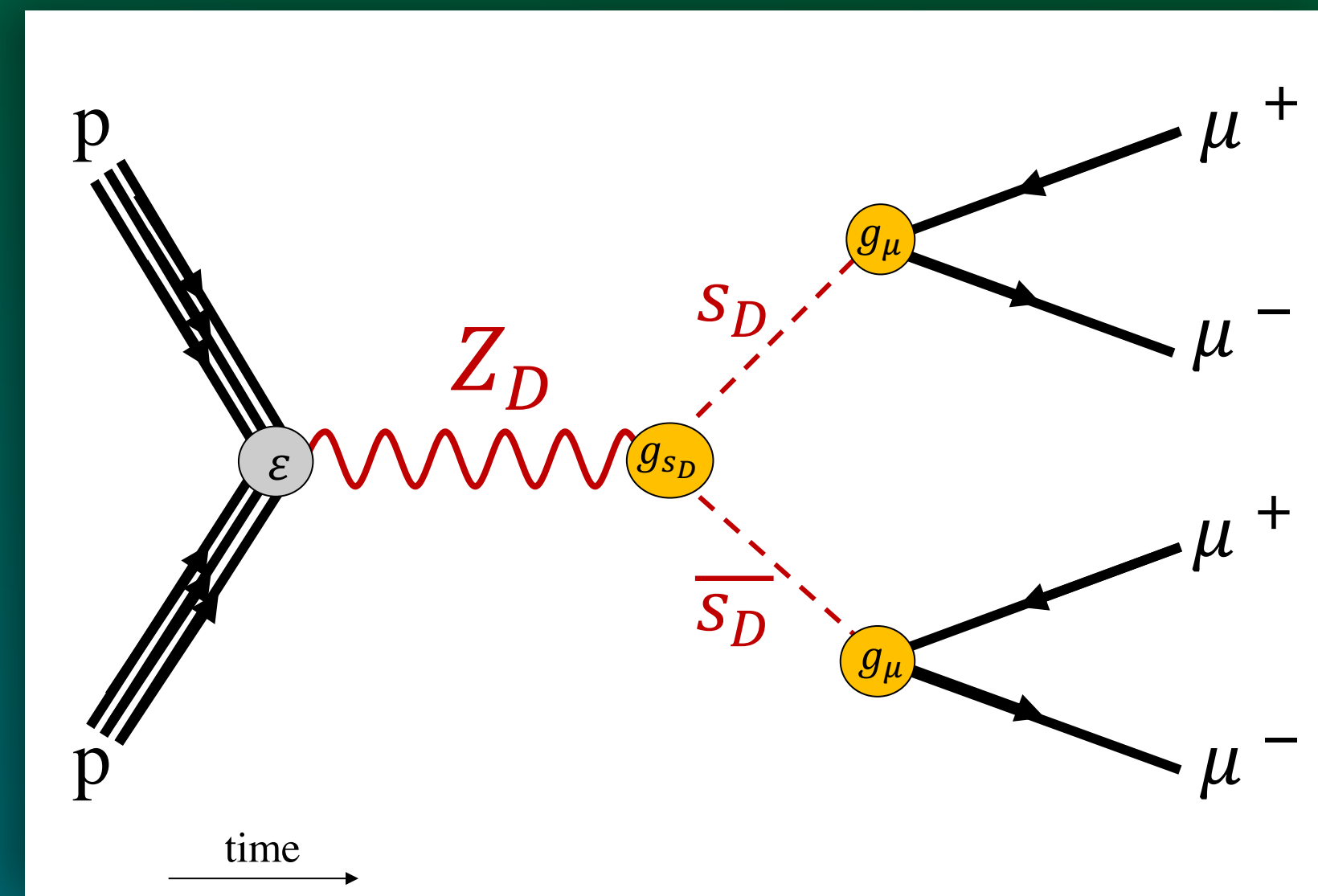


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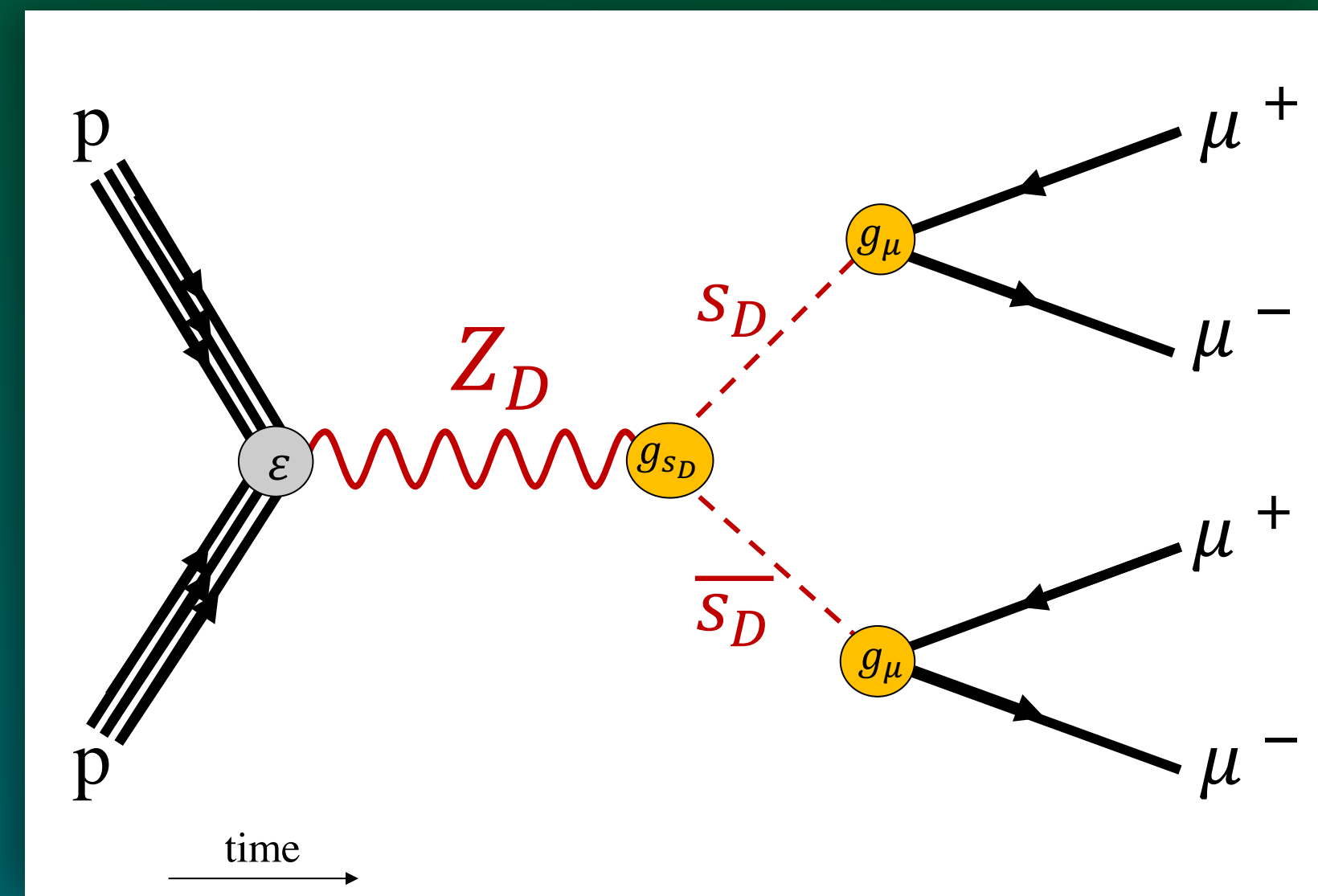


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# Hard Process

## Kinematics of the Model

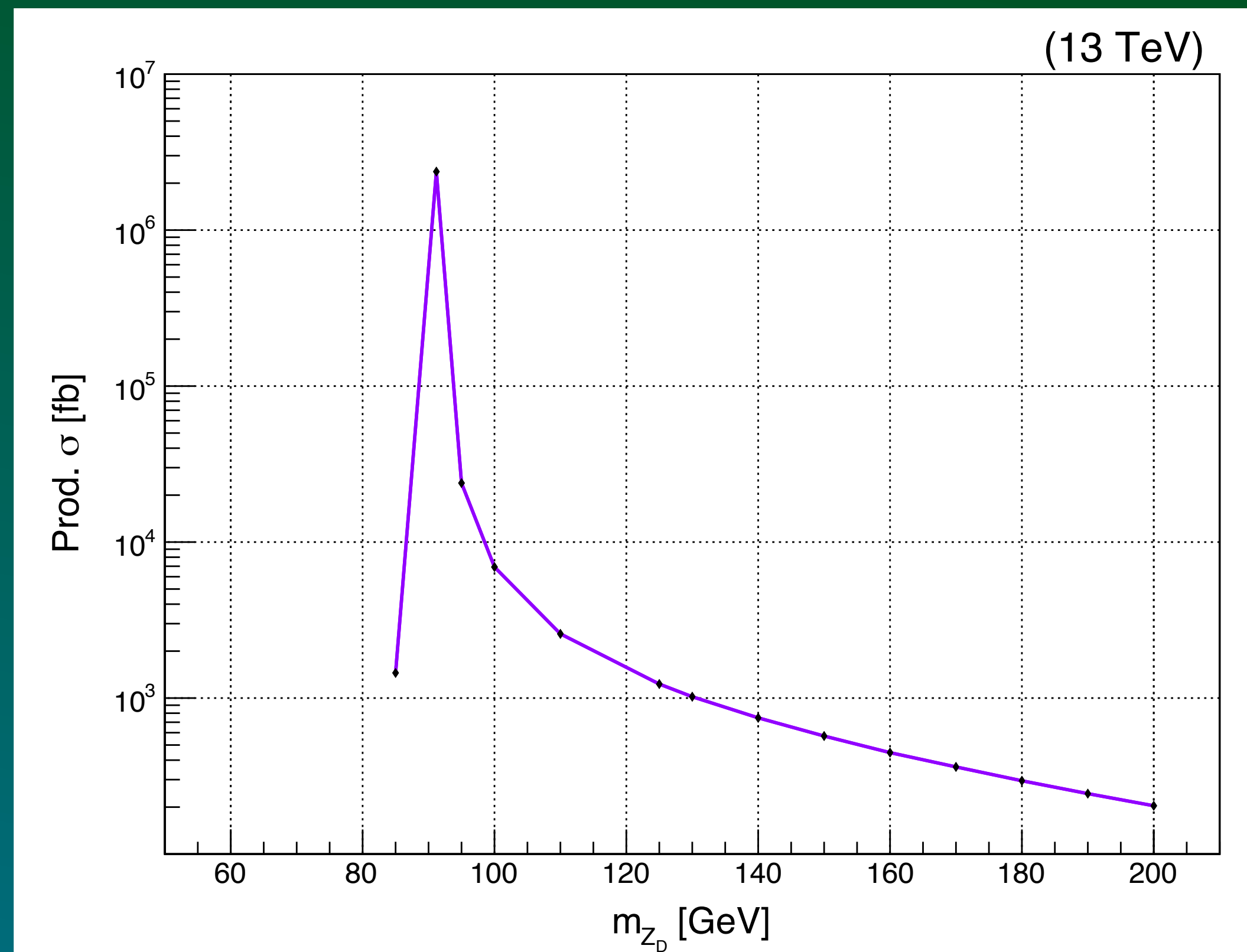


Figure3: A scan of production cross-section for varying mass of  $Z_D$

# Hard Process

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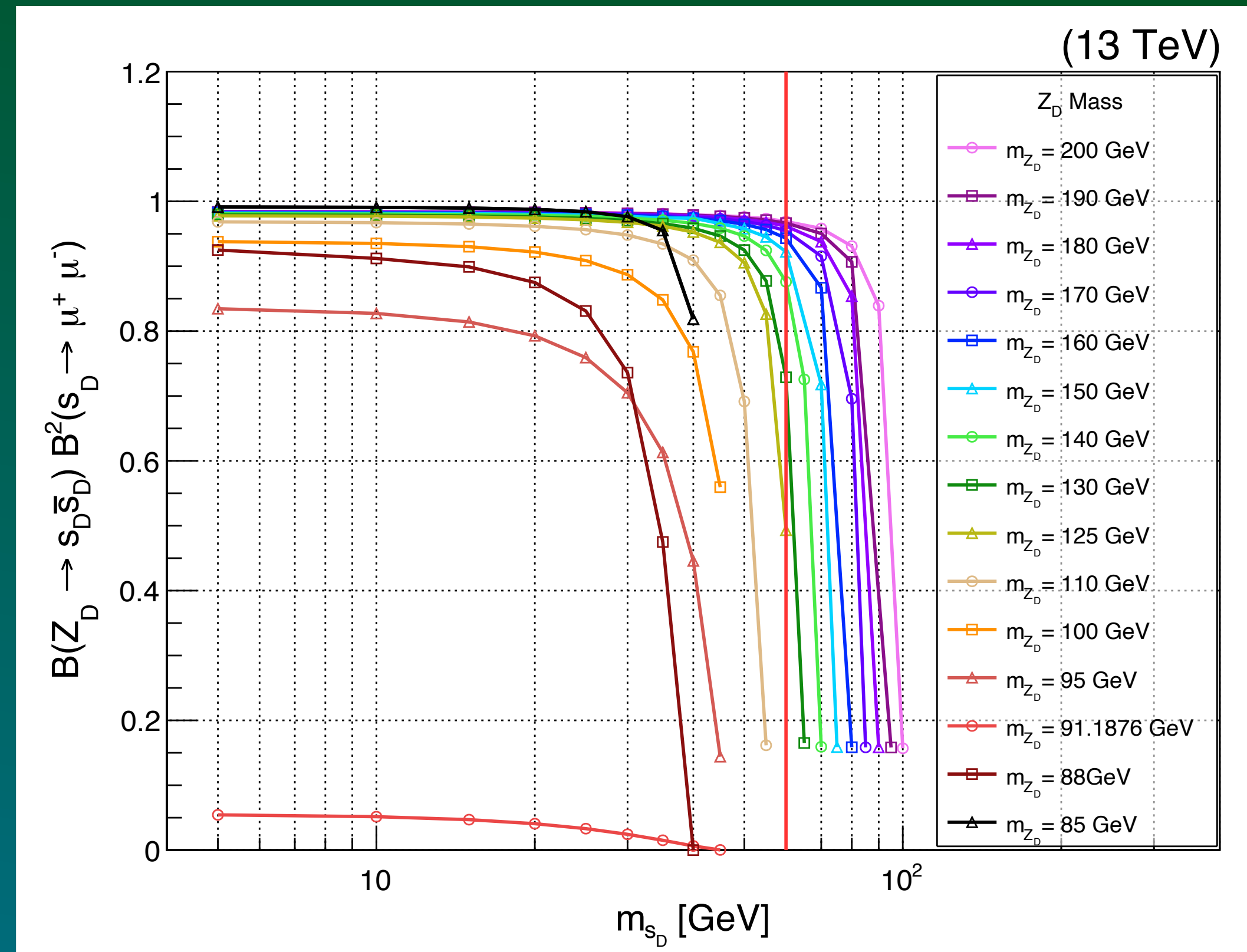


Figure4: A scan of branching fraction for varying mass of  $Z_D$  and  $s_D$



# Hard Process

## Kinematics of the Model

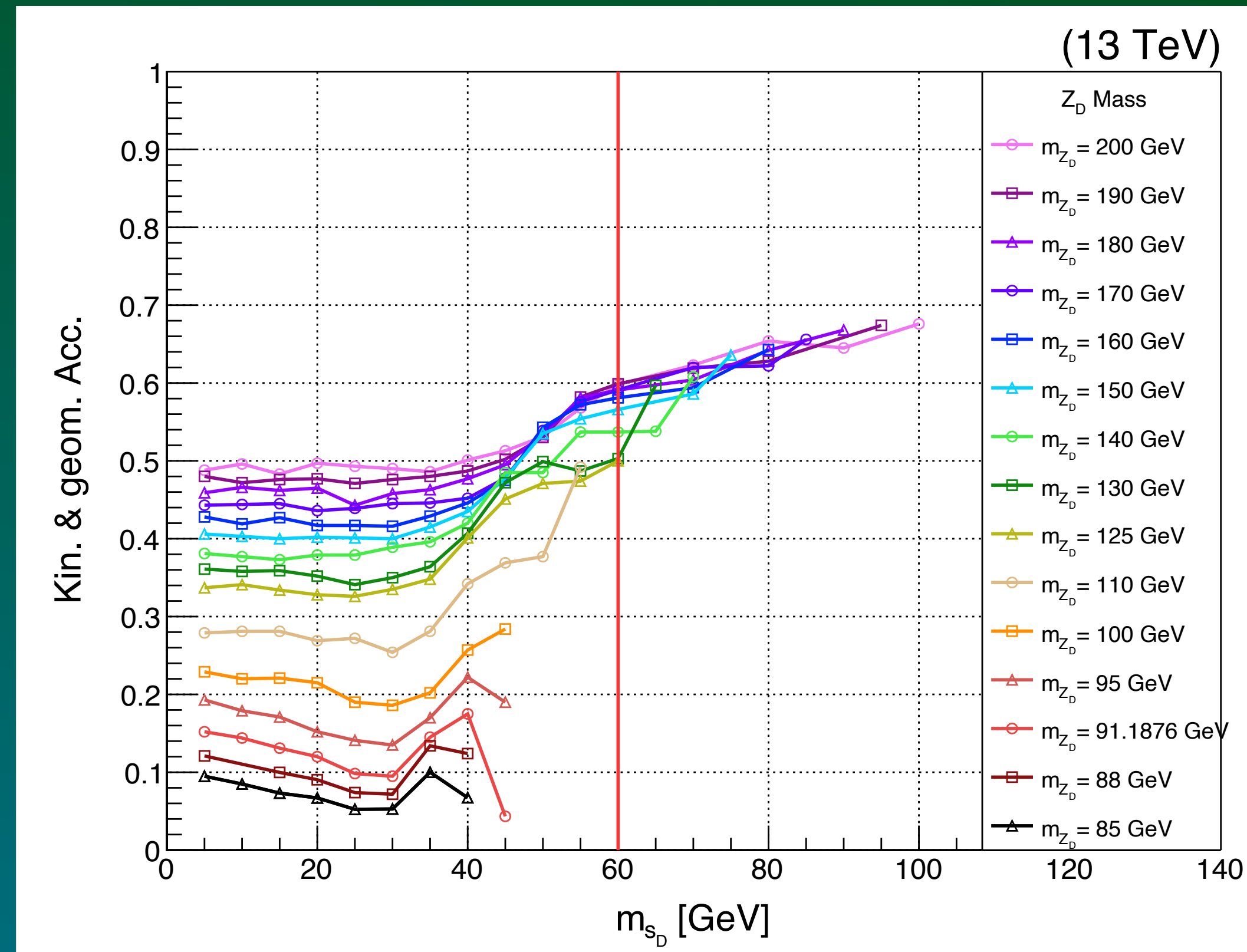


Figure 5: A scan of geometrical and kinematic acceptance of the muon selection for varying mass of  $Z_D$  and  $s_D$

# Hard Process

## Kinematics of the Model

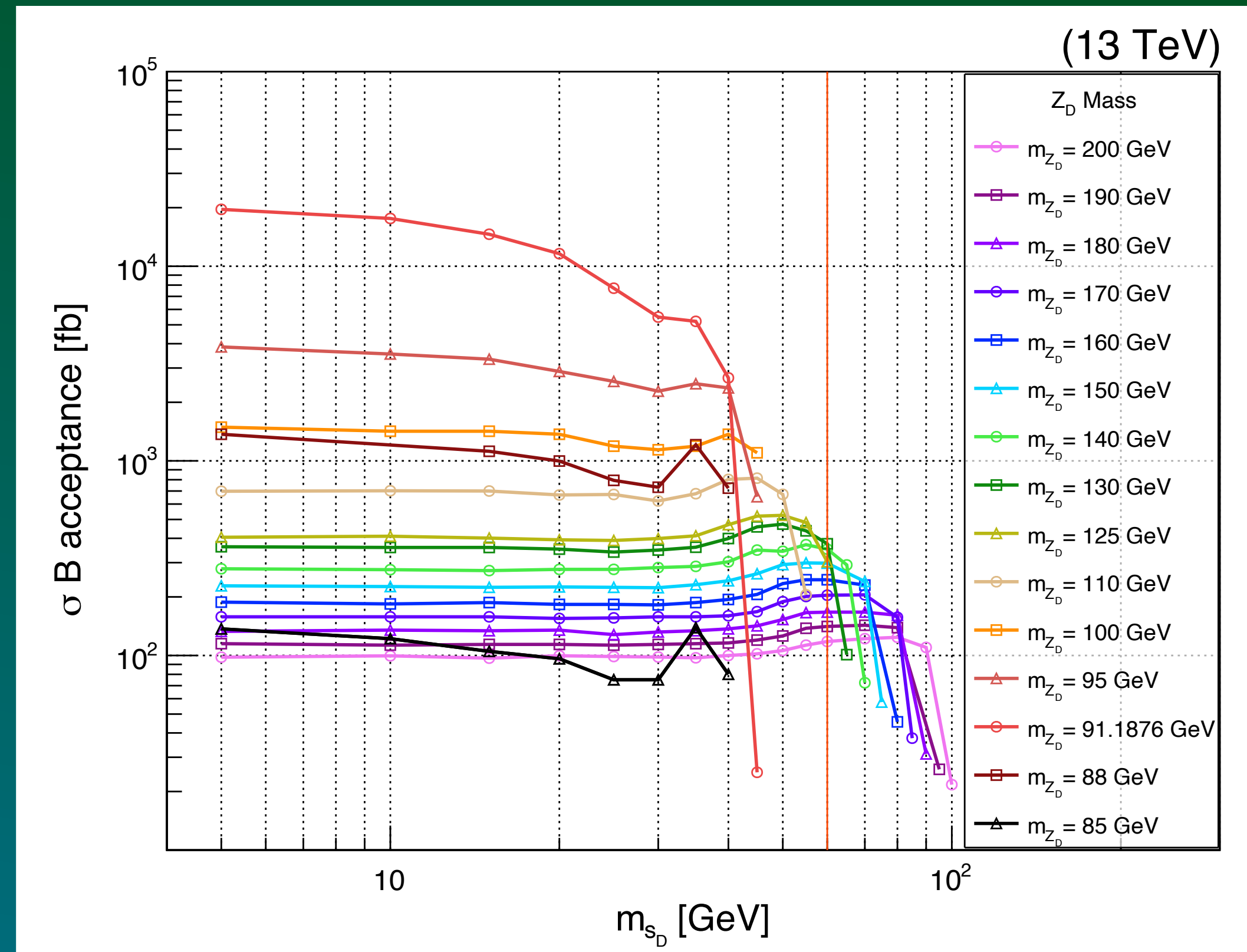


Figure6: Multiplication production cross-section, branching fraction, and acceptance as an indication of sensitivity for varying mass of ZD and sD

# Layout



1. Experimental Apparatus
2. Construction & Quality Control of GEM Detectors
3. Dark Matter Problem
4. Model-independent Search
5. Samples & Selection



# Samples

## Monte-Carlo Simulation & Data

### MC Simulation

Simulation Process	Description
Model Implementation	Feynrules
Hard Scattering Simulation	amc@nlo v2.6.5
Parton showering	PYTHIA 8
Hadronization, detector response, &	CMSSW 10 2 X

### 2018 Data

Dataset Labels	Number of
/DoubleMuon/Run2018A-17Sep2018-v2/	75 499 908
/DoubleMuon/Run2018B-17Sep2018-v1/	35 057 758
/DoubleMuon/Run2018C-17Sep2018-v1/	34 565 869
/DoubleMuon/Run2018D-PromptReco-v2/	169 225 355
Total	314 348 890



# Analysis

## Trigger and Muon Selection

### Trigger Paths

HLT\_DoubleL2Mu23NoVtx\_2Cha

HLT\_Mu18\_Mu9\_SameSign

HLT\_TrkMu12\_DoubleTrkMu5NoFiltersNoVtx,

HLT\_TripleMu\_12\_10\_5

For more on triggers see App. D

### Muon selection

slimmedMuons in MiniAOD

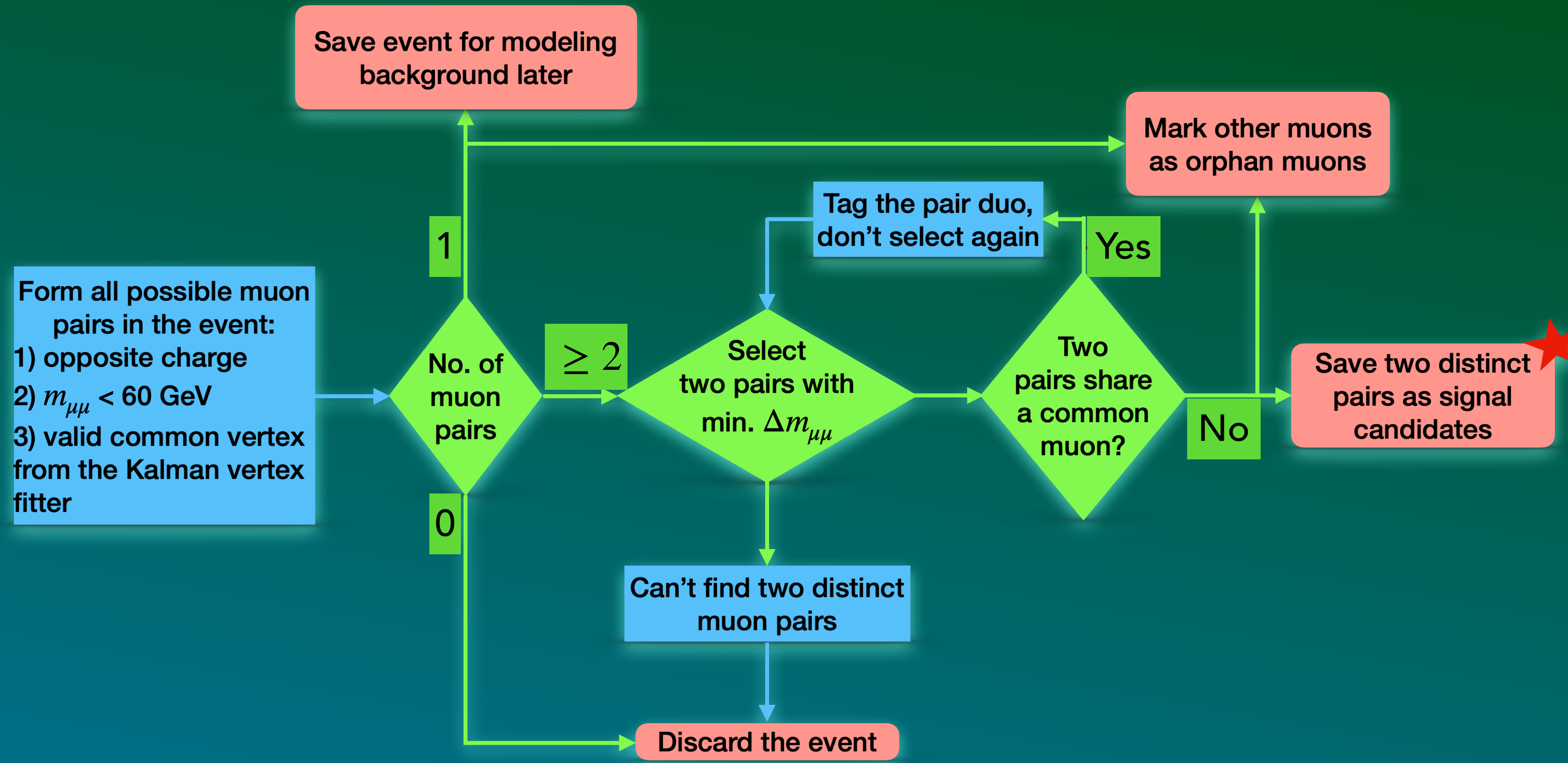
PF Loose muon ( $\geq 3$ ) + standalone-only (SA) muon

Two muons:  $p_T > 24$  GeV,  $|\eta| < 2$

Four muons:  $p_T > 8$  GeV,  $|\eta| < 2.4$

# Analysis

## Muon Pairing





# Analysis

## High-Level Selection

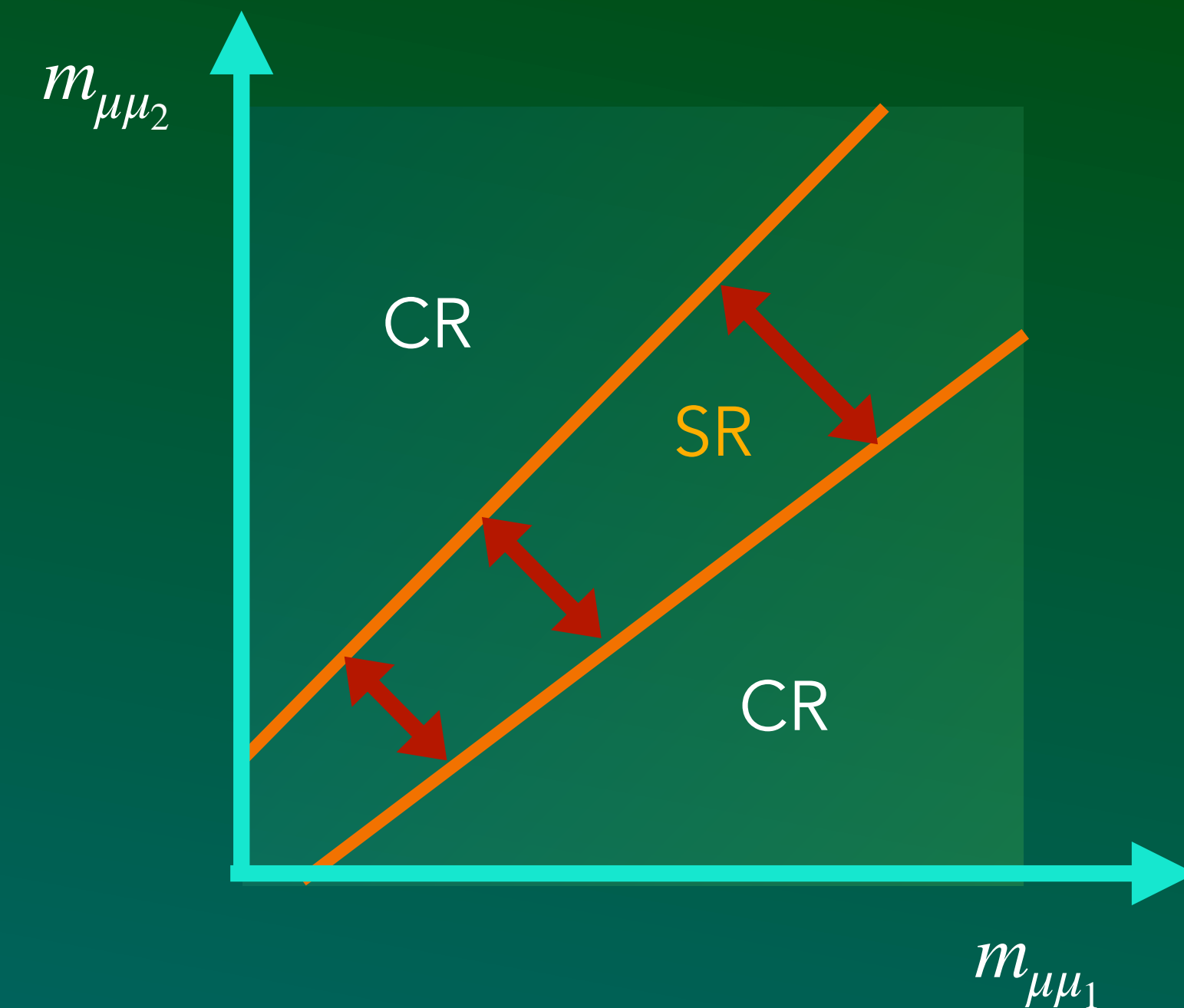
Selection	Description
Pixel Hit	Valid pixel hit for at least one muon in the muon pair: $L_{xy} < 16$ cm, $L_z < 51.6$ cm (See App. E)
Dimuon Vertex	Fit dimuon vertex of each muon pair using KalmanVertexFitter, $P_{\mu\mu} > P(L_{xy}, f(\Delta R), N_{SA-\mu})$ (See App. E)
Mass Window	Two signal dimuon required to have consistent invariant mass (See App. E)

# Mass Window

## Defining Control and Signal Regions

- Since the muon pairs are produced from supposedly the **same scalars** with **consistent masses**, the invariant mass of muon pairs should be consistent as well
- Conventional way of defining a mass consistency window:
  - The **width** of the SR window is adjusted by the **di-muon mass reconstruction resolution** eg., a Gaussian fit to the di-muon mass and the standard deviation  $3\sigma$  would result in  $\sim 99\%$  signal efficiency
  - This method **does not** work for **higher masses** ( $\gtrsim 10$  GeV)
  - Higher mass: radiative **non-gaussian tails**
- Instead we define the **window width** by the **efficiencies** that we desire: 90%

$$m_1 - m_2 = f\left(\frac{m_1 + m_2}{2}\right)$$



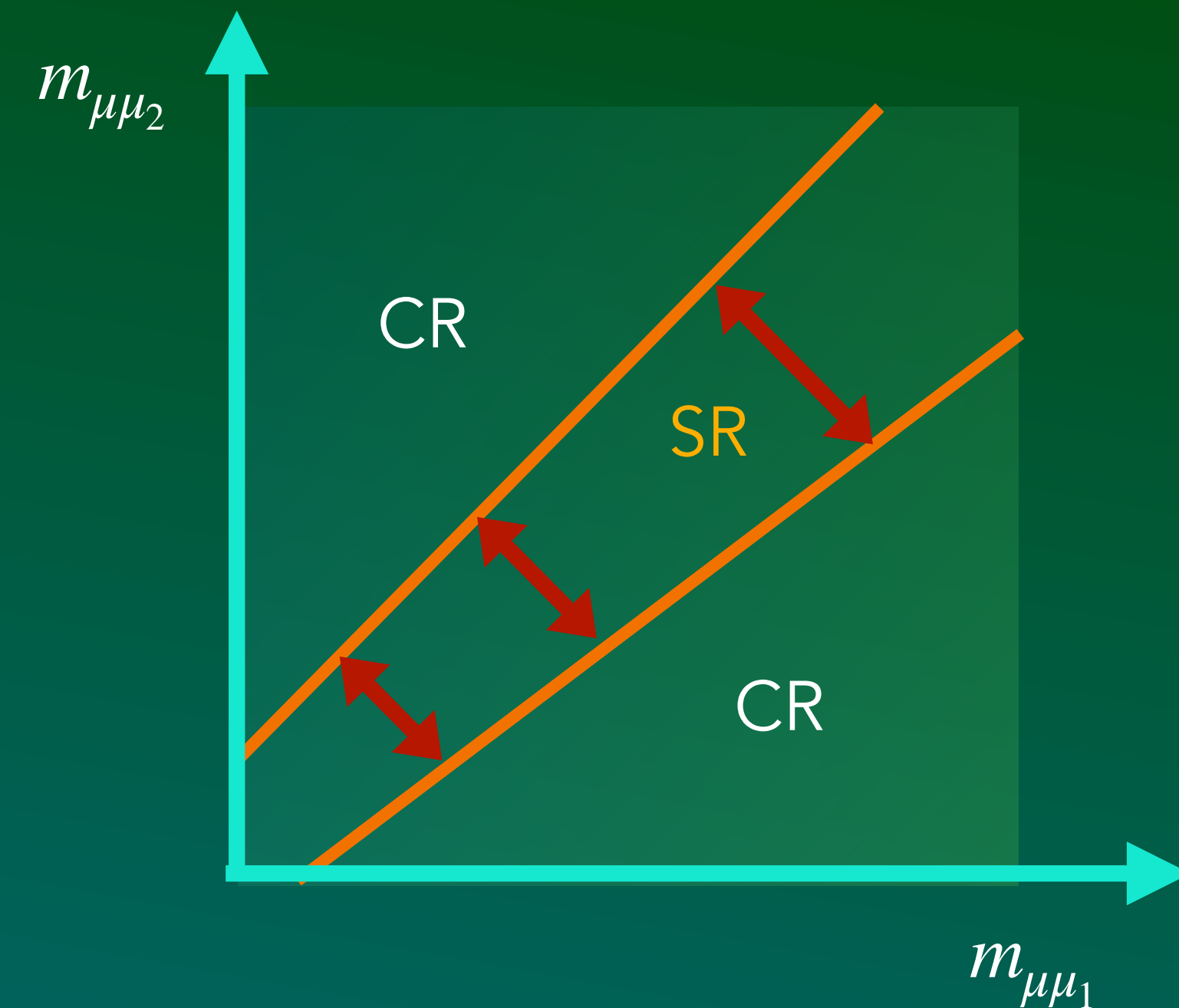
For more on mass window cut see App. E



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- Since the muon pairs are produced from supposedly the **same scalars** with **consistent masses**, the invariant mass of muon pairs should be consistent as well
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  - The **width** of the SR window is adjusted by the **di-muon mass reconstruction resolution** eg., a Gaussian fit to the di-muon mass and the standard deviation  $3\sigma$  would result in  $\sim 99\%$  signal efficiency
  - This method **does not** work for **higher masses** ( $\gtrsim 10$  GeV)
  - Higher mass: radiative **non-gaussian tails**
- Instead we define the **window width** by the **efficiencies** that we desire: 90%



For more on mass window cut see App. E

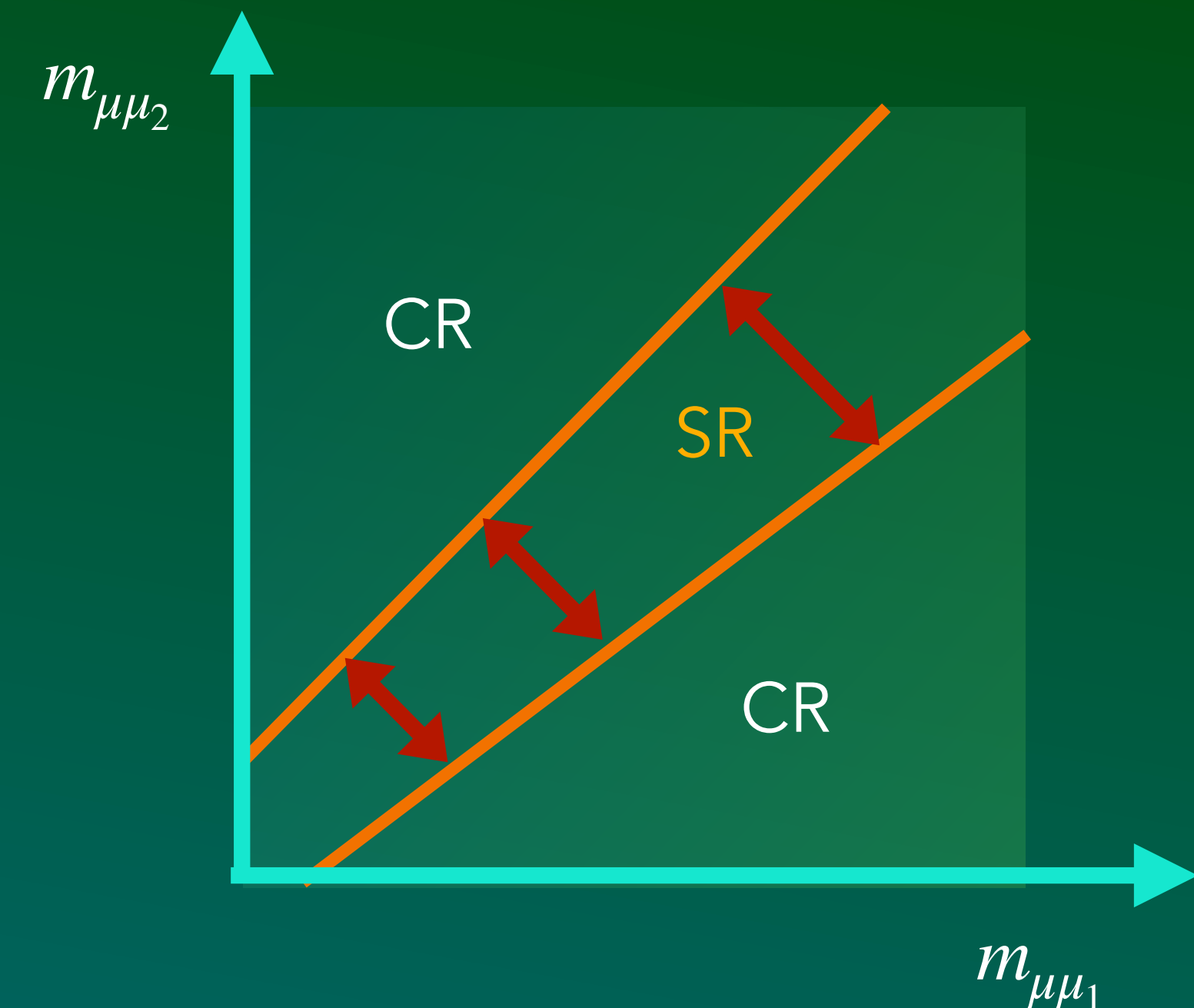
$$m_1 - m_2 = f\left(\frac{m_1 + m_2}{2}\right)$$

# Mass Window

## Defining Control and Signal Regions

- Since the muon pairs are produced from supposedly the **same scalars** with **consistent masses**, the invariant mass of muon pairs should be consistent as well
- Conventional way of defining a mass consistency window:
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$$m_1 - m_2 = f\left(\frac{m_1 + m_2}{2}\right)$$



For more on mass window cut see App. E

# Model-Independence Performance

## Generator v.s. Reco Efficiency

- Model independent ratio:  $\epsilon_{Full}/\alpha_{Gen}$ 
  - $\alpha_{Gen}$  : generator level acceptance
    - 4 gen-muons  $p_T$  and  $\eta$  selection + fiducial cuts
  - $\epsilon_{Full}$ : full analysis efficiency
    - 4 reco-muons  $p_T$  and  $\eta$  selection + fiducial cuts+ full selection
- Constant  $\epsilon_{Full}/\alpha_{Gen}$  indicates that the model performance is independent of its parameters
- Average  $\epsilon_{Full}/\alpha_{Gen} = 0.418$ , is consistent with other benchmark models in the analysis

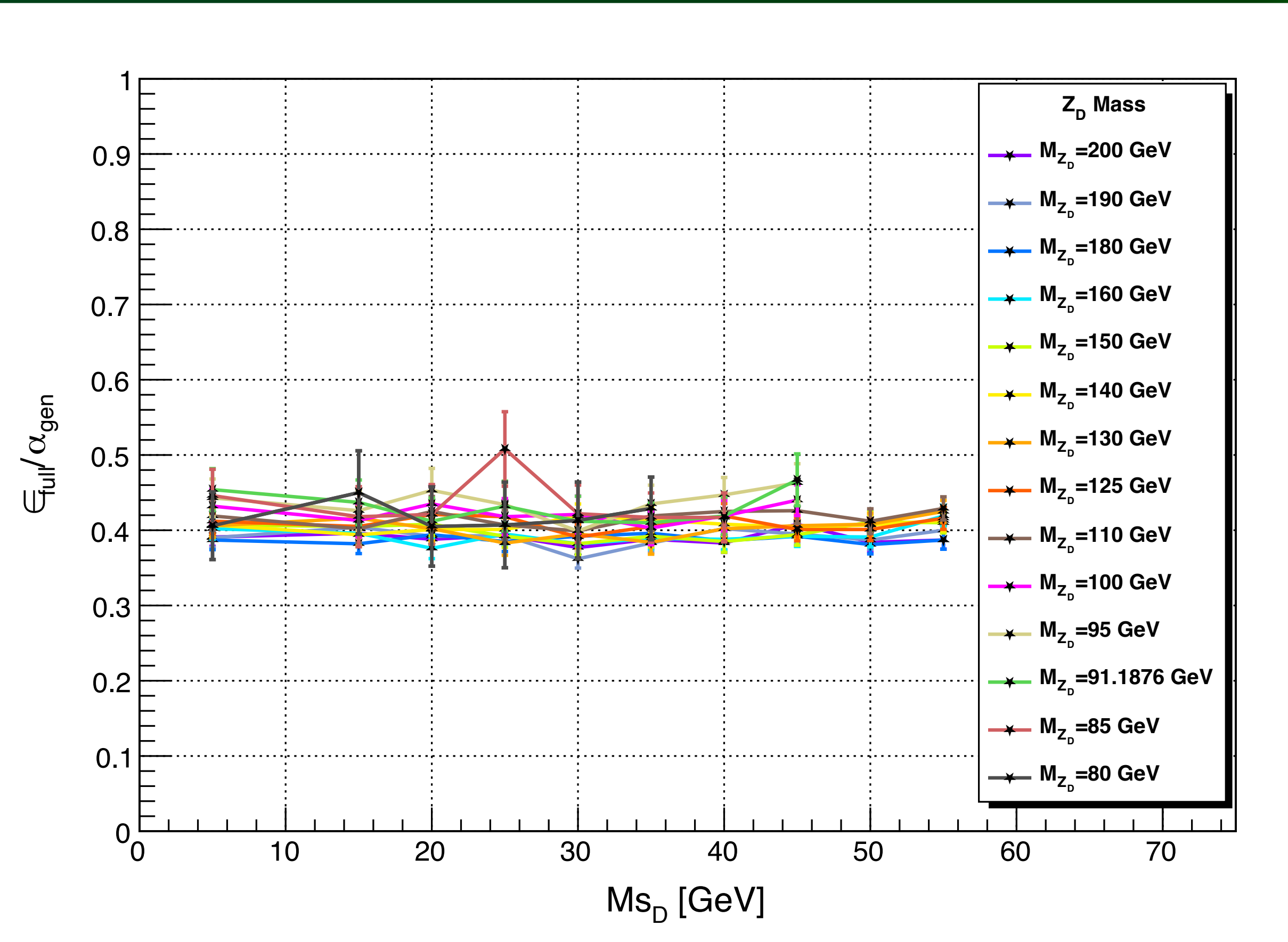


Figure 4: Total selection efficiency over generator level selection acceptance,  $\epsilon_{Full}/\alpha_{gen}$  as a function of the  $s_D$  mass for various  $Z_D$  masses in the vector portal model. The KM parameter,  $\epsilon$ , is  $10^{-2}$ .

# Layout



1. Experimental Apparatus
2. Construction & Quality Control of GEM Detectors
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4. Model-independent Search
5. Samples & Selection
6. Background Estimation

# Background Estimation

## Below Upsilon ( $\Upsilon$ ) Resonances (0.25-9 GeV)

- Dominated by QCD multi-jet processes, especially contributions from  $b\bar{b}$
- Double semi-leptonic decay or decay via resonances ( $\eta, \omega, \phi, J/\psi(1S), \psi(2S)$ )
- Data driven (2018 DoubleMuon): because, MC for QCD processes are limited
- Construct 2D background templates, based on 1D MC distributions and fitting them  $\rightarrow f(m_{\mu\mu_1}) \otimes f(m_{\mu\mu_2})$ . (See **App. B**)
- Estimate the number of background events in the signal region

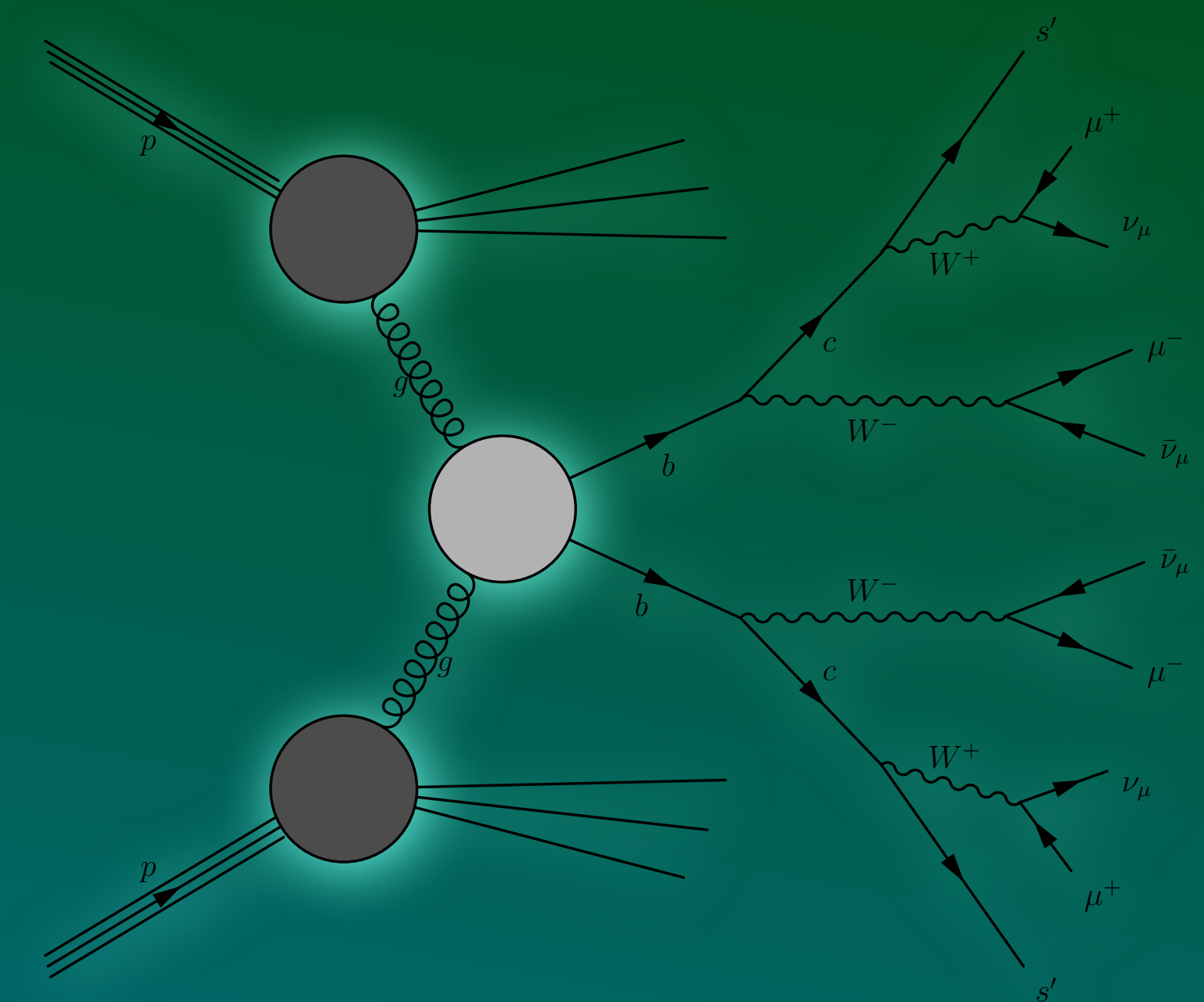


Figure 5: Double semi-leptonic  $b\bar{b}$  decays

# Background Estimation

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- Estimate the number of background events in the signal region

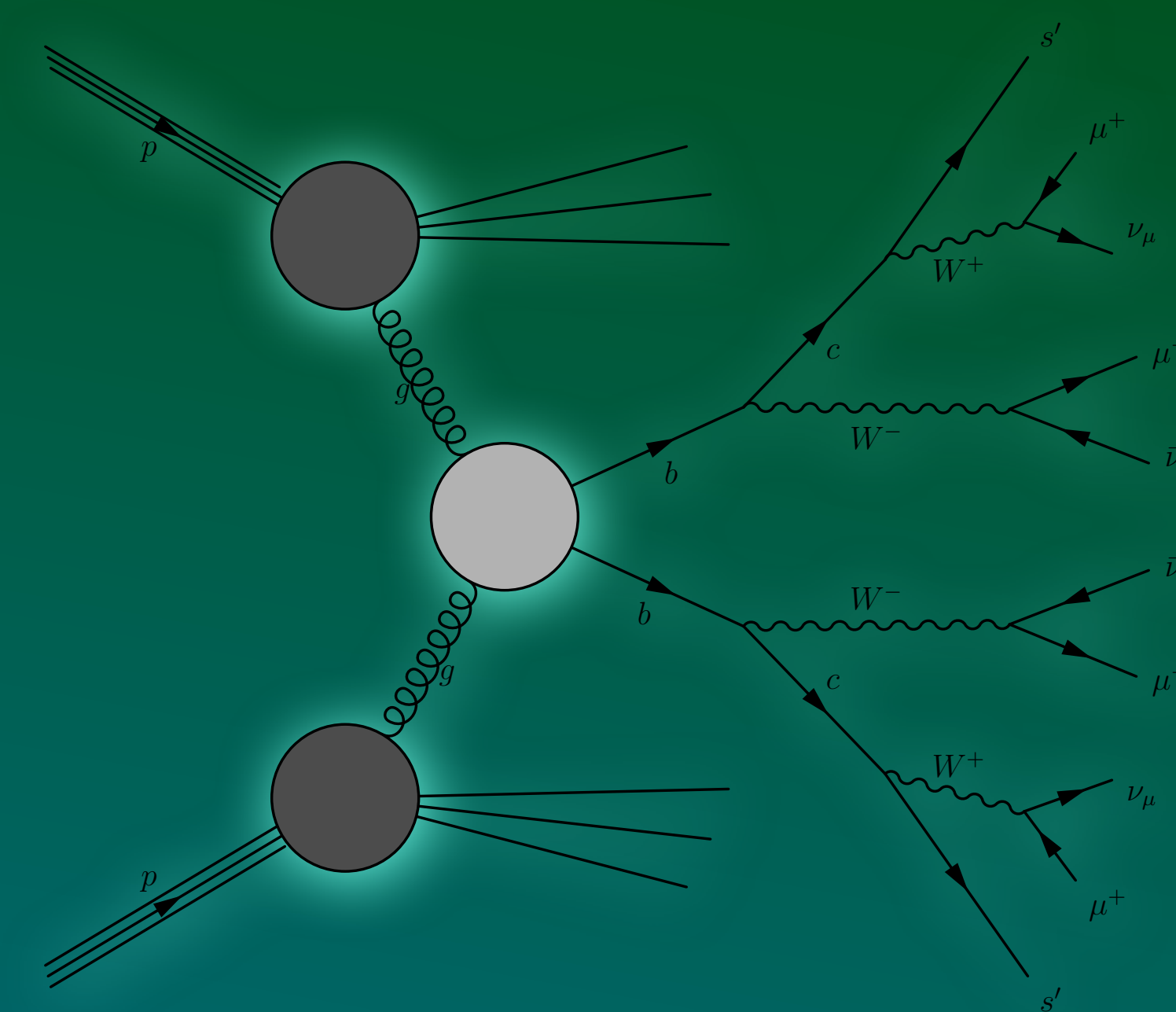


Figure5: Double semi-leptonic  $b\bar{b}$  decays

# Background Estimation

## Below Upsilon ( $\Upsilon$ ) Resonances (0.25-9 GeV)

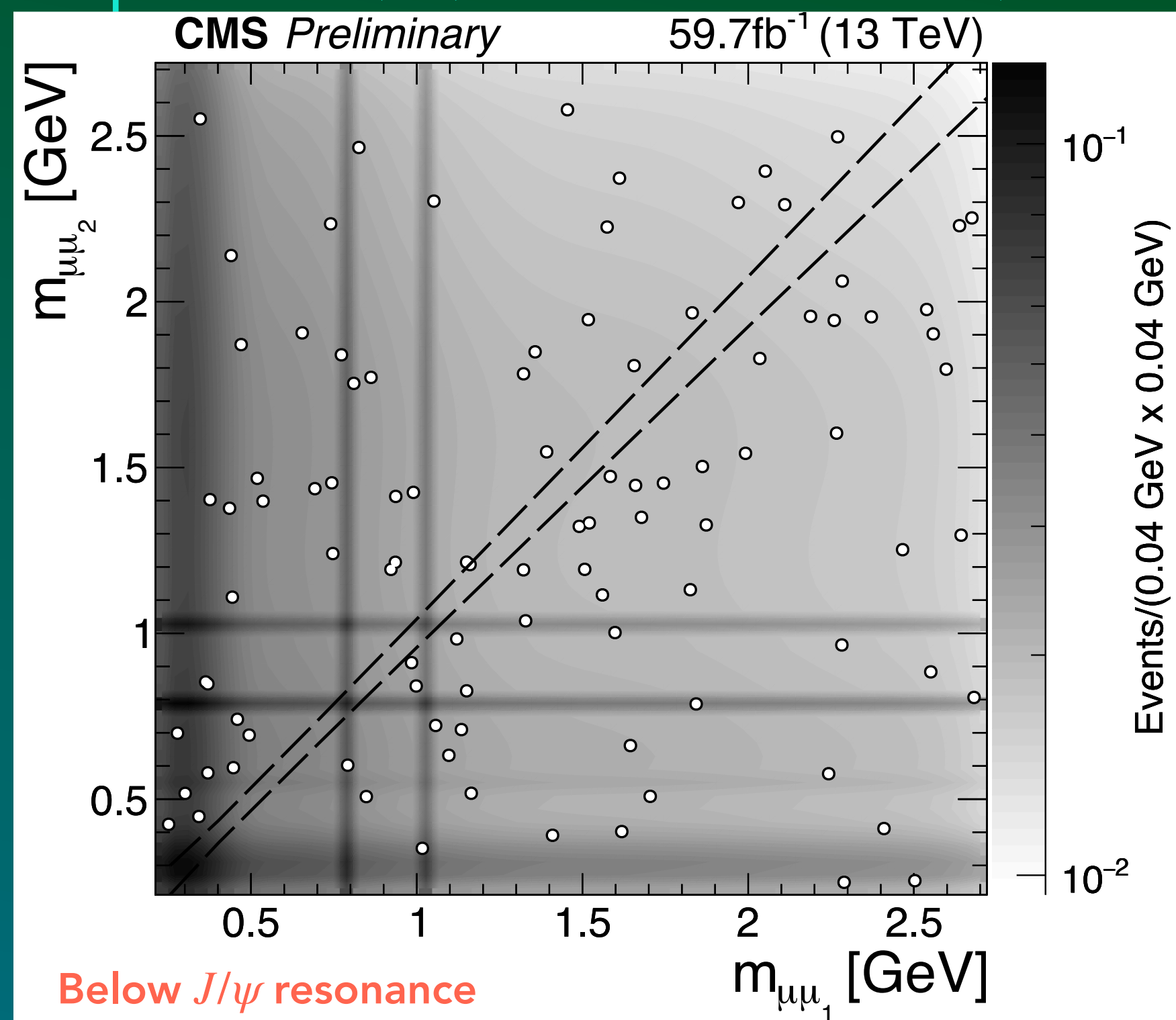


Figure6: 2D QCD background template + data at the CR

- 2D template integral SR/CR = 0.043/0.969
- 2-dimu events at CR: 98 (SR remain blinded)
- Estimated BKG events at SR: **4.34 +/- 0.44** (stat.)

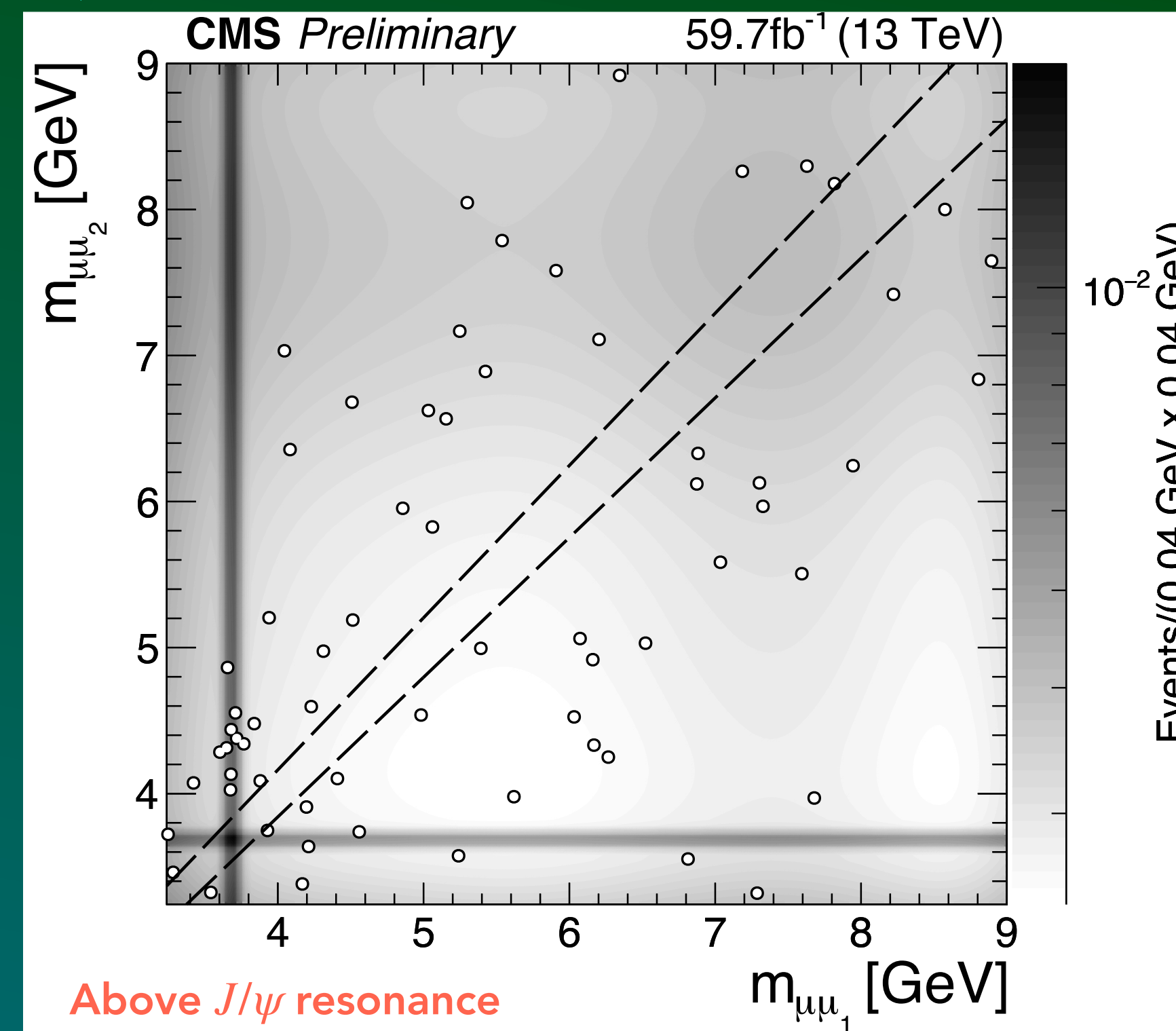


Figure7: 2D QCD background template + data at the CR

- 2D template integral SR/CR = 0.035/0.965
- 2-dimu events at CR: 66 (SR remain blinded)
- Estimated BKG events at SR: **6.16 +/- 0.76** (stat.)

# Background Estimation

## Above Upsilon ( $\Upsilon$ ) Resonances (11-60 GeV)

- QED radiated high-energy photons produces muon pairs, each muon is then paired with Drell-Yan (DY) single muons which mimics our di-muon signal
- Reject the events with QED background
- Alternative pairing: pair the QED radiated muon with the DY muon
- Reject the event if:
  - Alternative pairing trailing mass  $< 3$  GeV
  - Alternative pairing trailing  $\Delta R < 0.2$

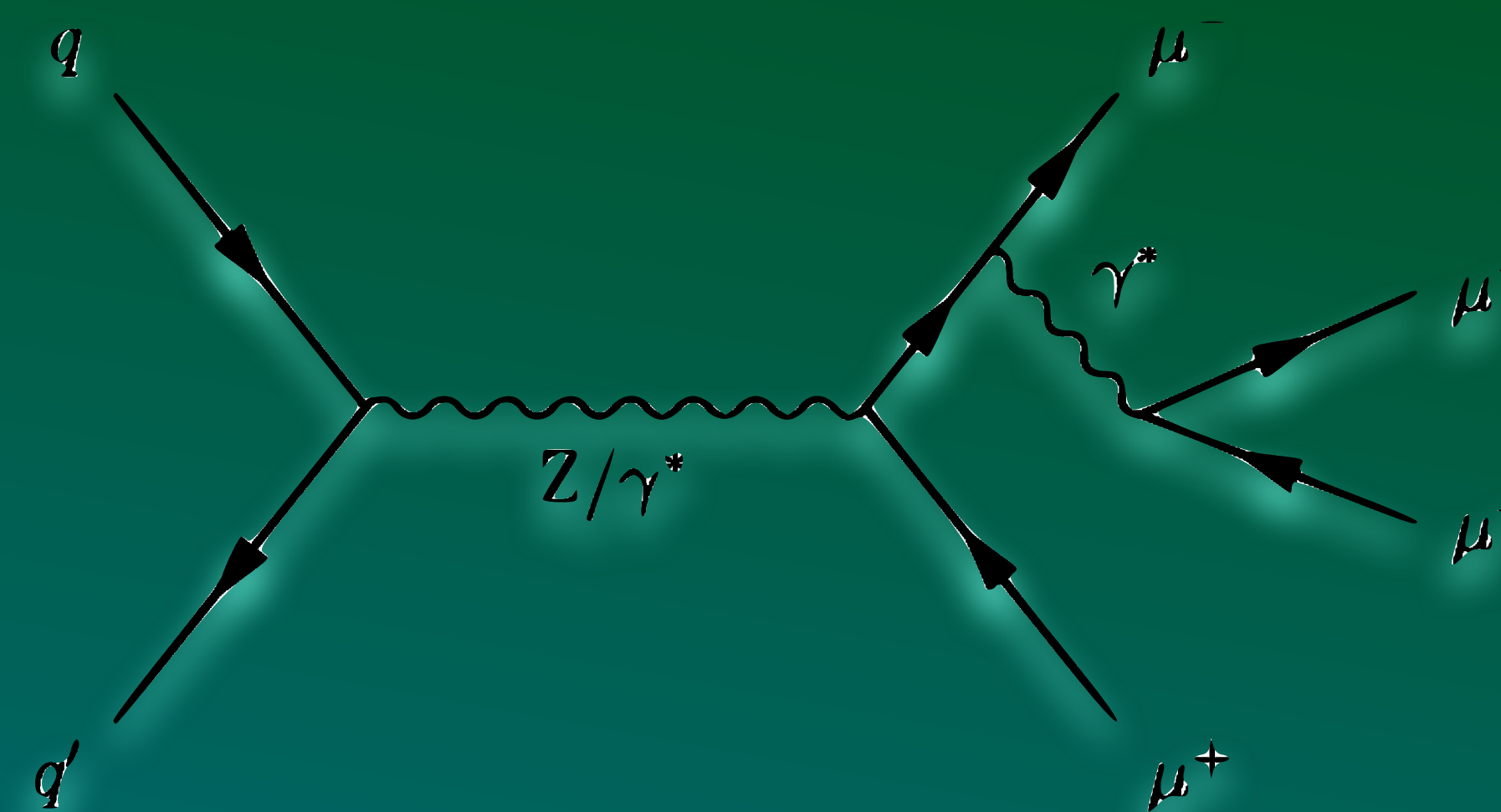


Figure8: The Feynman diagram for QED radiation in DY process. The pairing of the muon decaying in the DY with muon decaying from the QED radiation mimics our signal



# Background Estimation

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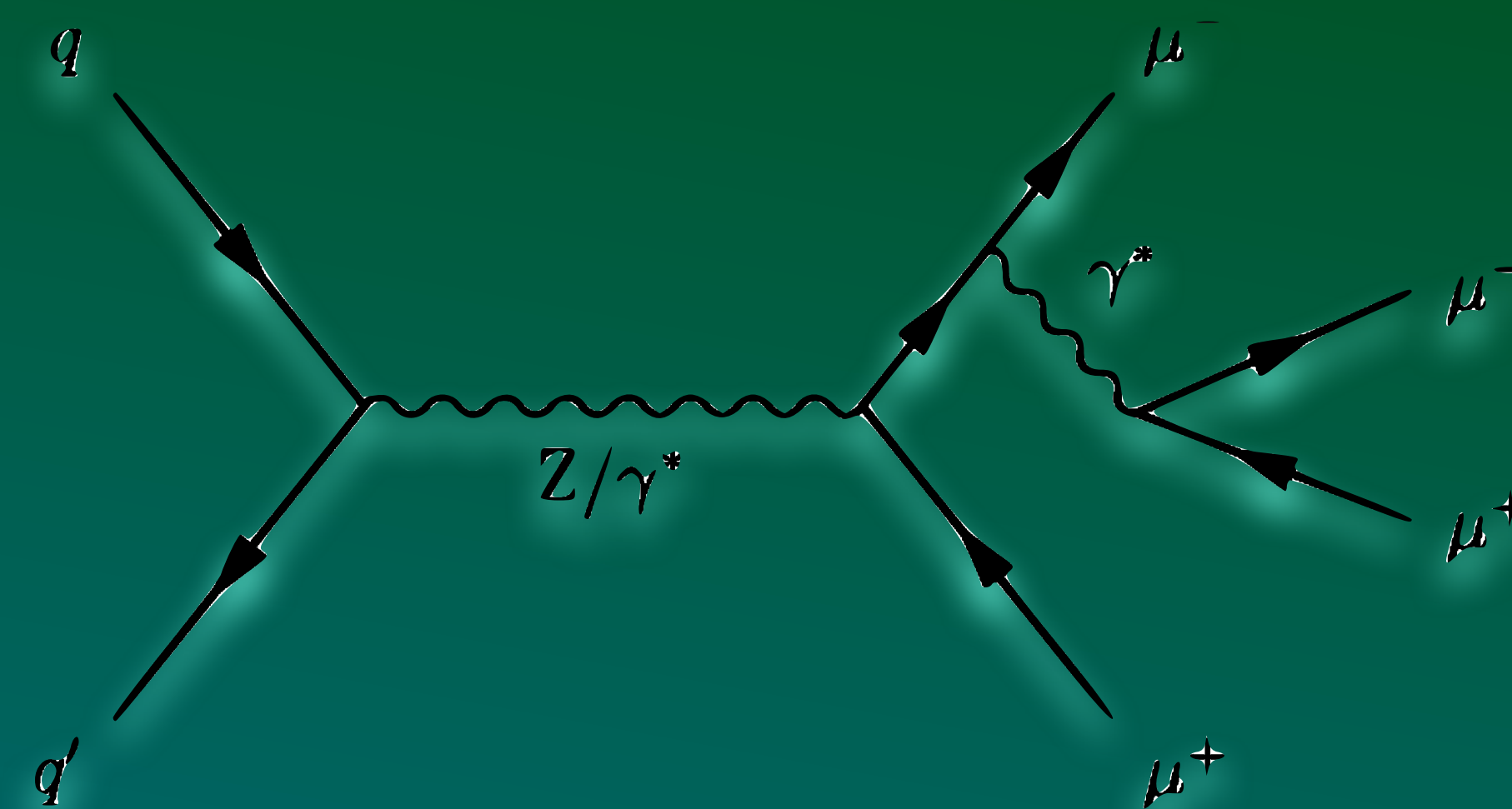


Figure8: The Feynman diagram for QED radiation in DY process. The pairing of the muon decaying in the DY with muon decaying from the QED radiation mimics our signal

# Background Estimation

## Above Upsilon ( $\Upsilon$ ) Resonances (11-60 GeV) - Control Region

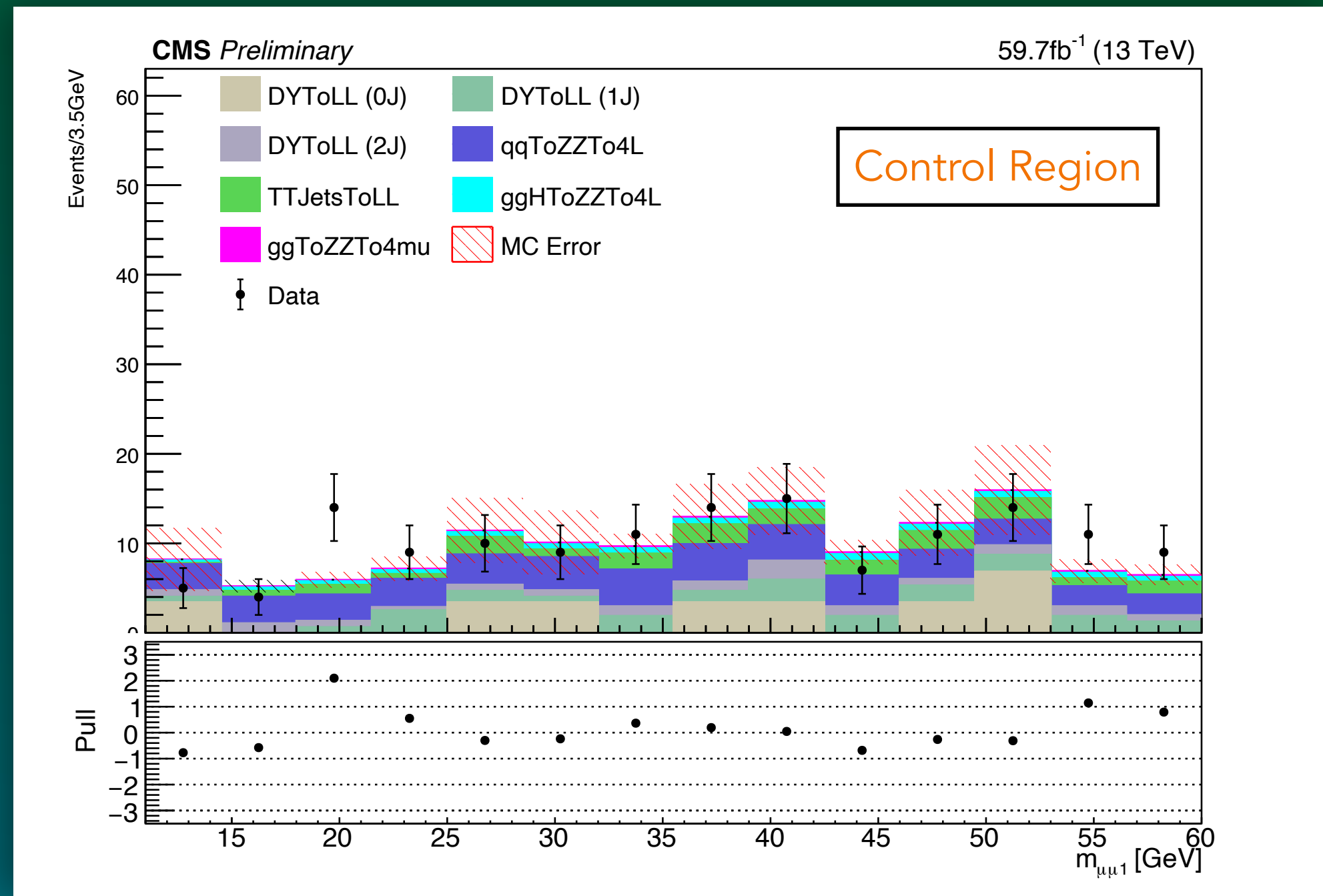


Figure9: MC simulation compared with the data in control region for muon pair 1.

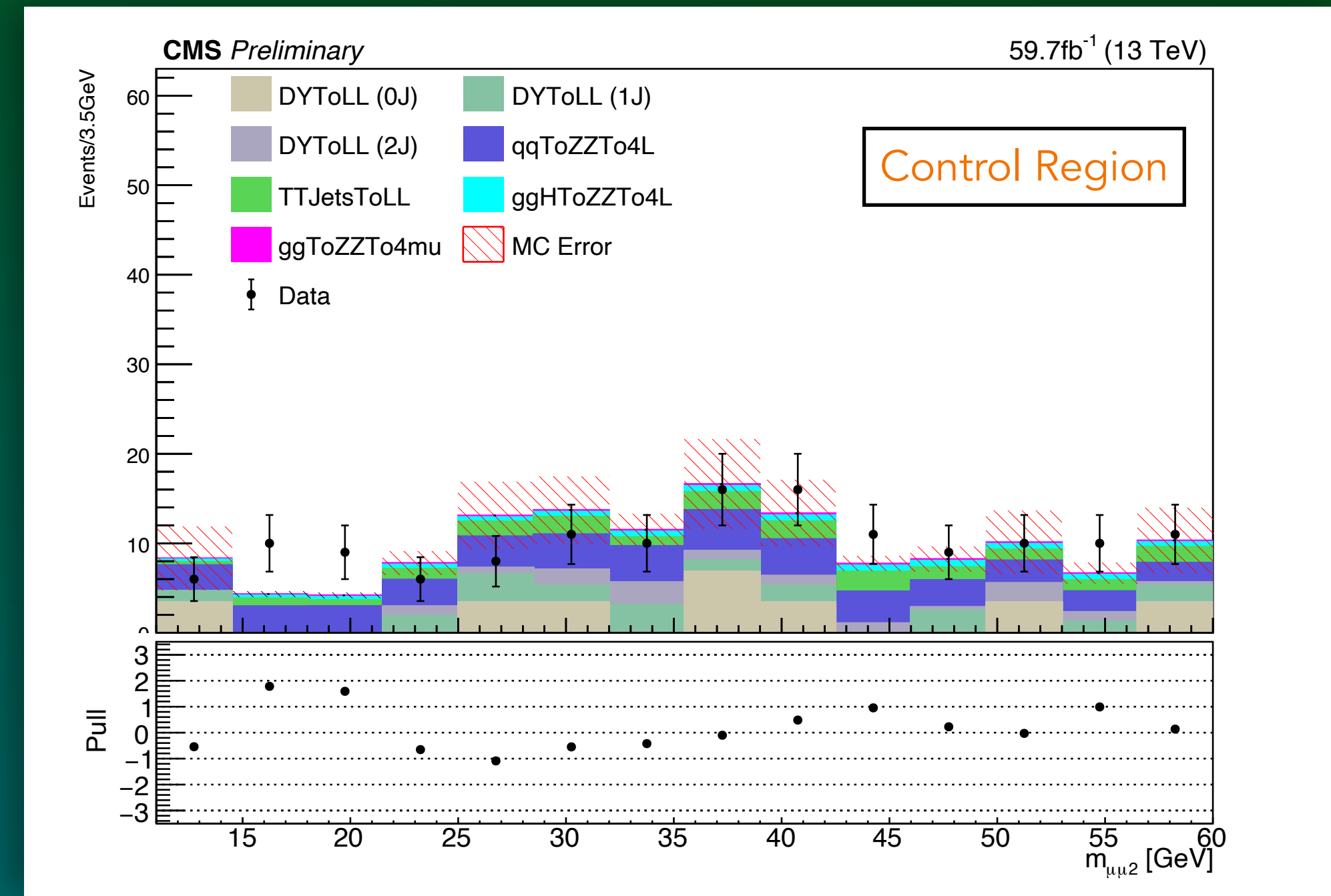


Figure10: MC simulation compared with the data in control region for muon pair 2.

# Background Estimation

## Above Upsilon ( $\Upsilon$ ) Resonances (11-60 GeV) - Control Region

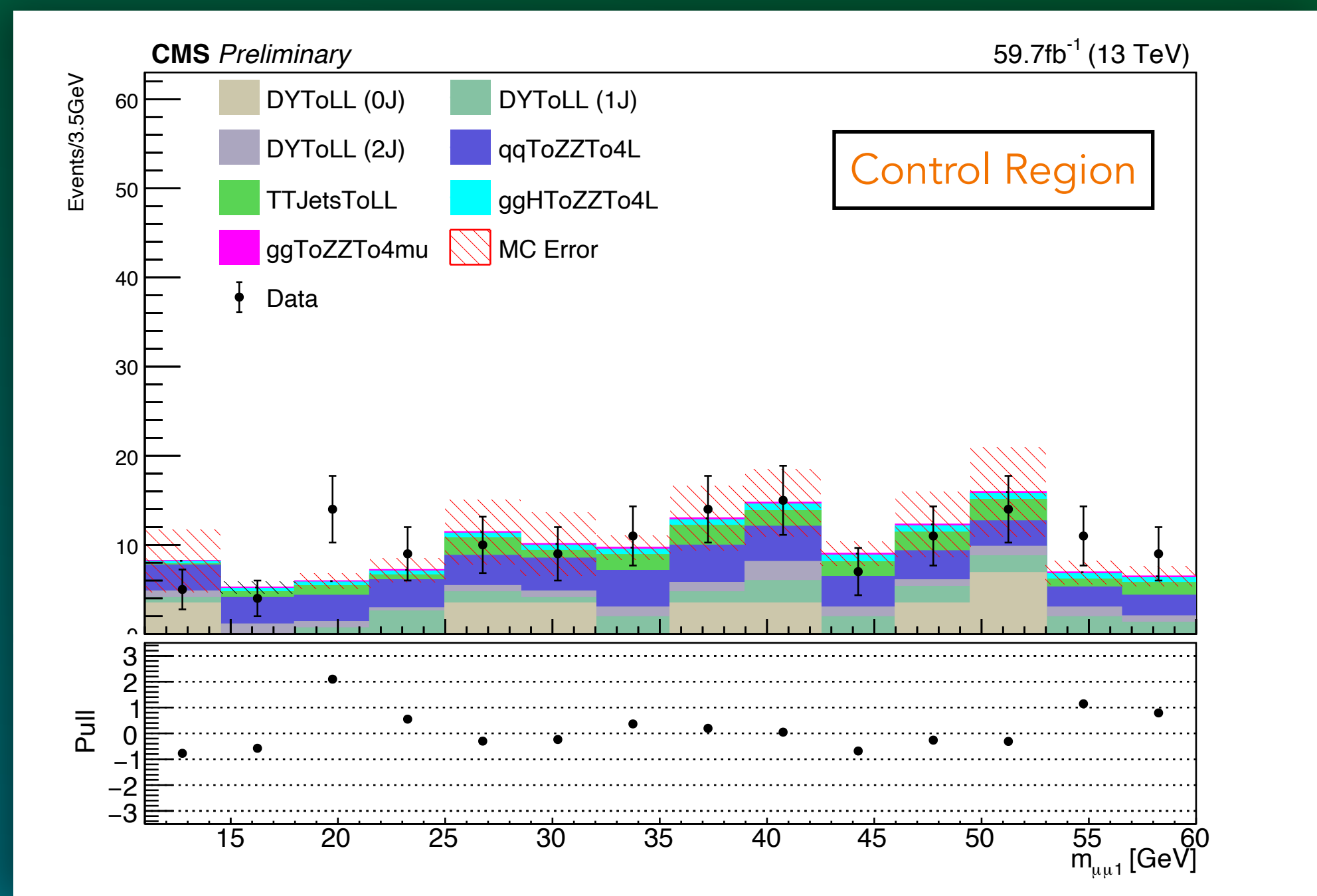


Figure9: MC simulation compared with the data in control region for muon pair 1.

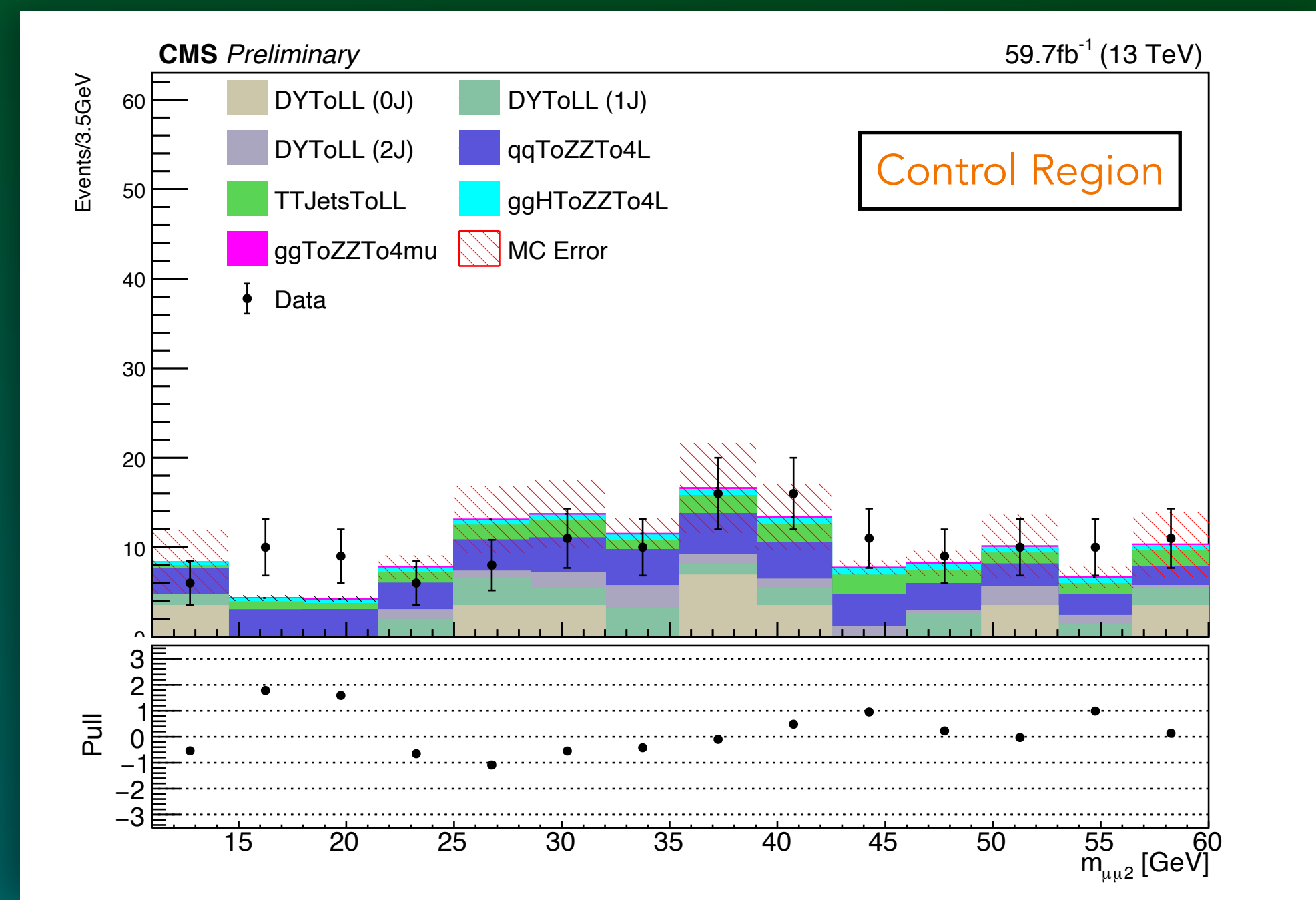


Figure10: MC simulation compared with the data in control region for muon pair 2.

Good agreement between data and MC in control region

$$\frac{data}{MC} = 1.05 \pm 0.12$$

# Background Estimation

## Above Upsilon ( $\Upsilon$ ) Resonances (11-60 GeV) - Signal Region

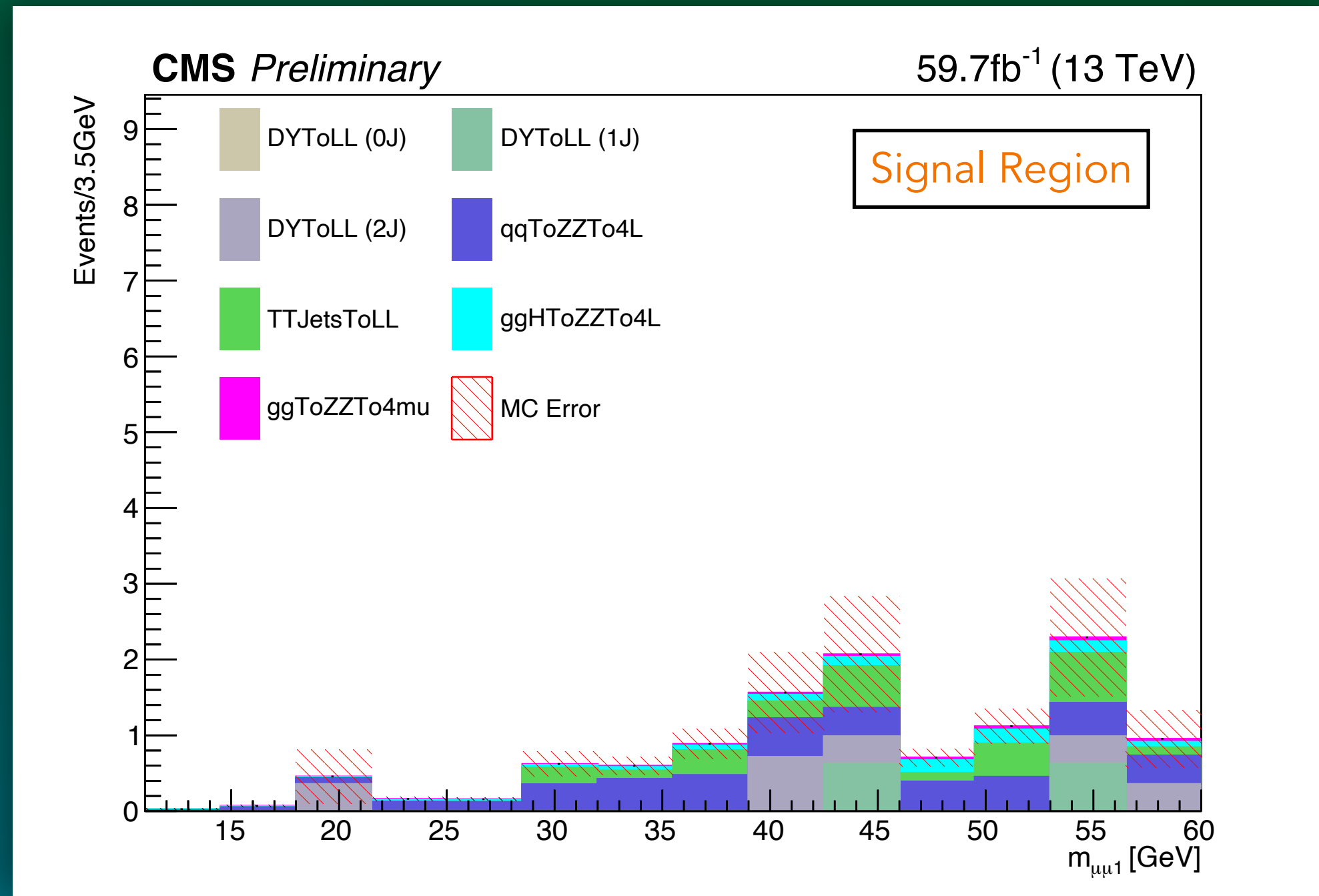


Fig11: MC simulation in signal region for muon pair 1.

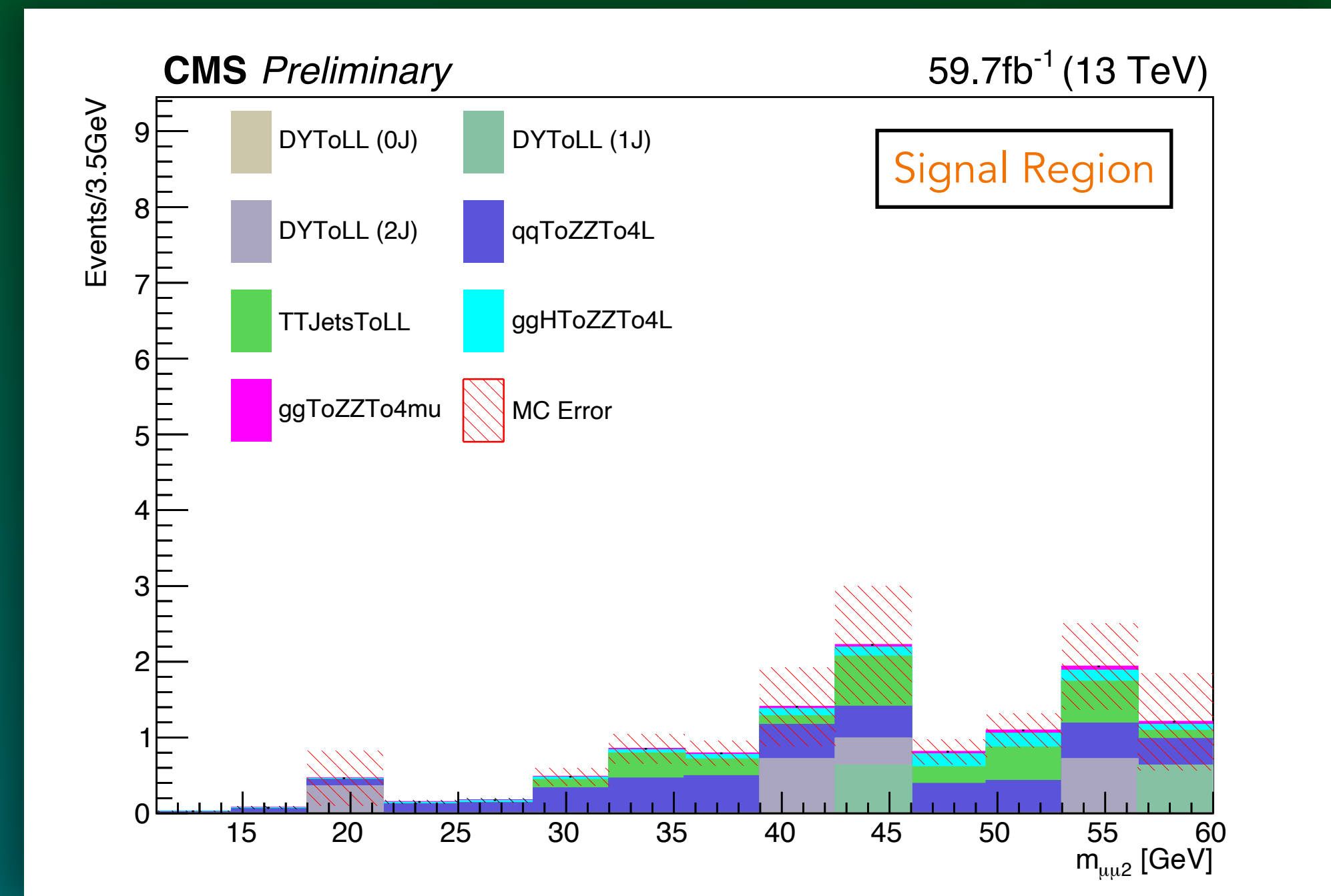


Fig12: MC simulation in signal region for muon pair 2.

# Background Estimation

## Above Upsilon ( $\Upsilon$ ) Resonances (11-60 GeV) - Signal Region

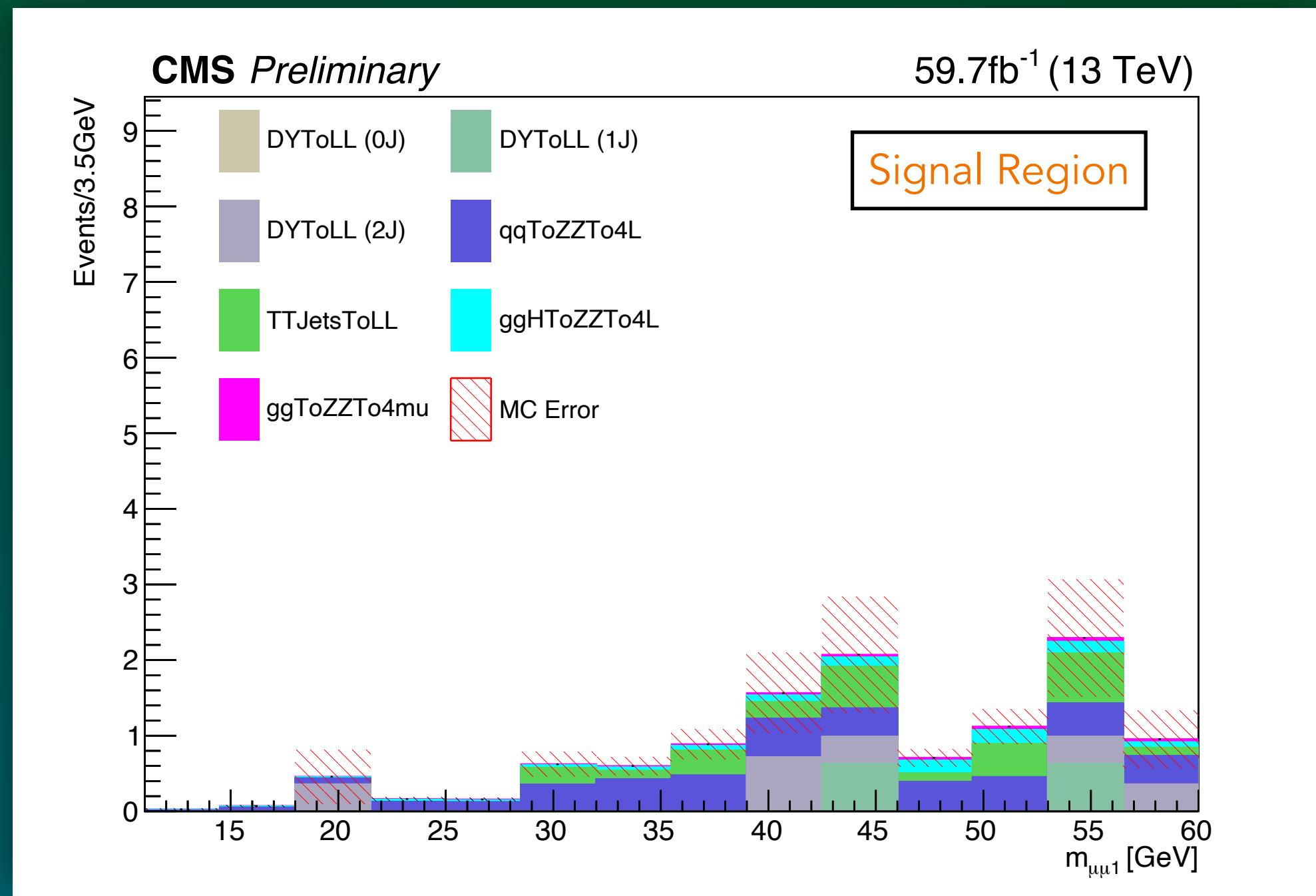


Fig11: MC simulation in signal region for muon pair 1.

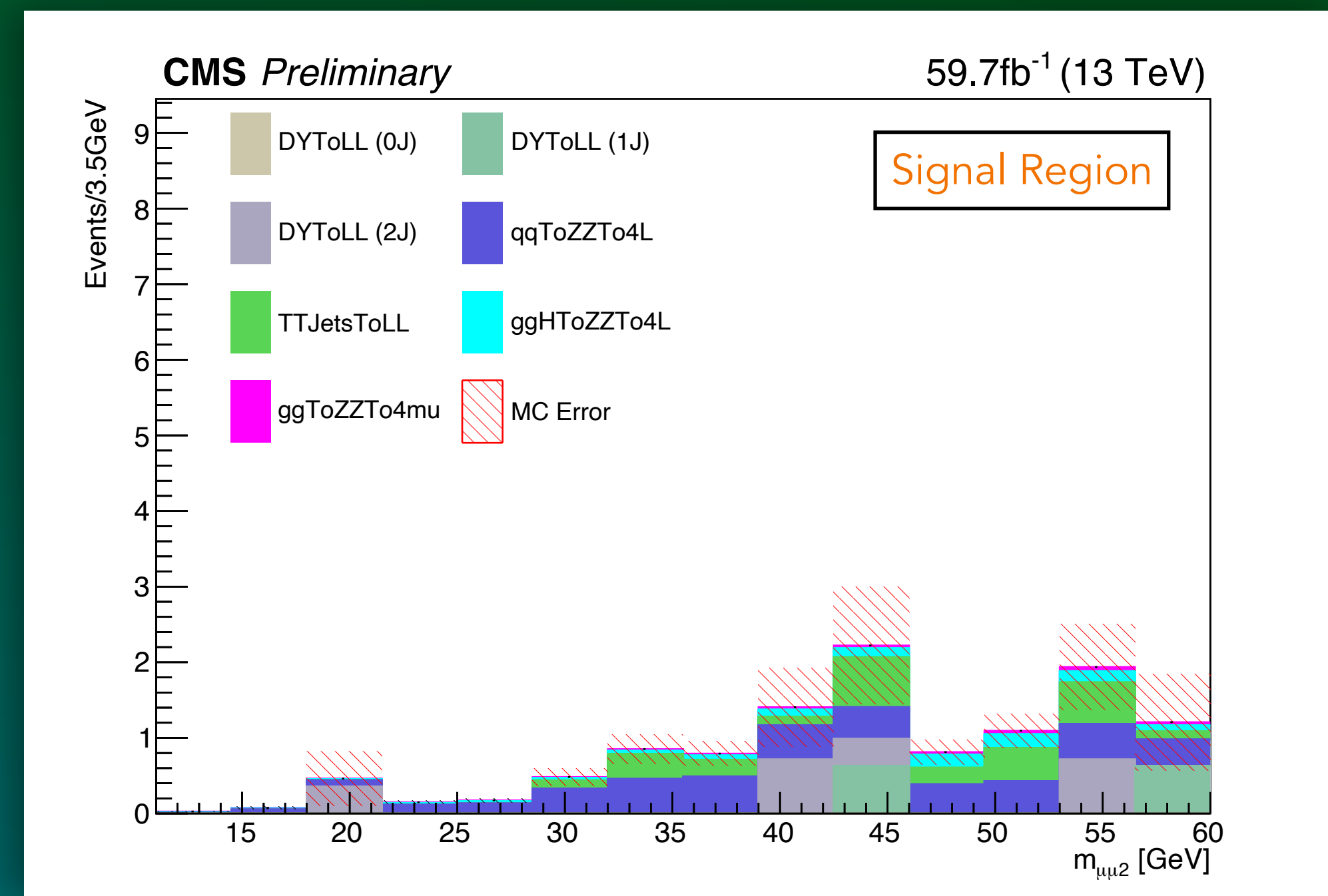


Fig12: MC simulation in signal region for muon pair 2.

Smooth background shape in the SR is obtained via adaptive Kernel Density Estimation (KDE). See **App. C**

Estimated number of background events in the SR  
 $SR : 12.28 \pm 2.01$

# Layout



1. Experimental Apparatus
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7. Expected Limits

# Expected Limits

## Expected Limit on Kinetic Mixing parameter

- Close to zero background analysis: expected 95% CL upper limit is ~3 events at each mass point

- $\sigma(pp \rightarrow Z_D) \mathcal{B}(Z_D \rightarrow s_D \bar{s}_D) \mathcal{B}^2(s_D \rightarrow \mu^+ \mu^-) \times \alpha_{gen} \leq \frac{N_{\mu\mu}}{L \times r}$

- $N_{\mu\mu}$  : 95% CL upper limit on the number of events

- $\mathcal{L} = 59.7 \text{ fb}^{-1}$ ,  $r = SF_{\epsilon_{Full}} \times \epsilon_{Full}^{MC} / \alpha_{Gen}$

HLT SF calculation: **App.F**

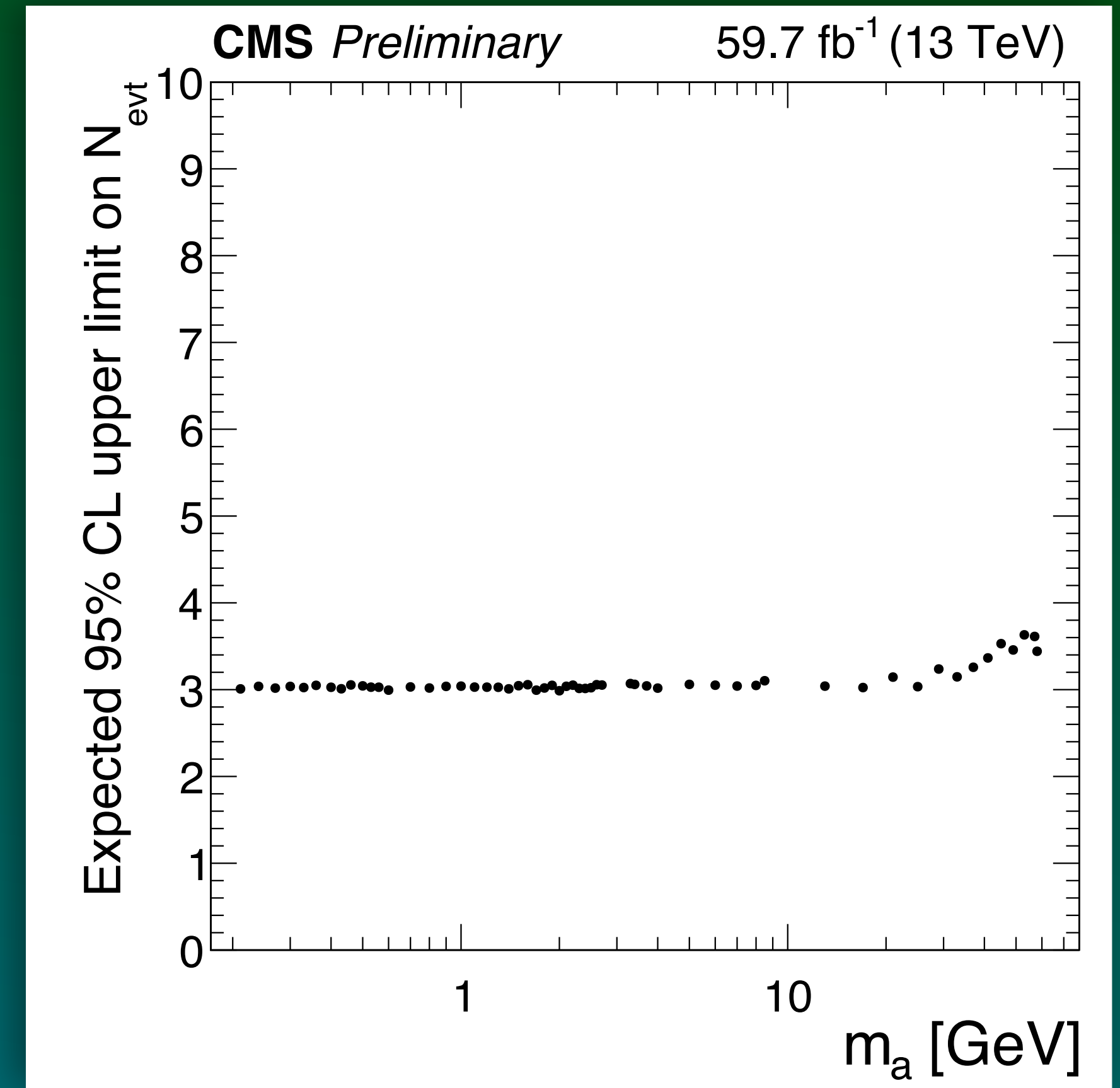


Figure 13A: 95% upper limit on expected number of events

# Expected Limits

## Expected Limit on Kinetic Mixing parameter

- Close to zero background analysis: expected 95% CL upper limit is  $\sim 3$  events at each mass point

- $\sigma(pp \rightarrow Z_D) \mathcal{B}(Z_D \rightarrow s_D \bar{s}_D) \mathcal{B}^2(s_D \rightarrow \mu^+ \mu^-) \times \alpha_{gen} \leq \frac{N_{\mu\mu}}{L \times r}$

- $N_{\mu\mu}$  : 95% CL upper limit on the number of events

- $\mathcal{L} = 59.7 \text{ fb}^{-1}$ ,  $r = SF_{\epsilon_{Full}} \times \epsilon_{Full}^{MC} / \alpha_{Gen}$  HLT SF calculation: **App.F**

- By translating the production cross-section to  $\epsilon^2$ , we set 95% CL limit on

$$\epsilon^2 \mathcal{B}(Z_D \rightarrow s_D \bar{s}_D) \mathcal{B}^2(s_D \rightarrow \mu^+ \mu^-)$$

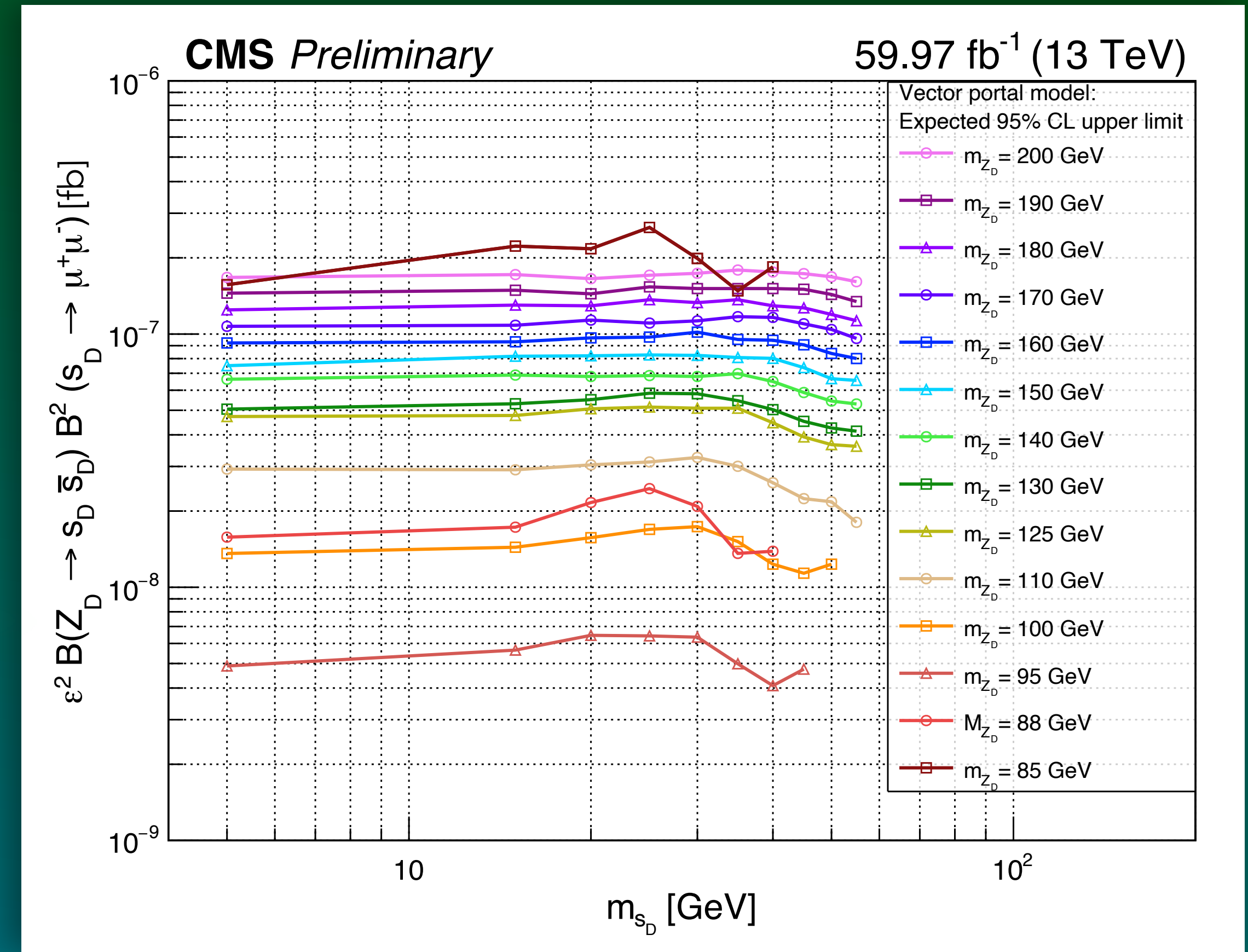


Figure 13B: The expected 95% CL upper limits function of the dark scalar mass  $m_{s_D}$  and the dark vector boson mass  $m_{Z_D}$



# Expected Limits

## Expected Limit on Kinetic Mixing parameter

- Close to zero background analysis: expected 95% CL upper limit is  $\sim 3$  events at each mass point

- $\sigma(pp \rightarrow Z_D) \mathcal{B}(Z_D \rightarrow s_D \bar{s}_D) \mathcal{B}^2(s_D \rightarrow \mu^+ \mu^-) \times \alpha_{gen} \leq \frac{N_{\mu\mu}}{L \times r}$

- $N_{\mu\mu}$  : 95% CL upper limit on the number of events

- $\mathcal{L} = 59.7 \text{ fb}^{-1}$ ,  $r = SF_{\epsilon_{Full}} \times \epsilon_{Full}^{MC} / \alpha_{Gen}$  HLT SF calculation: **App.F**

- By translating the production cross-section to  $\epsilon^2$ , we set 95% CL limit on

$$\epsilon^2 \mathcal{B}(Z_D \rightarrow s_D \bar{s}_D) \mathcal{B}^2(s_D \rightarrow \mu^+ \mu^-)$$

- The limit curves exhibit a structure with an increase and a dip as the  $s_D$  mass approaches the kinematic limit of  $m_{Z_D}/2$ .

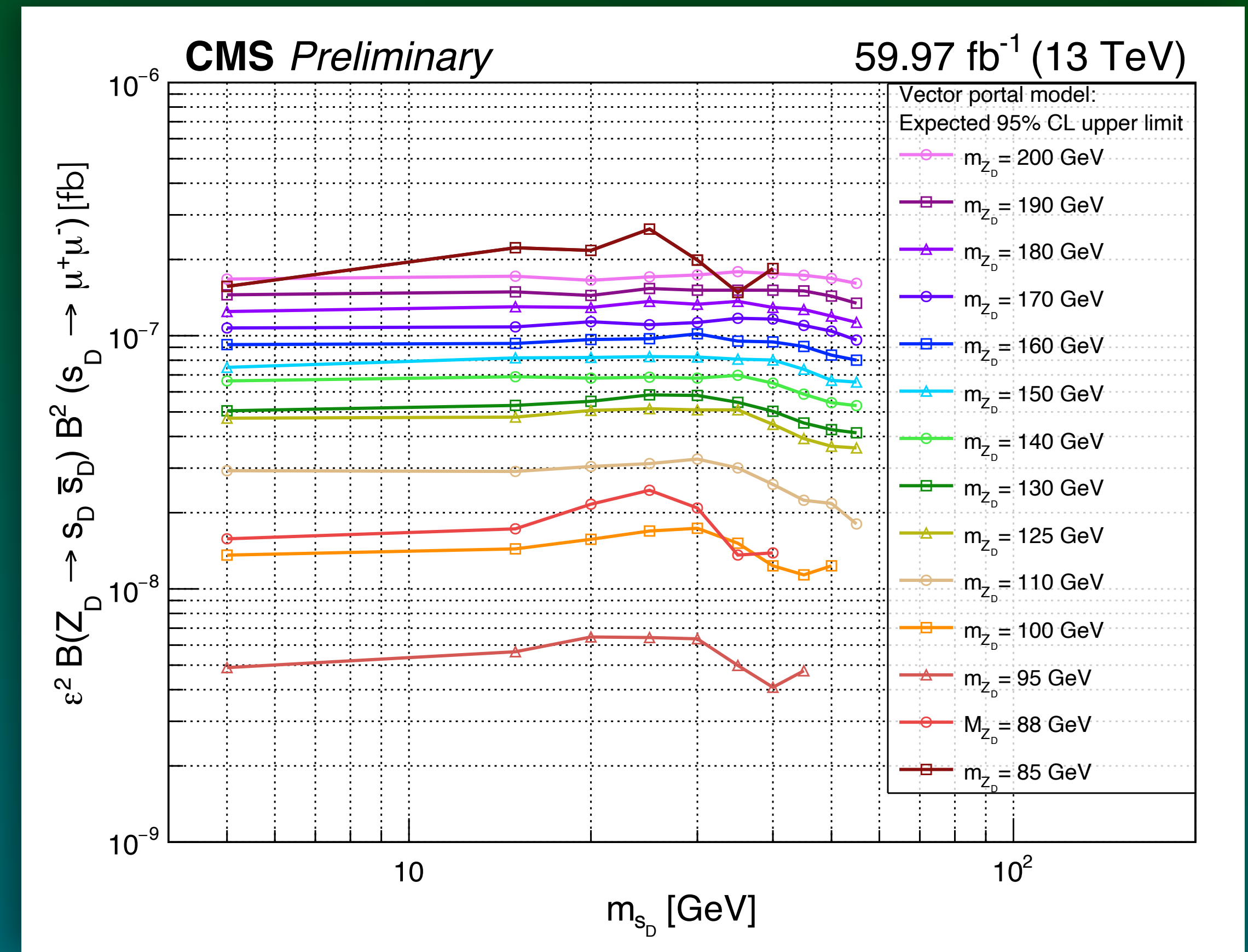


Figure 13B: The expected 95% CL upper limits function of the dark scalar mass  $m_{s_D}$  and the dark vector boson mass  $m_{Z_D}$

# Layout



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# Unblinding The Signal Region

## Below Below Upsilon ( $\Upsilon$ ) Background

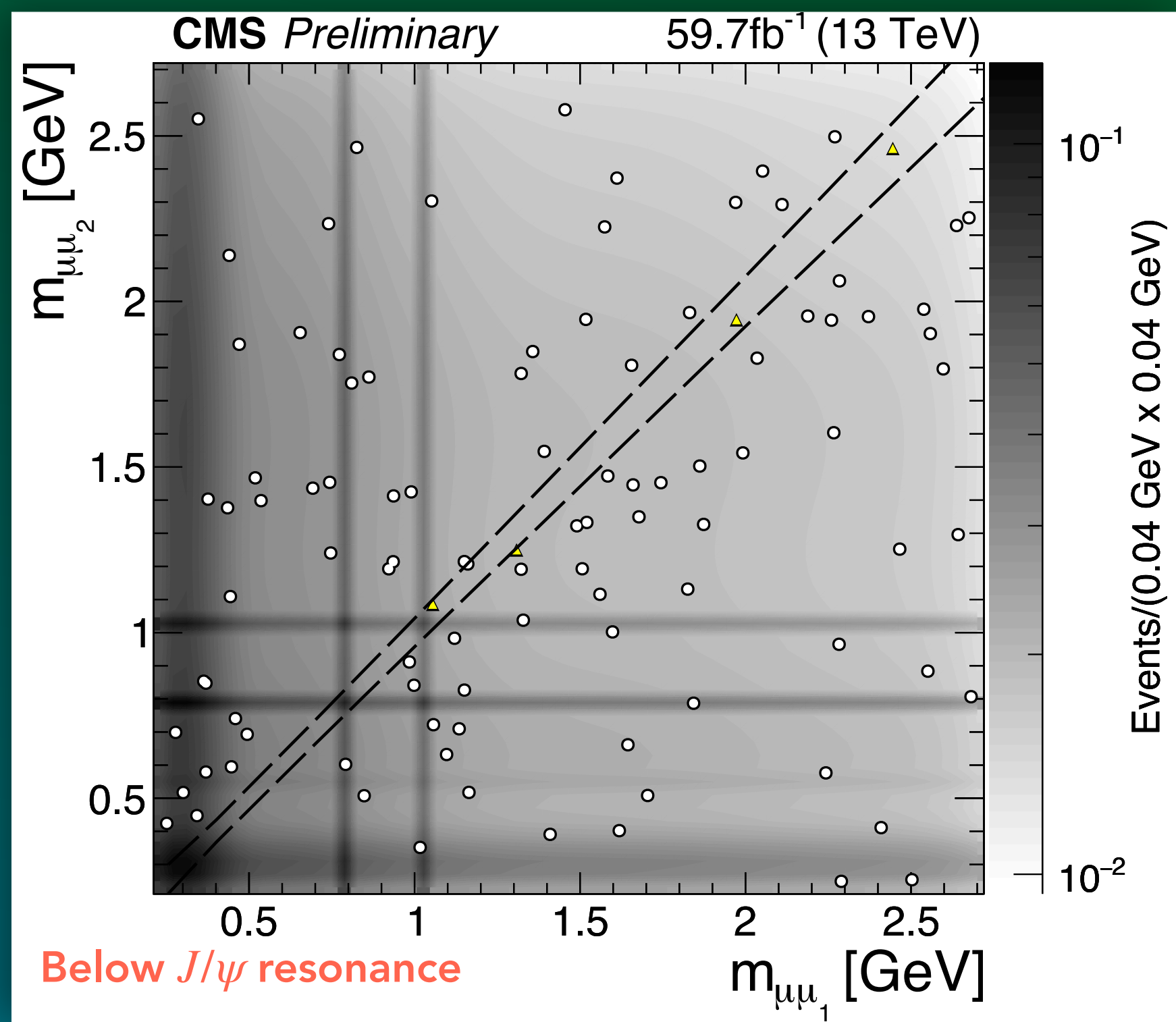


Figure 14: 2D QCD background at SR

- Estimated Background events at SR:

$$4.34 \pm 0.44(\text{stat.}) \pm 0.18(\text{sys.})$$

- Observed: 4 events

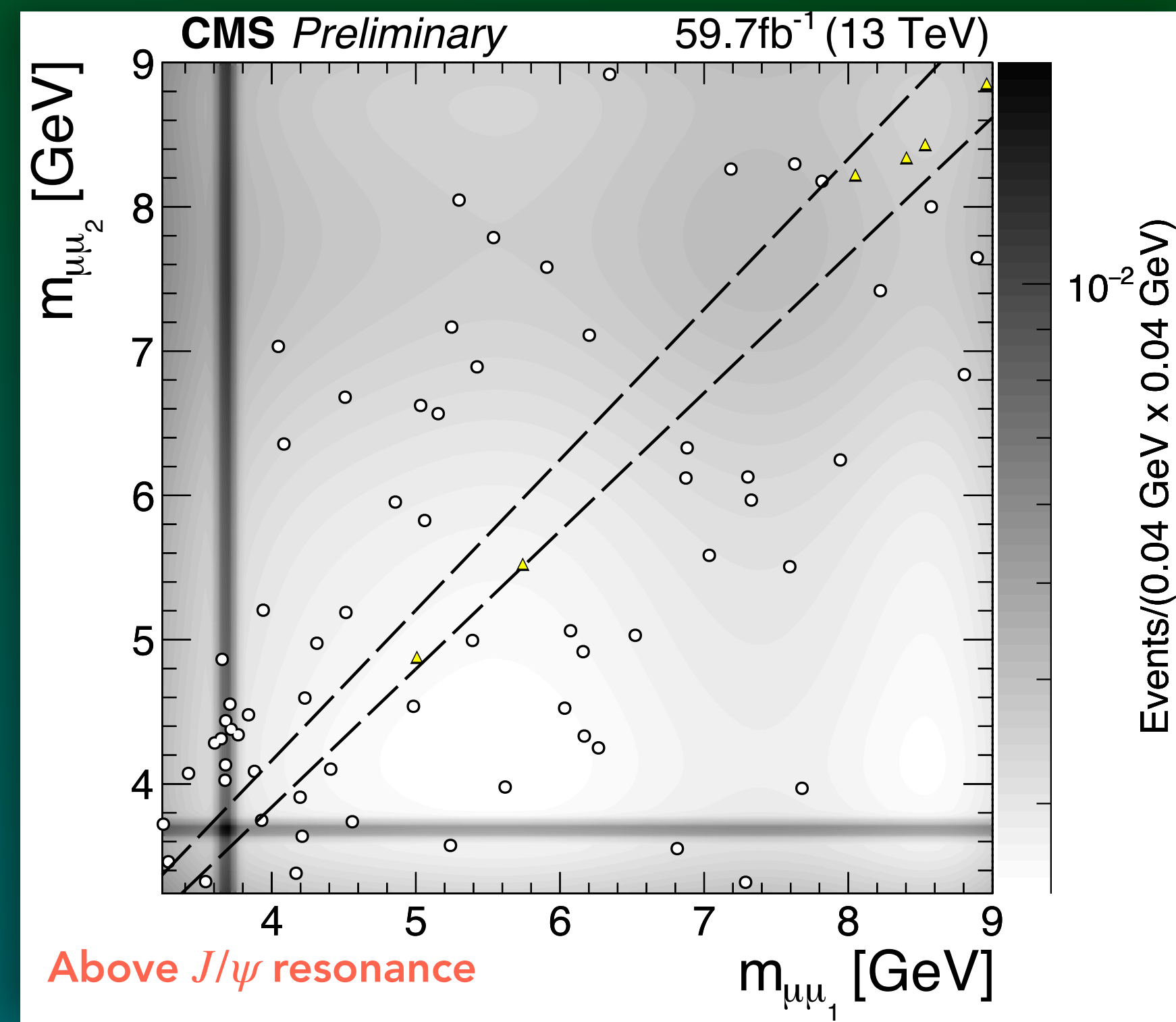


Figure 15: 2D QCD background at SR

- Estimated Background events at SR:

$$6.16 \pm 0.76(\text{stat.}) \pm 0.09(\text{sys.})$$

- Observed: 6 events

# Unblinding The Signal Region

## Above Upsilon ( $\Upsilon$ ) Background

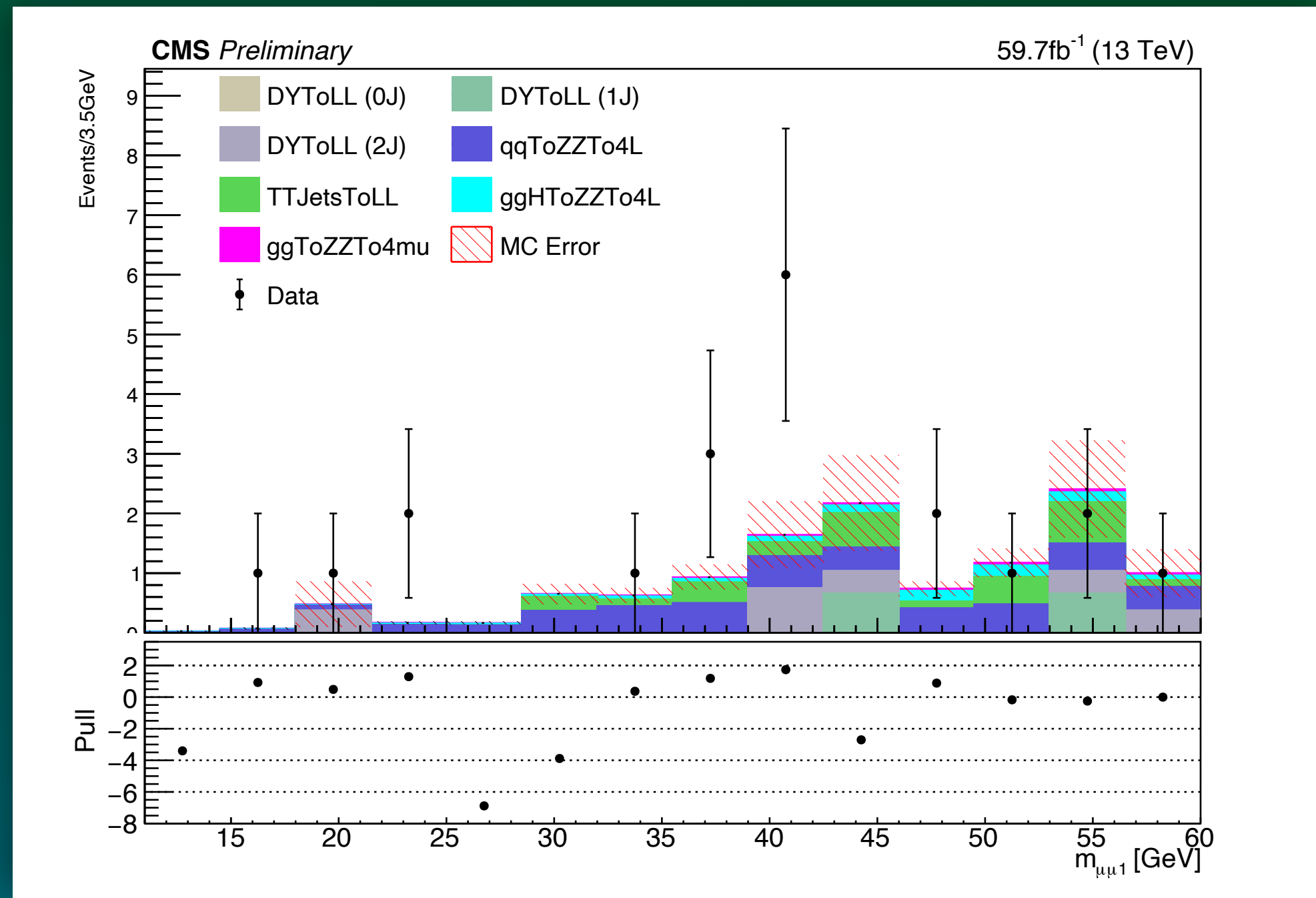


Figure16: MC simulation compared with observed data at SR

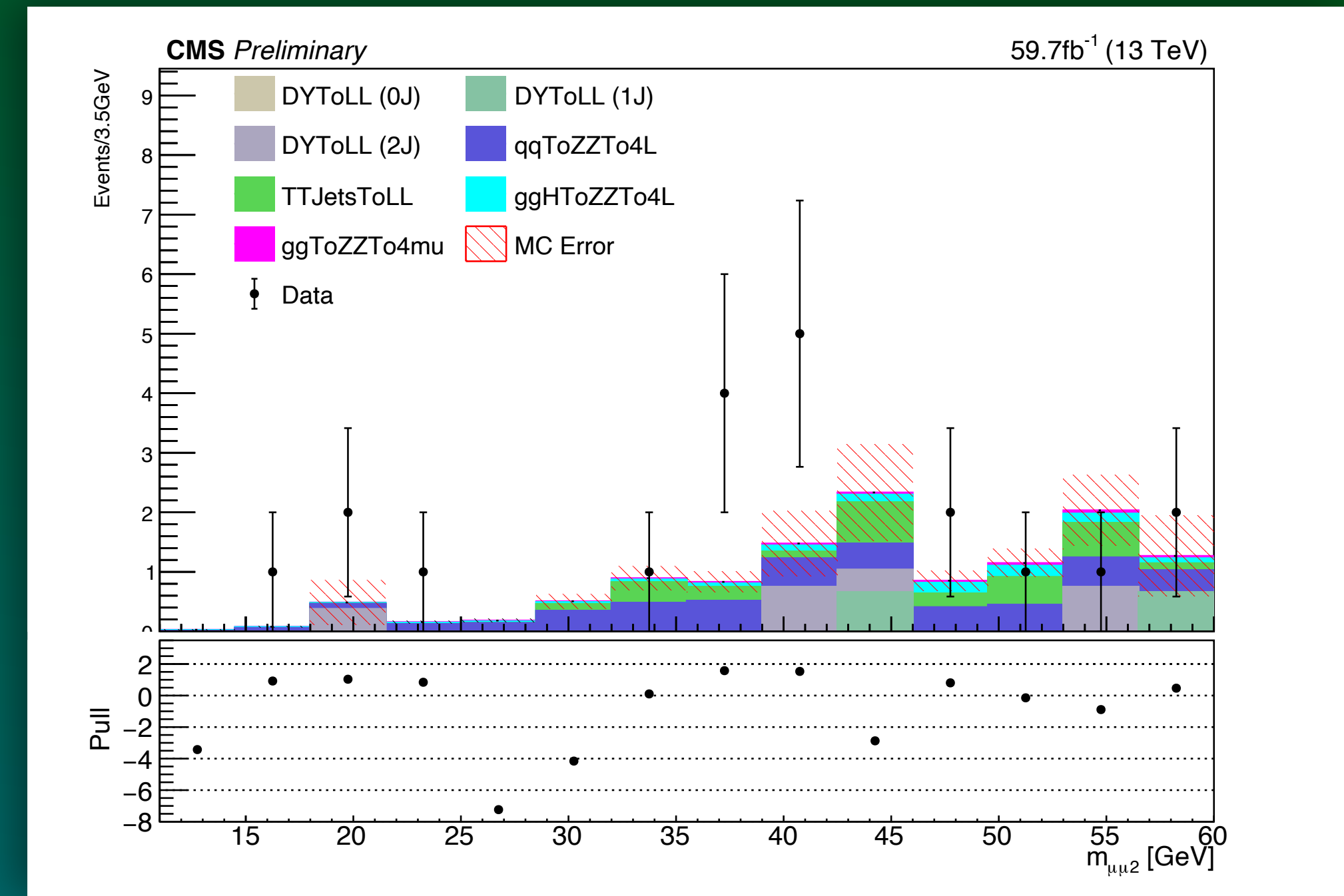


Figure17: MC simulation compared with observed data at SR

Estimated number of background events in the SR  
 $SR : 12.28 \pm 2.01$   
 Observed: 20 events

# Unblinding The Signal Region

## Below Upsilon ( $\Upsilon$ ) Background

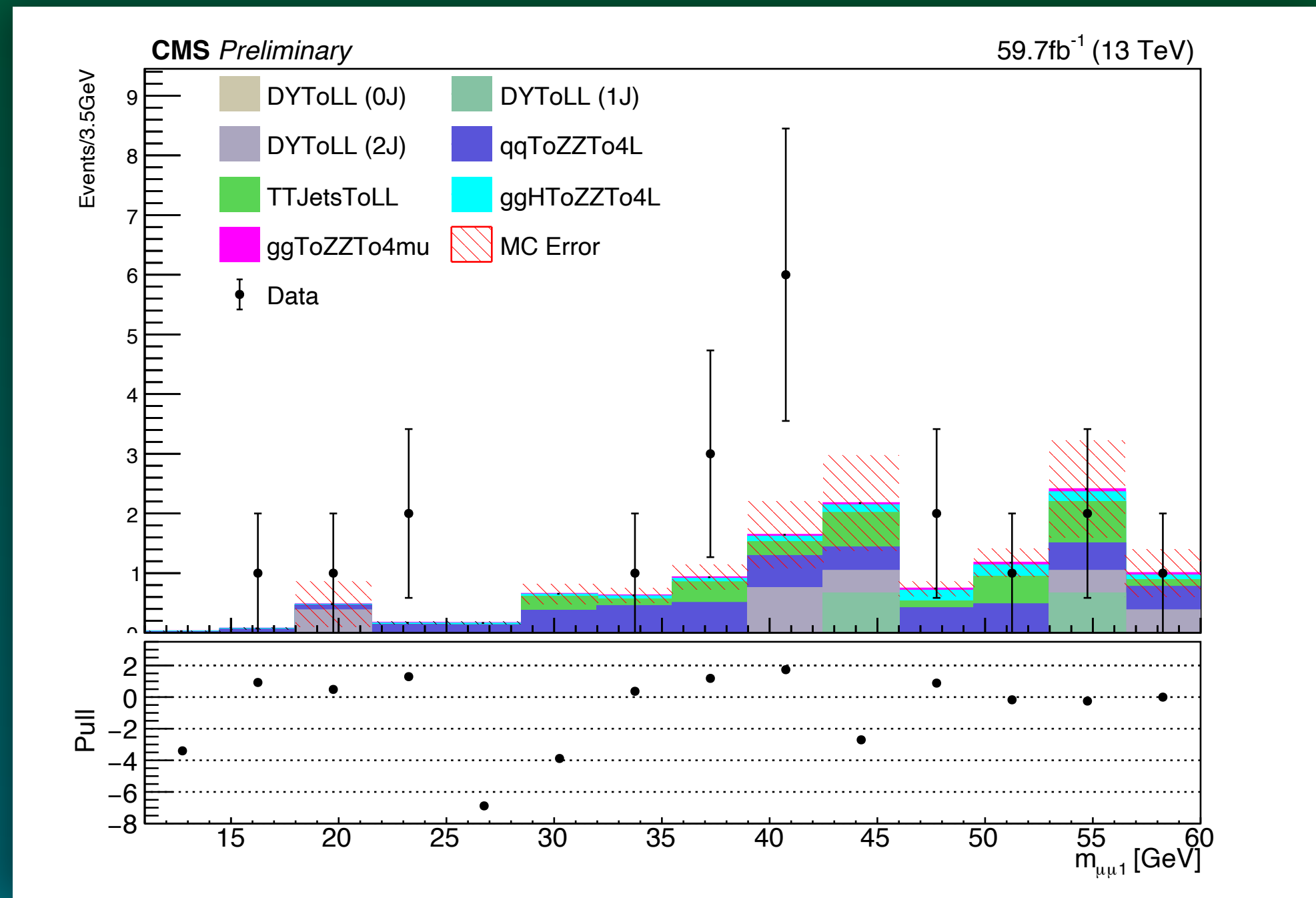


Figure16: MC simulation compared with observed data at SR

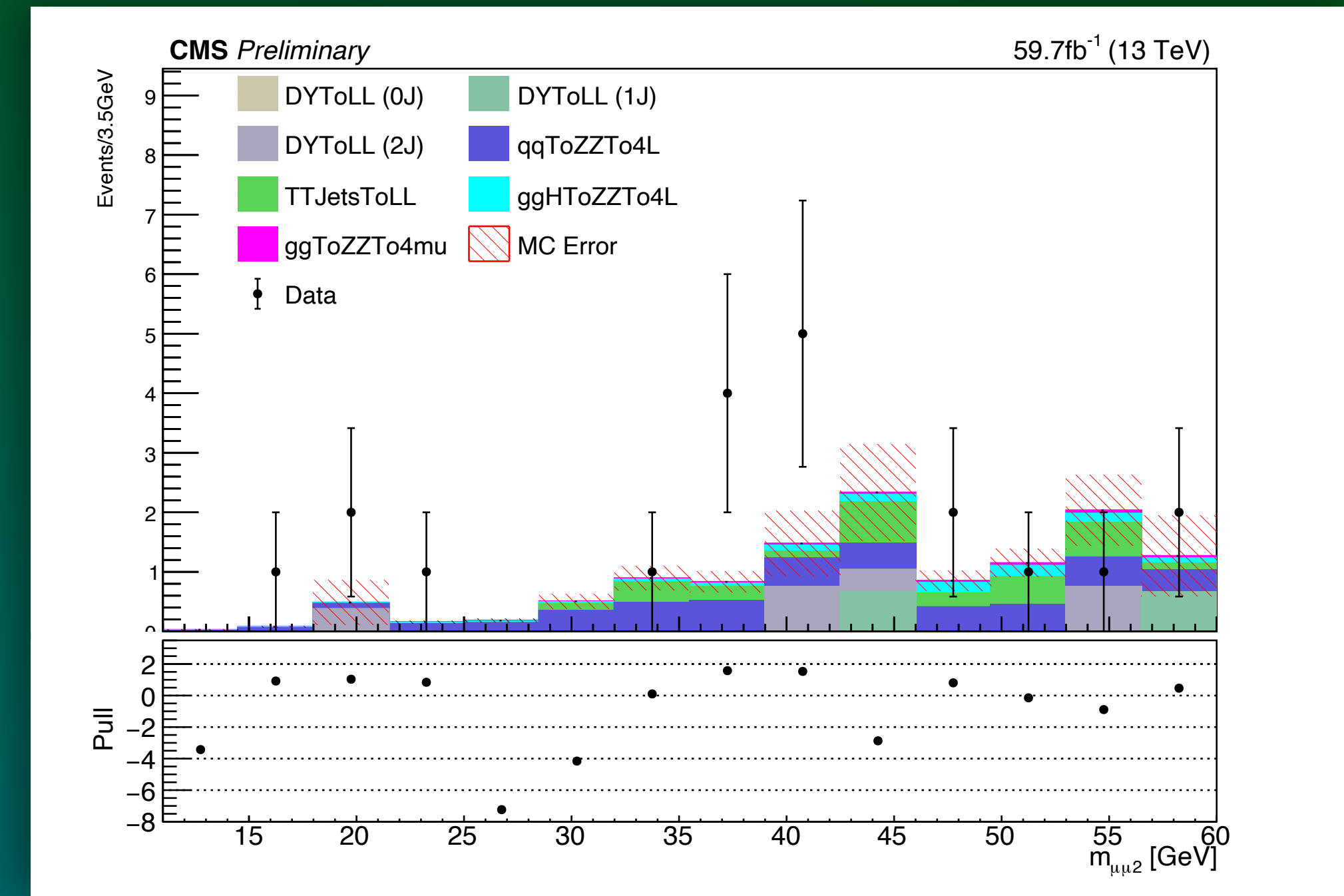


Figure17: MC simulation compared with observed data at SR

Estimated number of background events in the SR

$$SR : 12.28 \pm 2.01$$

Observed: 20 events



consistent with predicted background events,  
pulls within  $2\sigma$  (only statistical errors considered)

# Unblinding the Signal Region

## Observed Limits

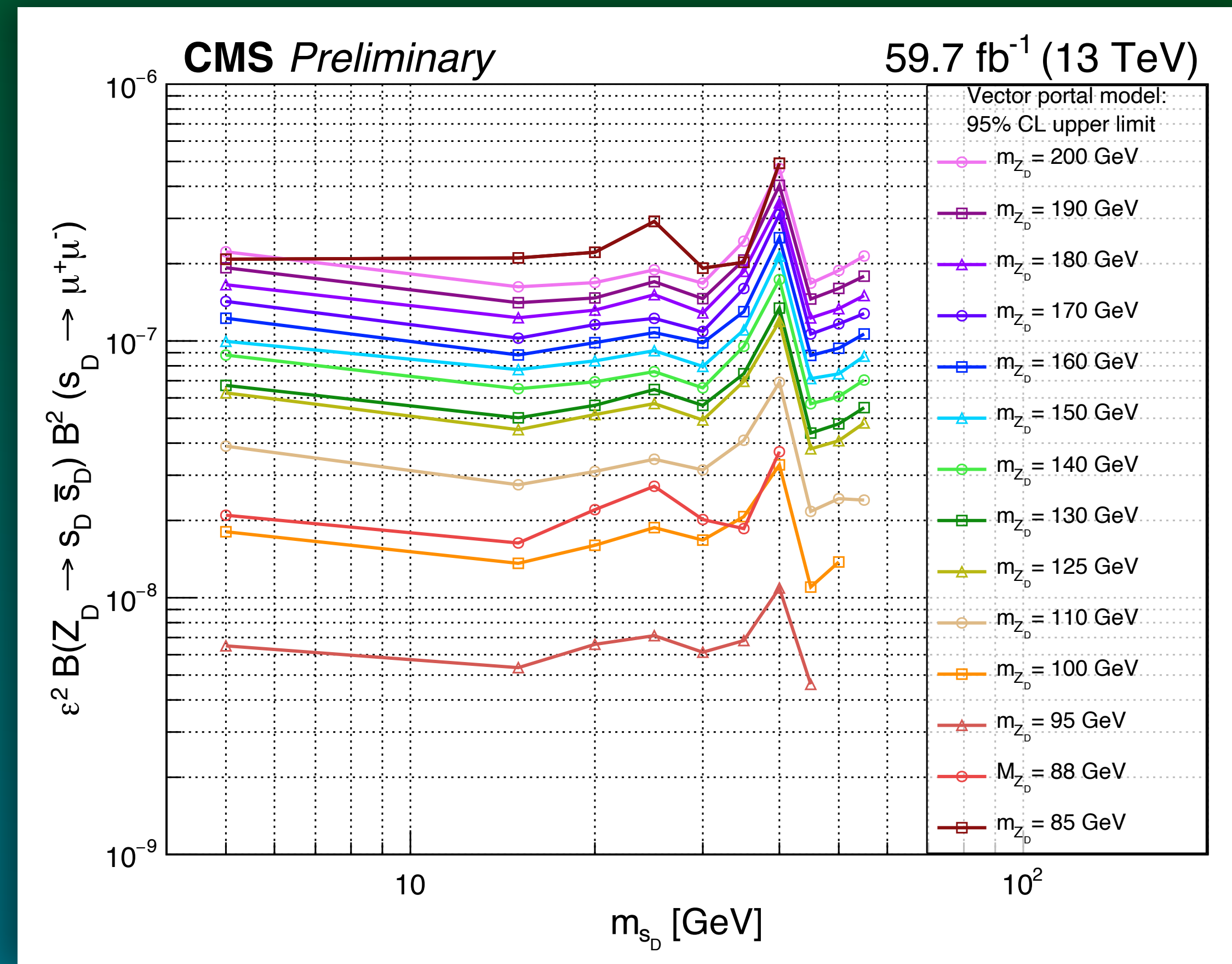


Figure18: Figure13: The observed 95% CL upper limits function of the dark scalar mass  $m_{s_D}$  and the dark vector boson mass  $m_{Z_D}$

# Unblinding the Signal Region

## 2018 Conclusion

- In 20-25 GeV region we observe 3 events
- The expected number of events in the said region is  $\sim 0.31$
- Poisson probability for 0.31 fluctuating to 3 is 0.00364
- This could mean the background may not have been well modeled in this region
- This observation lead our research to explore the addition of **2017** CMS data to the our analysis

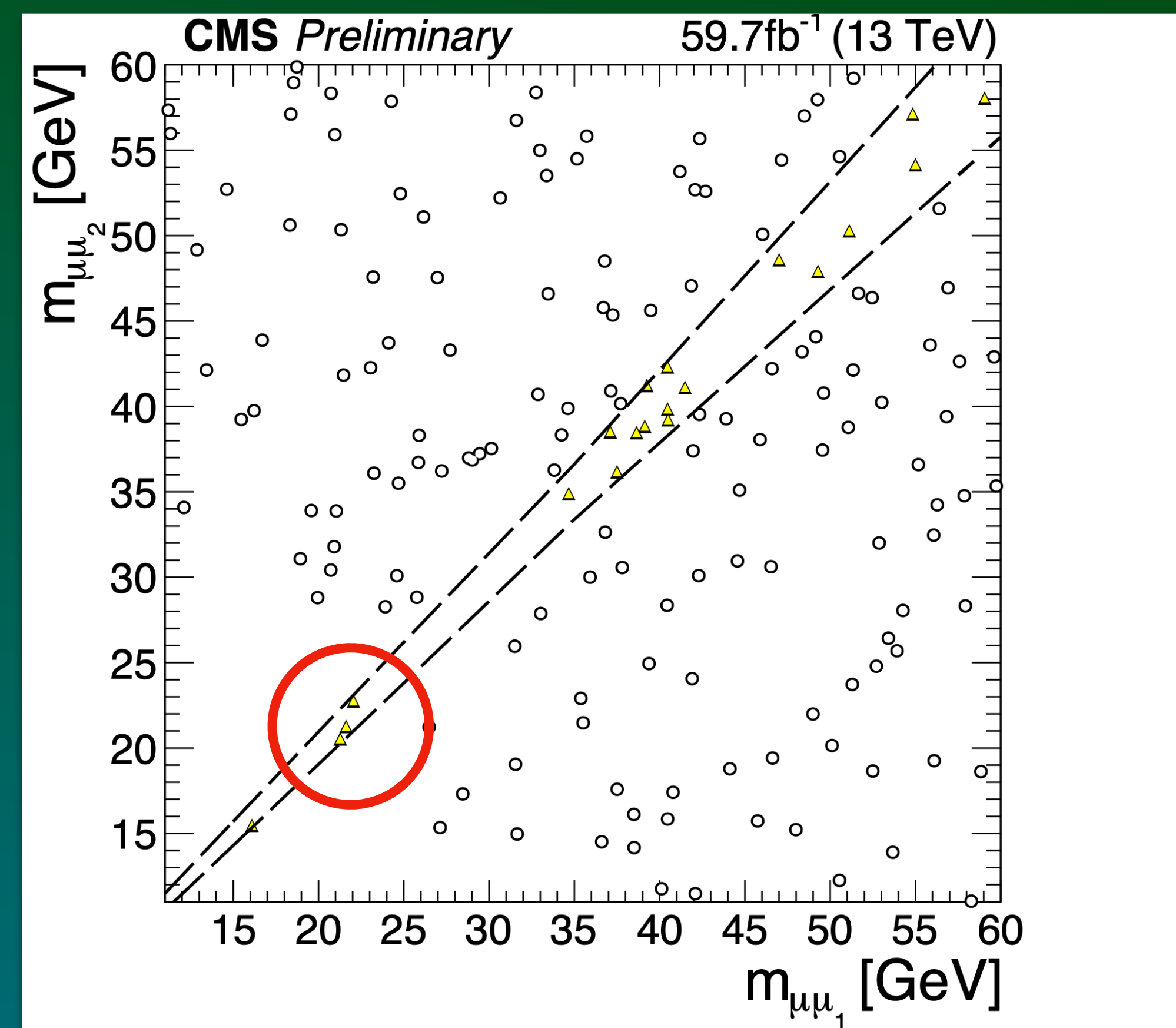


Figure32: Unblinded Signal Region above  $\Upsilon$  resonances

# Unblinding the Signal Region

## 2018 Conclusion

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- The expected number of events in the said region is  $\sim 0.31$
- Poisson probability for 0.31 fluctuating to 3 is 0.00364
- This could mean the background may not have been well modeled in this region
- This observation lead our research to explore the addition of **2017** CMS data to the our analysis

Brazilian plots: **App.G**

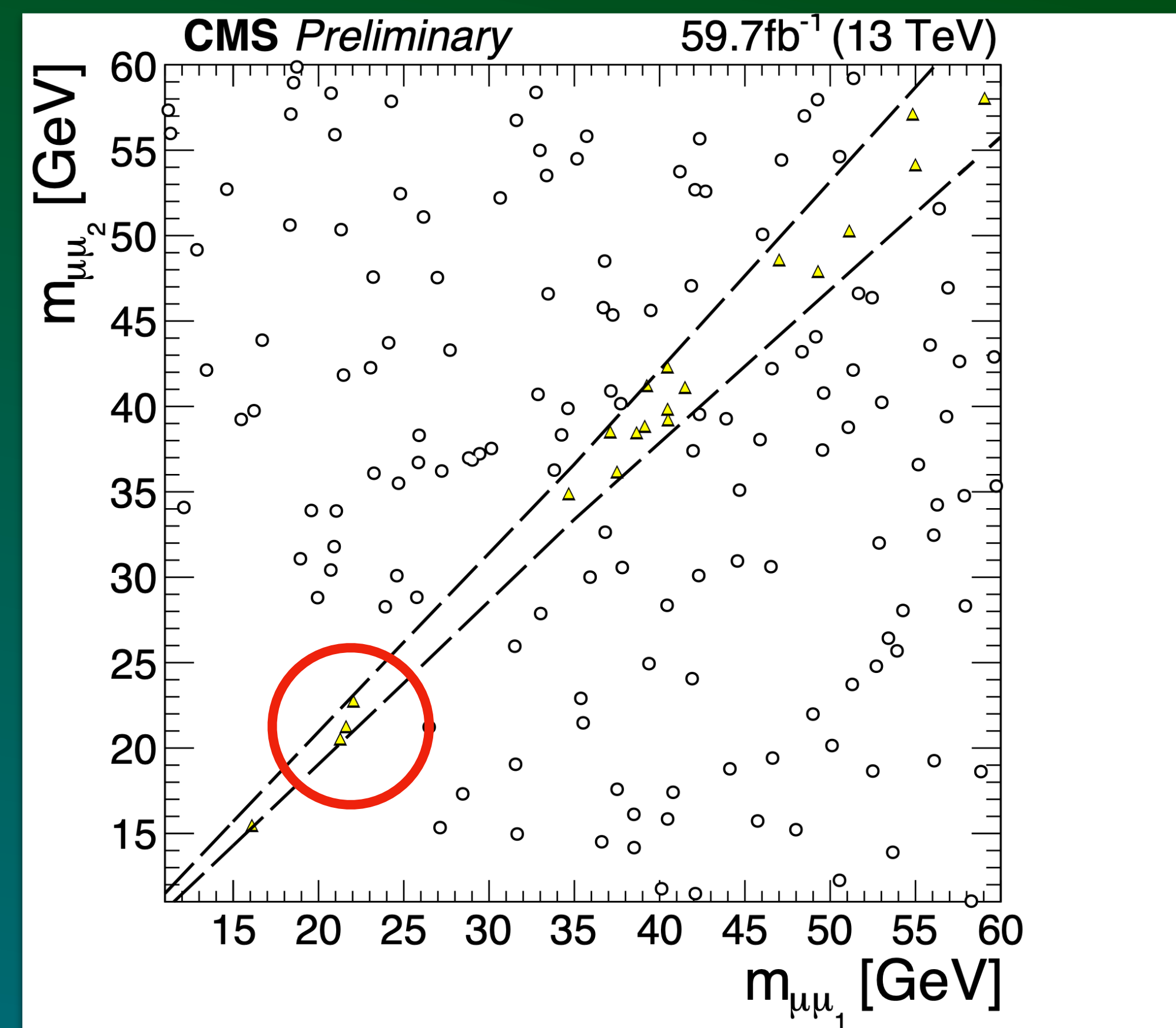


Figure32: Unblinded Signal Region above  $\Upsilon$  resonances



# Layout



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9. 2017 Analysis

# 2017 Analysis

## Tigger Paths and Selections

### Trigger Paths

HLT\_Mu23\_Mu12 (HLT\_DoubleL2Mu23NoVtx\_2Cha in 2018)

HLT\_Mu18\_Mu9\_SameSign

HLT\_TrkMu12\_DoubleTrkMu5NoFiltersNoVtx

HLT\_TripleMu\_12\_10\_5

### Muon selection

slimmedMuons in MiniAOD

4 PF Loose muon

Two muons:  $p_T > 13$  GeV,  $|\eta| < 2$

Four muons:  $p_T > 8$  GeV,  $|\eta| < 2.4$

## 2017 Data

Dataset Labels	Number of
/DoubleMuon/Run2017B-31Mar2018-v1/	14 501 767
/DoubleMuon/Run2017C-31Mar2018-v1/	49 636 525
/DoubleMuon/Run2017D-31Mar2018-v1/	23 075 733
/DoubleMuon/Run2017E-31Mar2018-v1/	51 589 091
/DoubleMuon/Run2017F-31Mar2018-v1/	79 756 560
Total	218 559 676

# 2017 Analysis

## Model-Independance Performance

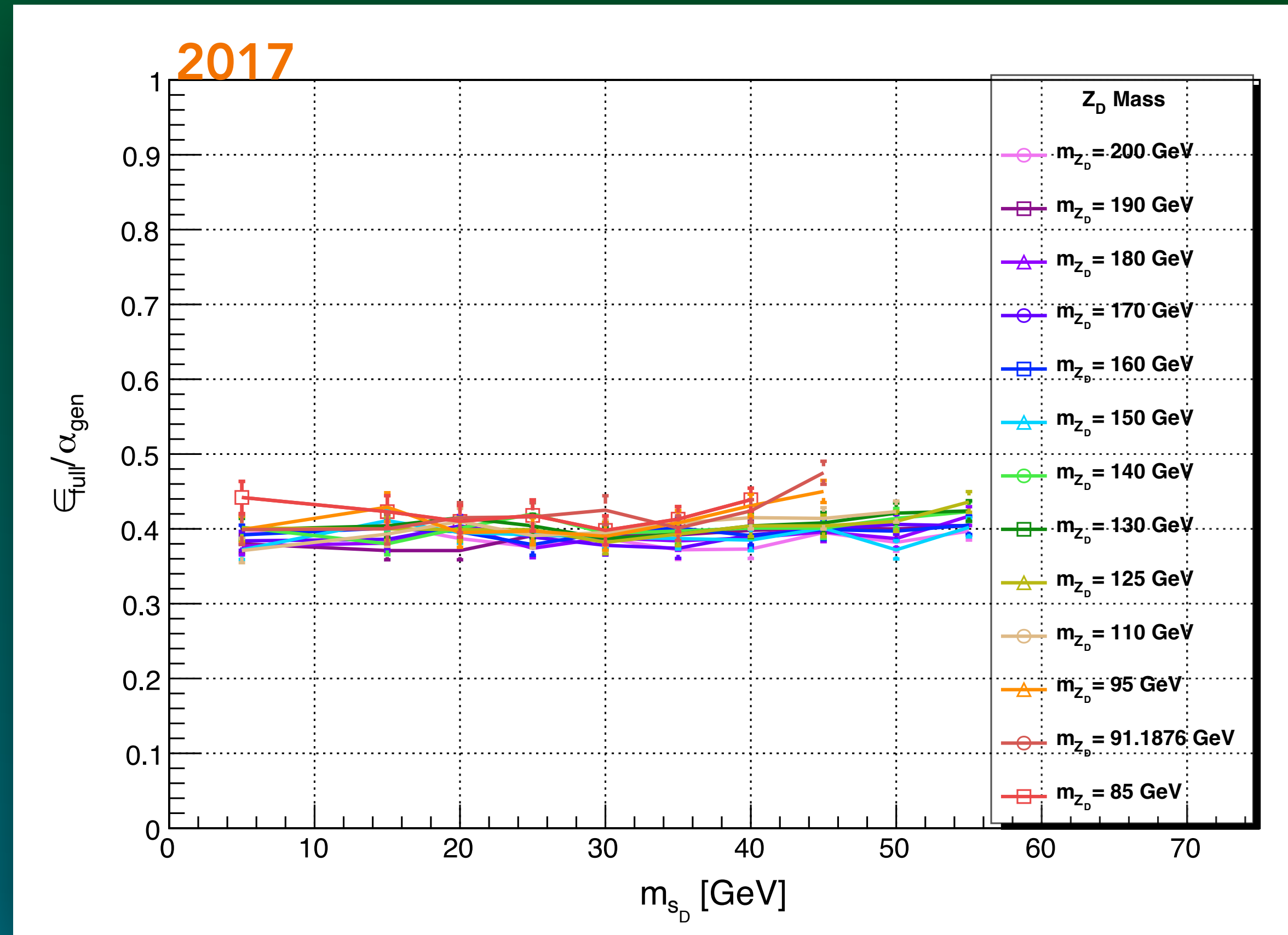
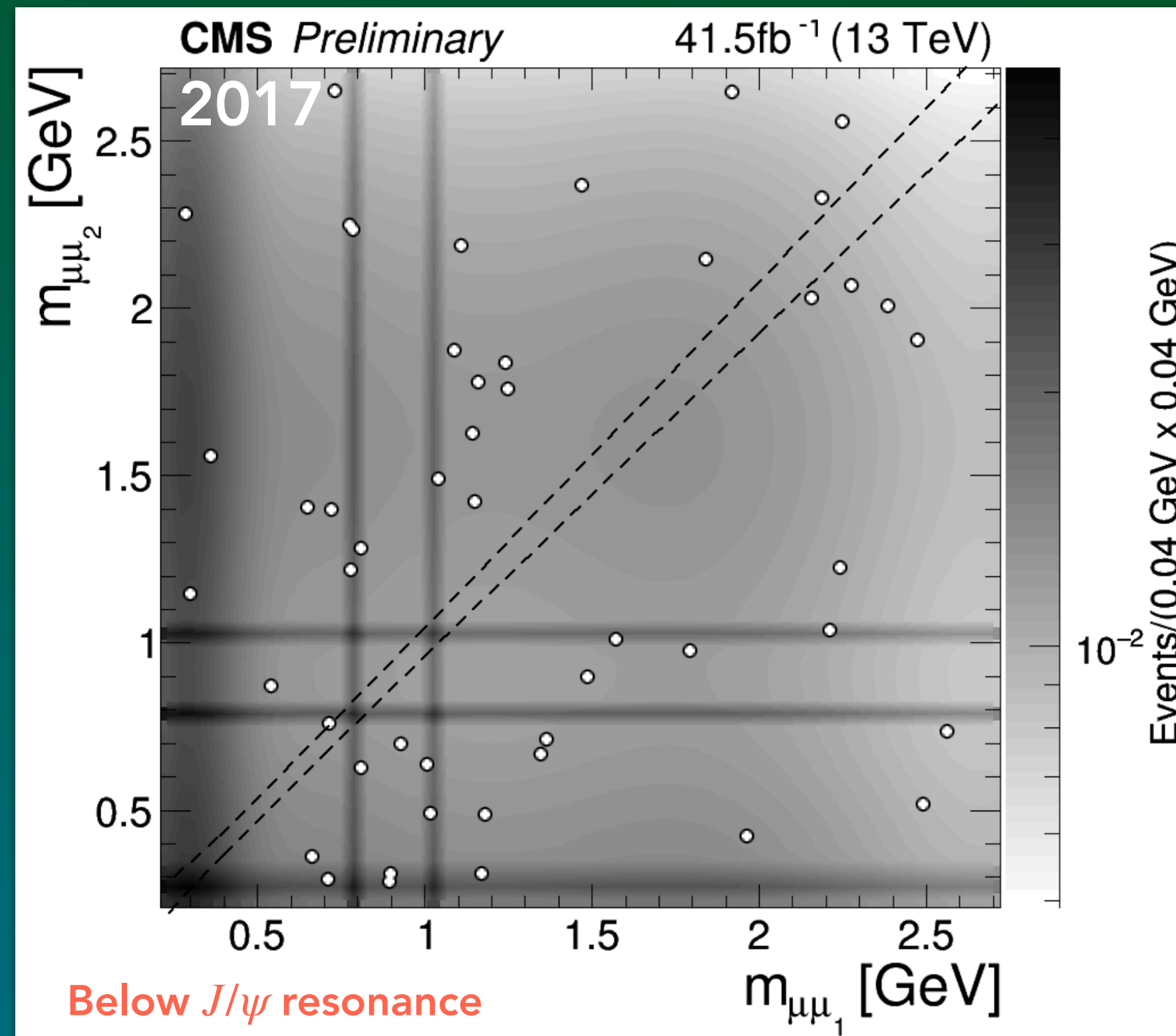


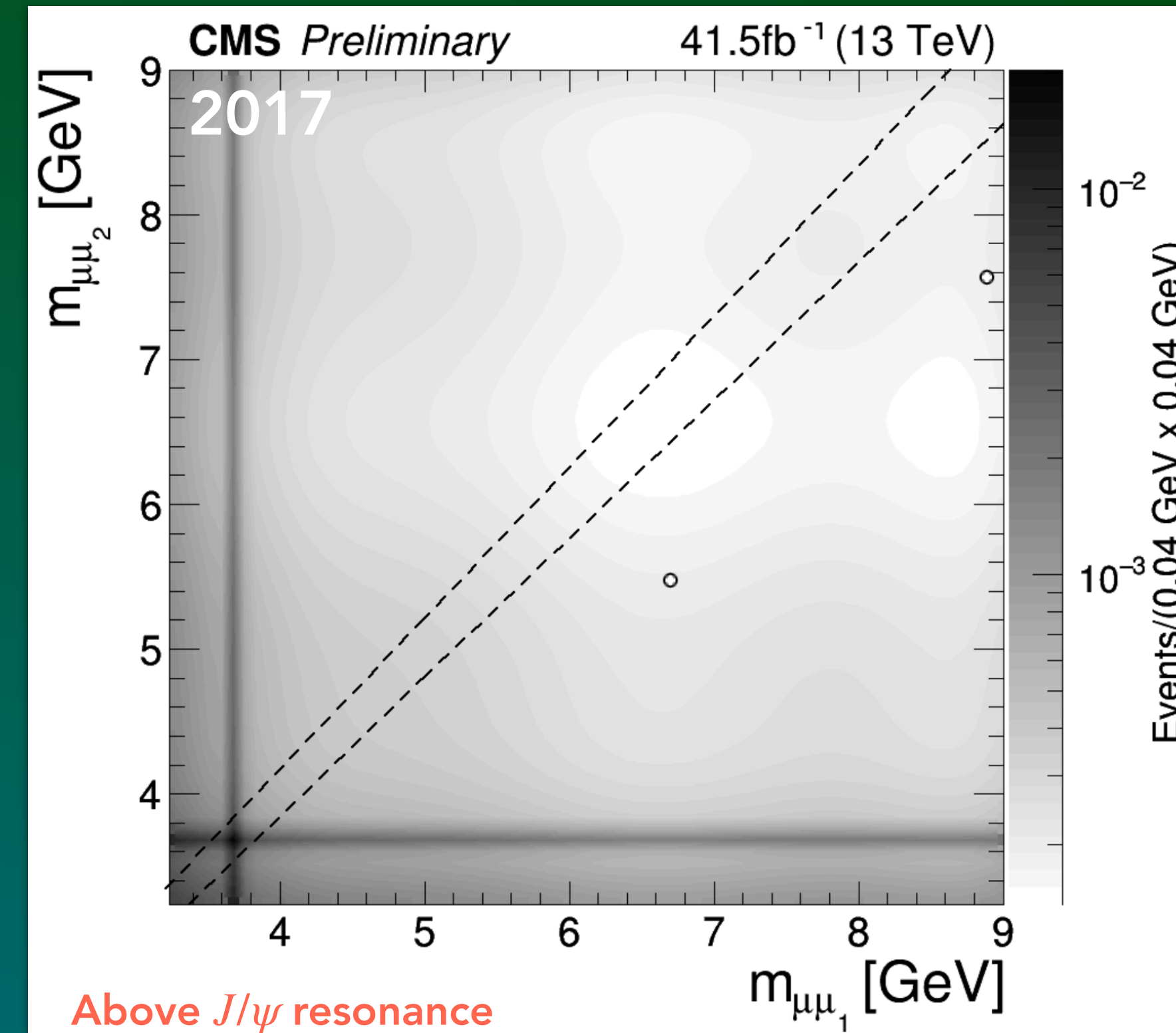
Figure 33: Total selection efficiency over generator level selection acceptance,  $\epsilon_{Full}/\alpha_{gen}$  as a function of the  $s_D$  mass for various  $Z_D$  masses in the vector portal model. The KM parameter,  $\epsilon$ , is  $10^{-2}$

# 2017 Analysis

## Background: Below $\Upsilon$ Resonances



- Figure34: 2D QCD background template + data at the CR
- 2D template integral SR/CR = 0.044/0.964
  - 2-dimu events at CR: 49 (SR remain blinded)
  - Estimated BKG events at SR: **2.26 +/- 0.32 (stat.)**



- Figure35: 2D QCD background template + data at the CR
- 2D template integral SR/CR = 0.087/0.918
  - 2-dimu events at CR: 2 (SR remain blinded)
  - Estimated BKG events at SR: **0.19 +/- 0.13 (stat.)**

# 2017 Analysis

## Background: Above $\Upsilon$ Resonances

- For 2017 analysis we used QED MC simulated samples in CR for  $\mu\mu_1$  and  $\mu\mu_2$  similar to the 2018 analysis
- Used Kernel Density Estimation (KDE) to fit the distributions
- Constructed 2D KDE templates
- The signal region in the corridor is still blinded

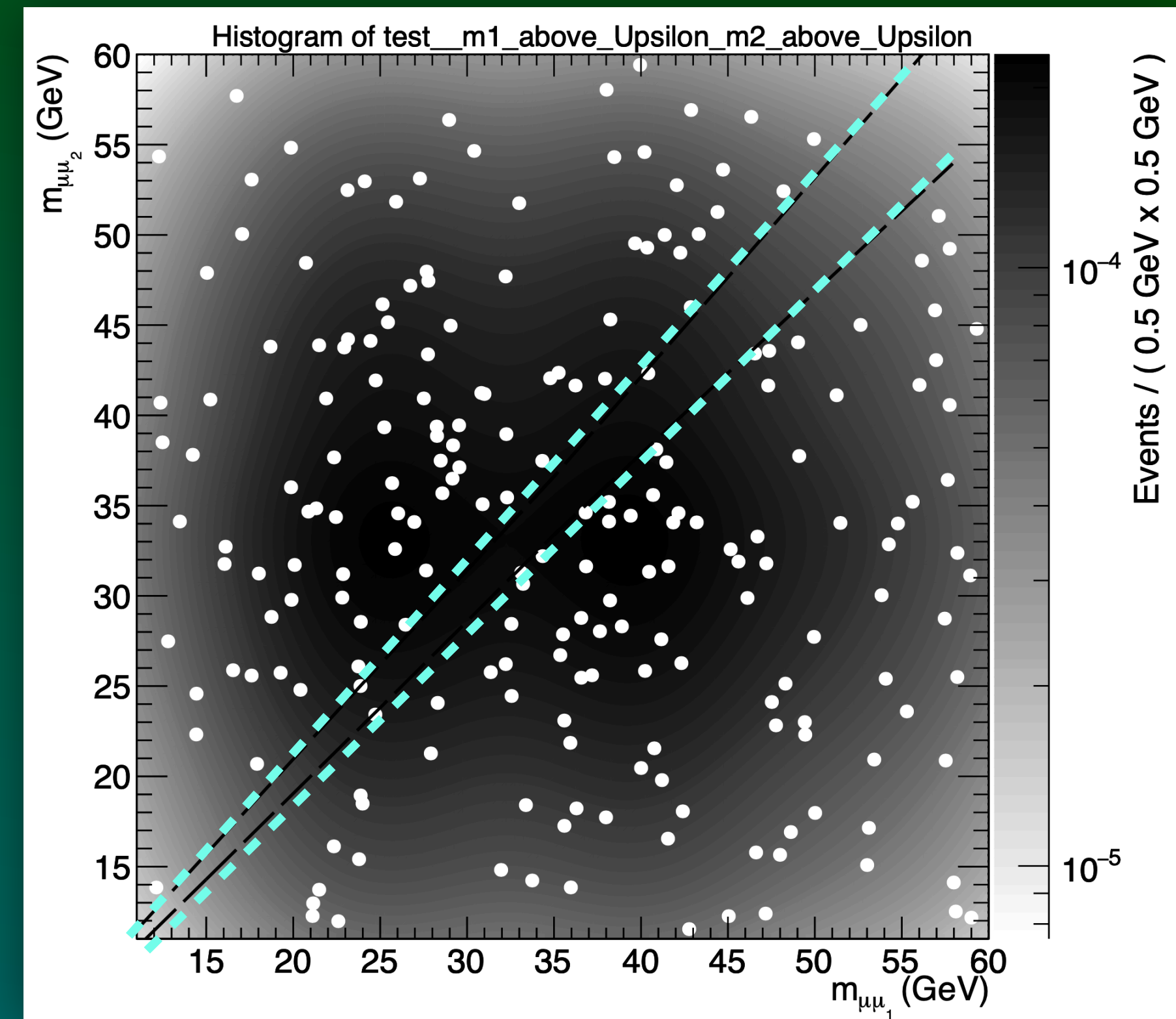


Figure36: 2D KDE background template for above  $\Upsilon$  resonance masses

- 2D template integral SR/CR = 0.082/0.918
- 2-dimu events at CR: 212 (**SR remain blinded**)
- Estimated BKG events at SR: **18.97 +/- 1.3 (stat.)**

# 2017 Analysis

## 2017 Summary

- The expected limit is to be set after scale factor calculations, such as: HLT, NNLO, and reconstruction scale factors
- The results to be combined with 2018 and 2016 results using the Higgs combine tool
- Unblind 2017 analysis and produce final limit
- The analysis remains approximately near zero background analysis

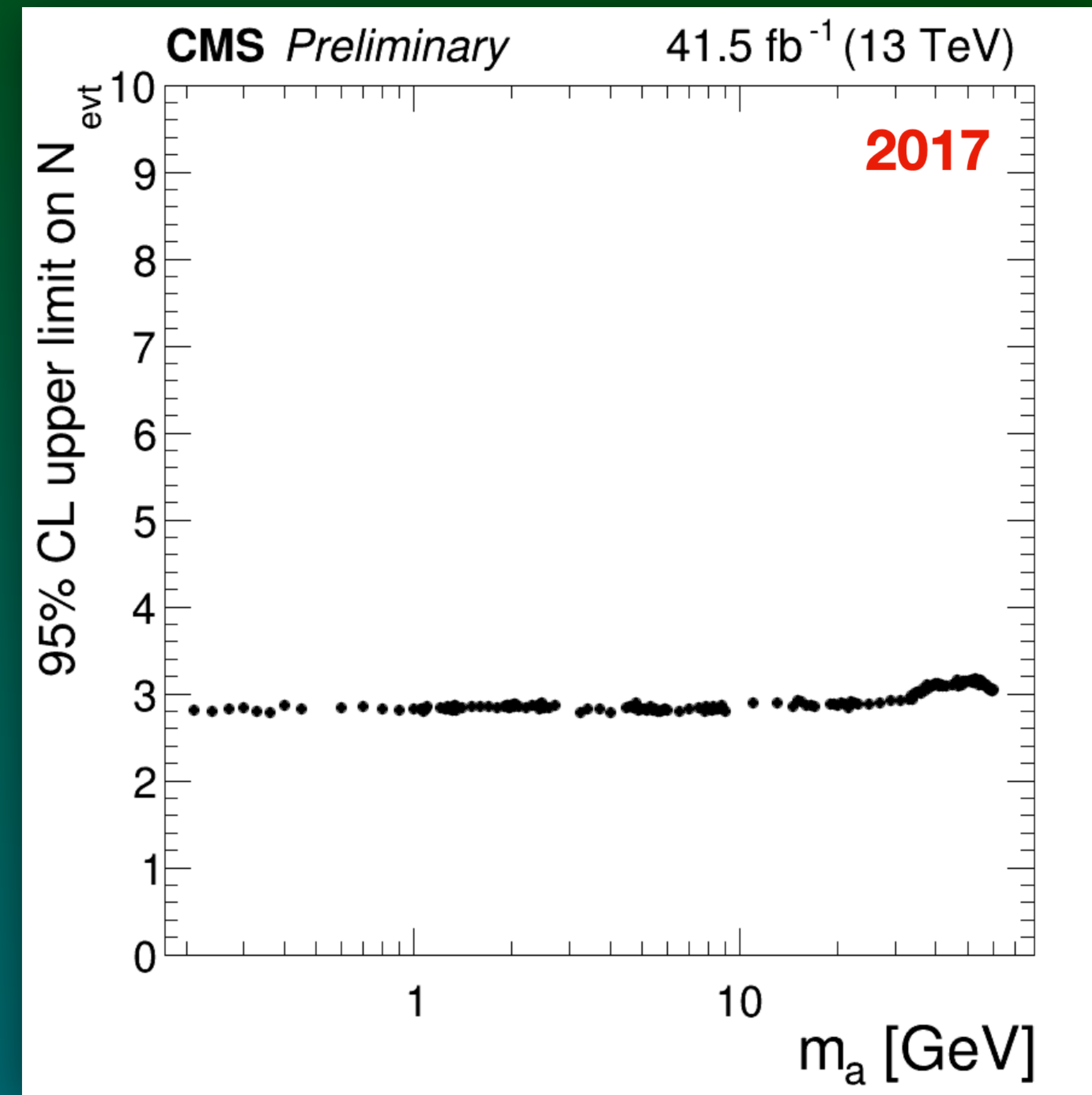
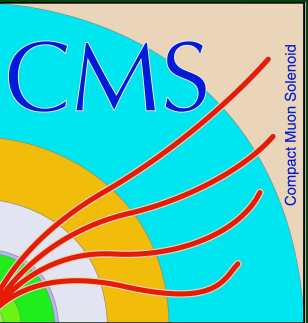


Figure37: Expected model independent 95% CL upper limit on the number of events

# Summary



- A model independent analysis for  $pp \rightarrow 2a \rightarrow 4\mu$  is represented
- A vector-portal model is introduced as a benchmark dark matter model:  $pp \rightarrow Z_D \rightarrow s_D \bar{s}_D \rightarrow 4\mu$
- Model independent upper limits on kinetic mixing parameter, cross-section branching ratio, and acceptance is set
- The 2018 data from CMS is analyzed
- We are adding 2017 data to the analysis to improve the background modeling



# Conferences and Awards

- Winter 2022: First place award for International ML4SCI Machine-Learning Hackathon.
- Summer 2021: DPF July Virtual Meeting.
- Spring 2020: APS April Virtual Meeting.
- Fall 2018: The 85th annual meeting of the APS Southeastern Section.
- Spring 2018: Outstanding student of the year award at Florida Institute of Technology.
- Winter 2018: Awarded the CMS Authorship.
- Fall 2017: IEEE Nuclear Science Symposium and Medical Imaging Conference (NSS/MIC).
- Spring 2017: APS April Meeting.
- Spring 2017: Florida Academy of Sciences- 81 st Annual Meeting: Has recognized as an Honorable Mention by the Physics and Space Sciences Section of the Academy.



# Publications



- Conferences

- "Vector-Portal Search for Dark Matter Particles", Aug 2020 (Snowmass LOI)
- "Low-mass GEM detector with radial zigzag readout strips for forward tracking at the EIC", Nov 2017 [Operational involvement]

- Papers

- "Quality Control of Mass-Produced GEM Detectors for the CMS GE1/1 Muon Upgrade", March 2022
- "Illuminating long-lived dark vector bosons via exotic Higgs decays at  $s\sqrt{=13\text{TeV}}$ ", Nov 2021 (last revised 27 Feb 2022)
- "Layout and Assembly Technique of the GEM Chambers for the Upgrade of the CMS First Muon Endcap Station", Dec 2018
- "Study of lifetimes and cross-sections of a dark vector boson with a final state of muons and dark fermions at  $\sqrt{s} = 13 \text{ TeV}$ " Sept 2021 (AN)
- "CMS Technical Design Report for the Phase-2 Upgrade of the CMS Muon Detectors," Sept 2017 (TDR)

- Currently active

- HIG-21-004: 2018 analysis
- AN-21-220: 2017 analysis

# References



- [1] E. Dudas, Y. Mambrini, S. Pokorski, and A. Romagnoni, “Invisible  $z'$  and dark matter,” *Journal of High Energy Physics*, vol. 2009, no. 08, p. 014, 2009
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# Backups



# The Experimental Apparatus

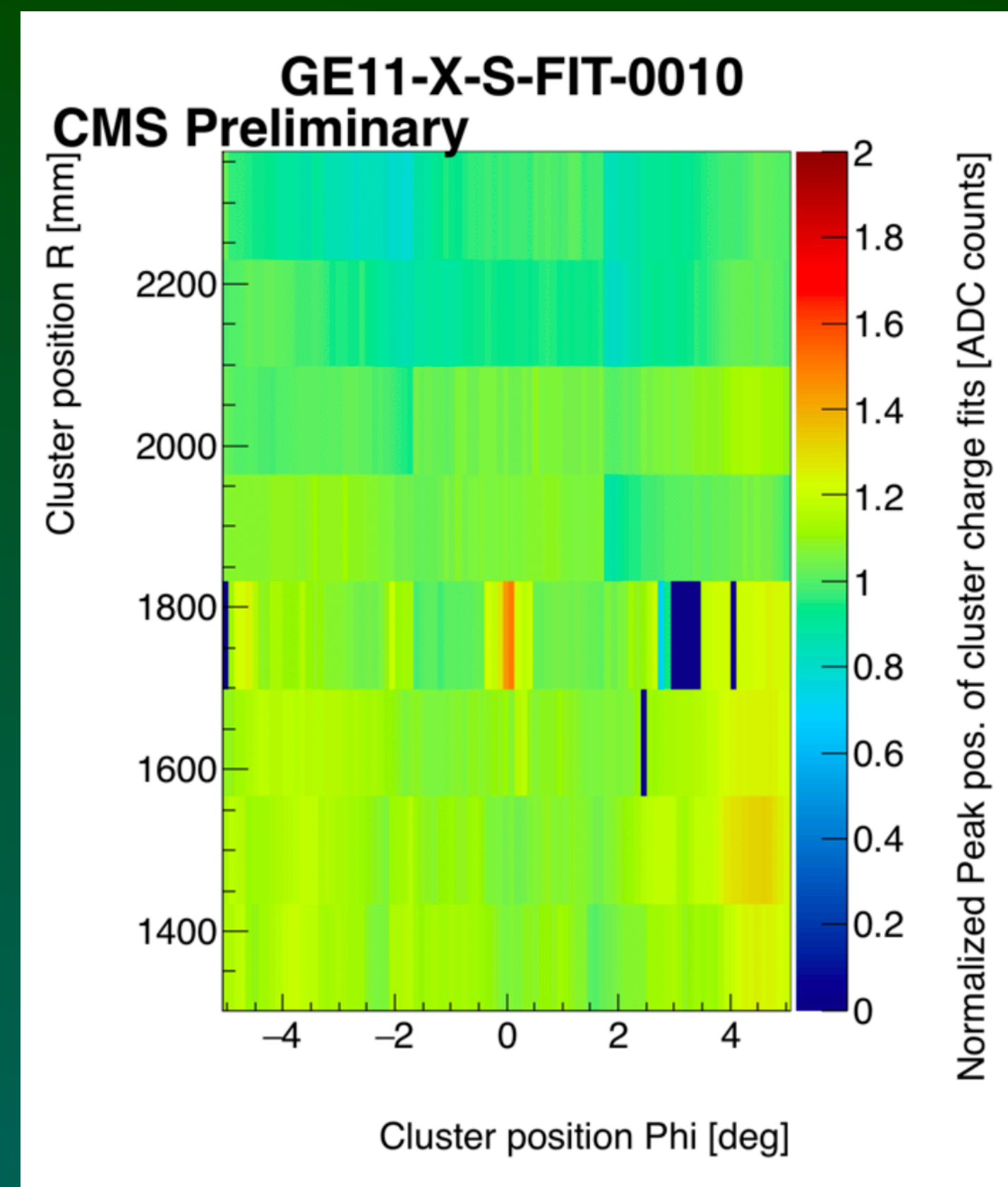
## Offline Muon Reconstruction

- Offline reconstruction reconstruction process starts after the data taking
- The offline muon reconstruction benefits from similar algorithms as online: PF and Kelman fitter at the HLT level
- CMS PF algorithm then accepts the reconstructed muons and applies selection
- Selection: such as isolation & Single/DoubleMuon trigger types apply to SA, tracker, or global muons.
- CMS reconstruction software provides fits and charge weighting to form segments
- Muon IDs include loose, medium, tight, soft, and high momentum muons
- **Loose muons** are used for **prompt analysis** at the primary vertex, which is the focus of this thesis.
- Tune-P algorithm chooses a final  $p_t$  measurement from several refits of the muon tracks based on statistical goodness-of-fit and relative  $p_t$  resolution.
- The fit that is used in my analysis is the **inner-tracker-fit**, where the  $p_t$  is determined solely based on tracker fit.

# GEMs: QC Step 5b

## Response Uniformity Measurement

- A GE1/1 readout board is divided into **768 regions** called **slices**
- Each **slice** containing **4 readout strips**.
- The **charge** collected from a **cluster of 4 readout strips** in a slice: **strip cluster charge**.
- The SRS system can produce an **ADC spectrum** for each slice or cluster.
- The prominent **peak** in an ADC spectrum for a cluster is the **X-ray fluorescence photopeak of Copper**.
- The fluorescence **photopeak** is located by fitting a **Cauchy distribution**
- The **photopeaks** of all cluster-strip charges are **histogrammed**, and a **Gaussian** is fitted to it.

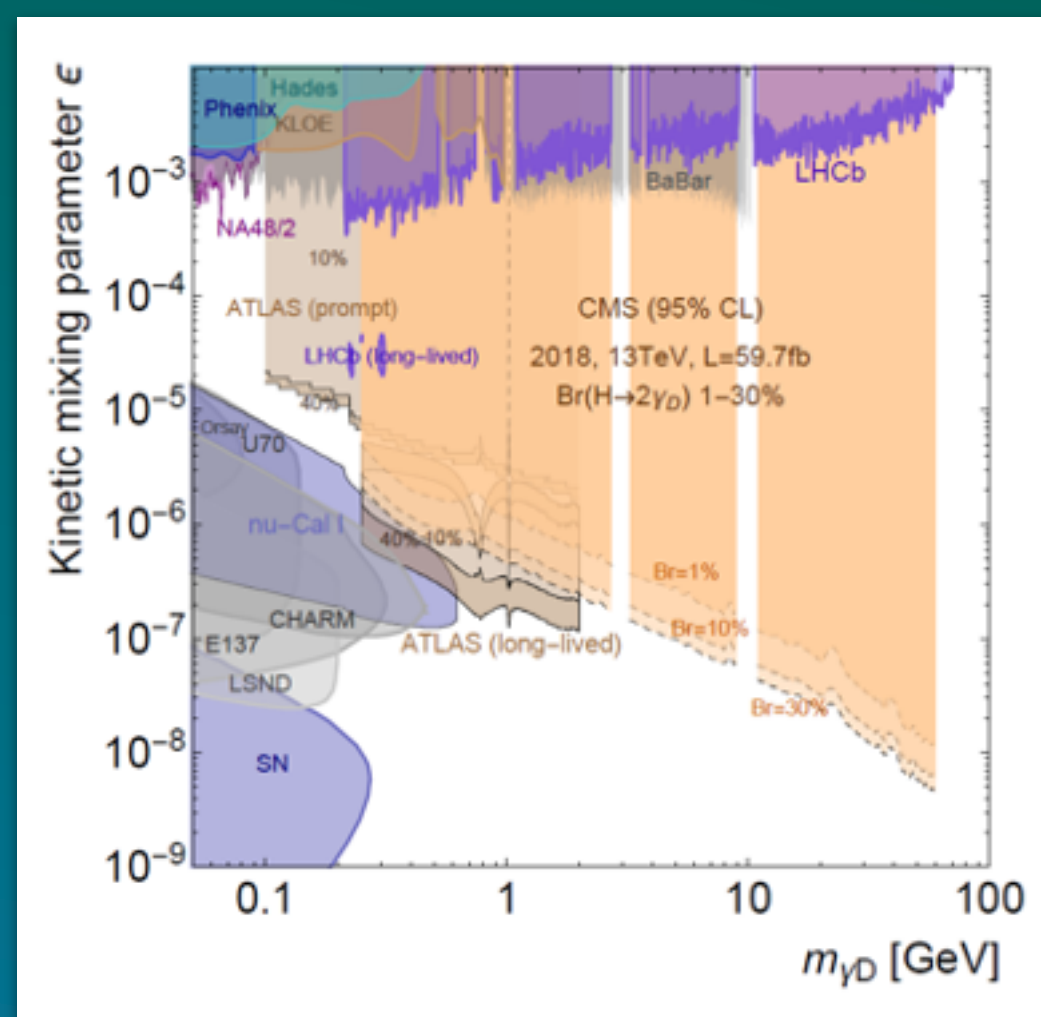
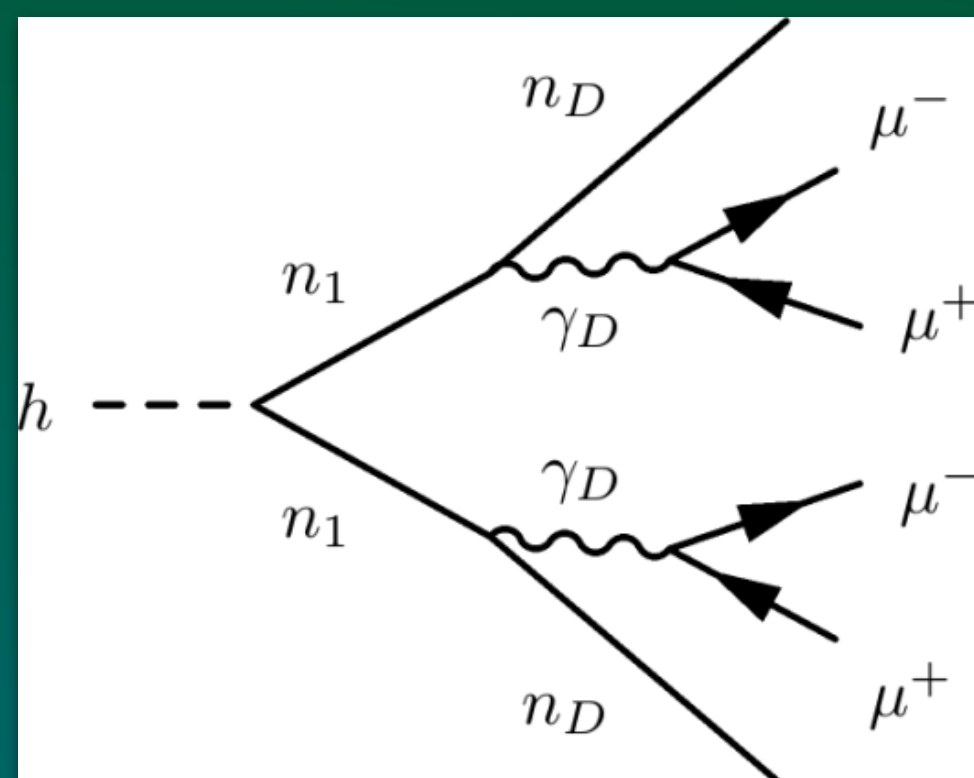


The relative gain variation across a FIT-assembled GE1/1 chamber is shown. The x-axis is plotted as the angular distance from the center of the chamber ( $i\phi$ ) while the y-axis is the radial distance from the beamline. The binning in the horizontal axis corresponds to four-strip slices, while the vertical binning corresponds to the eight  $i\eta$  sectors on the chamber. The color map is the normalized peak position of the cluster charges to the chamber average. The dark blue represents the strips with failed fits.

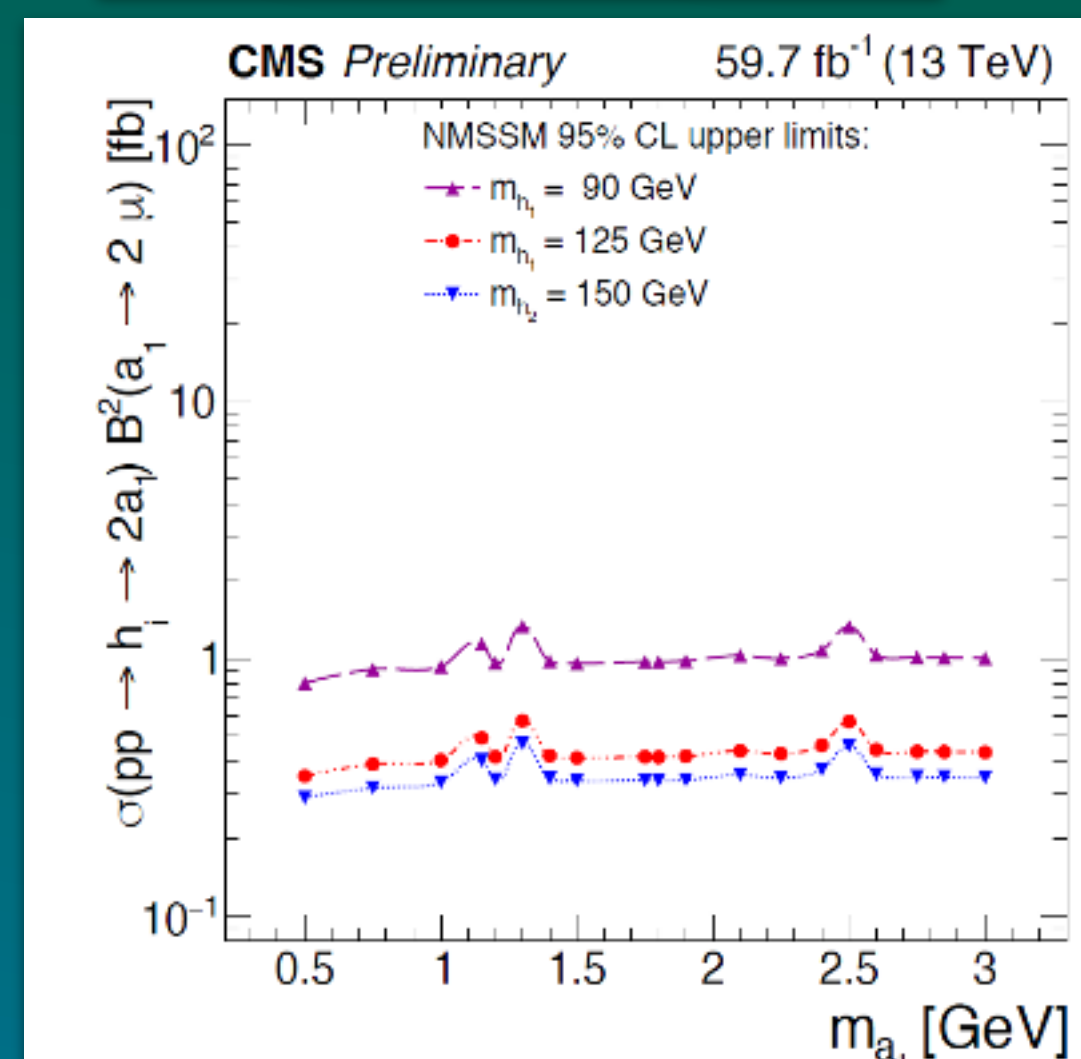
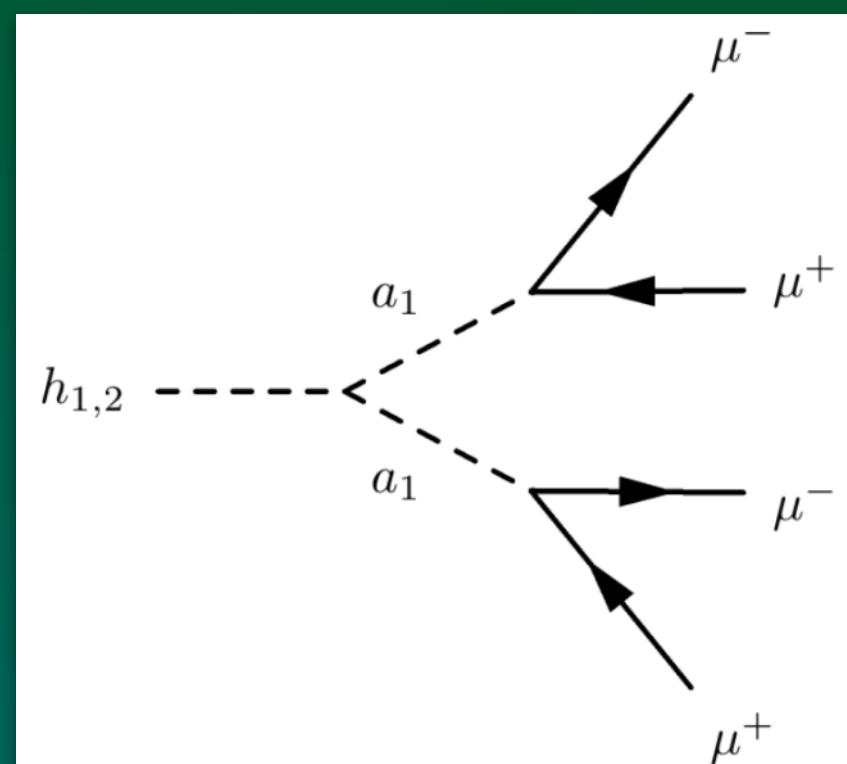
# Appendix A

## Benchmark Models

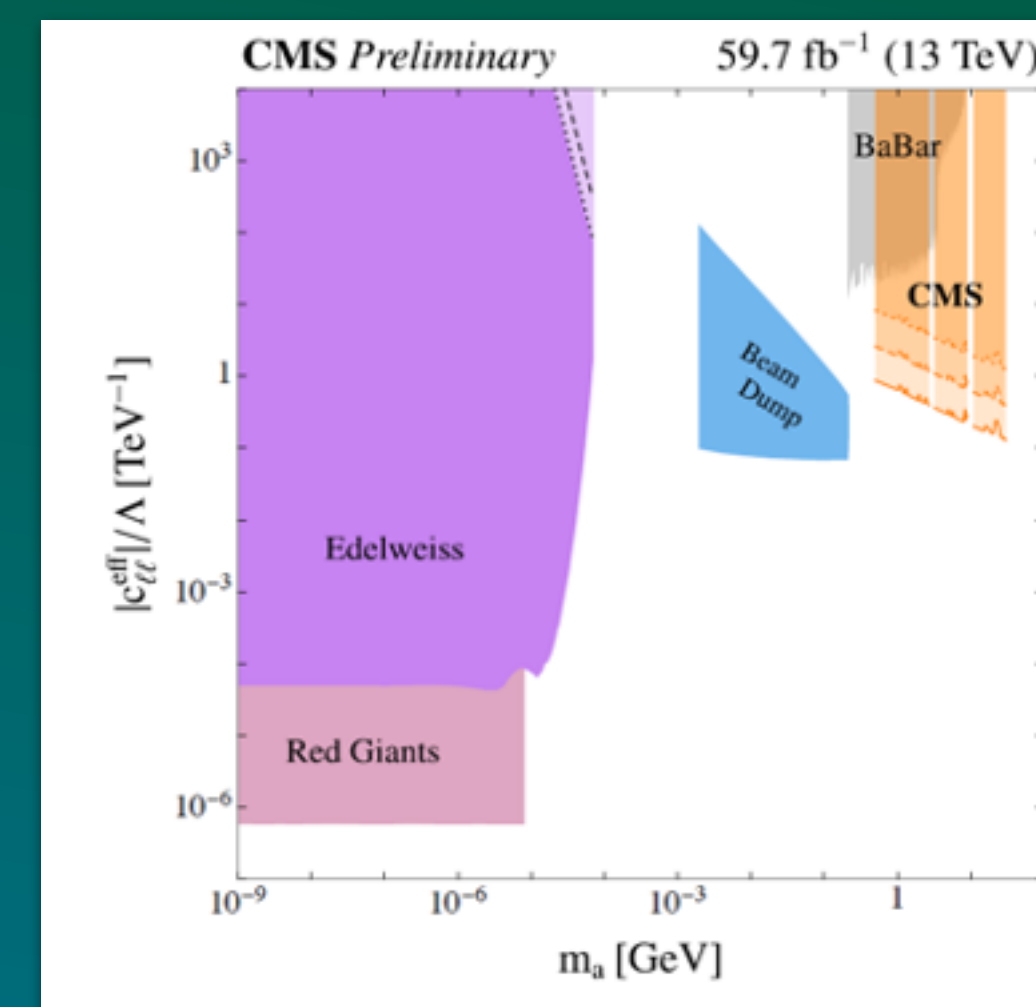
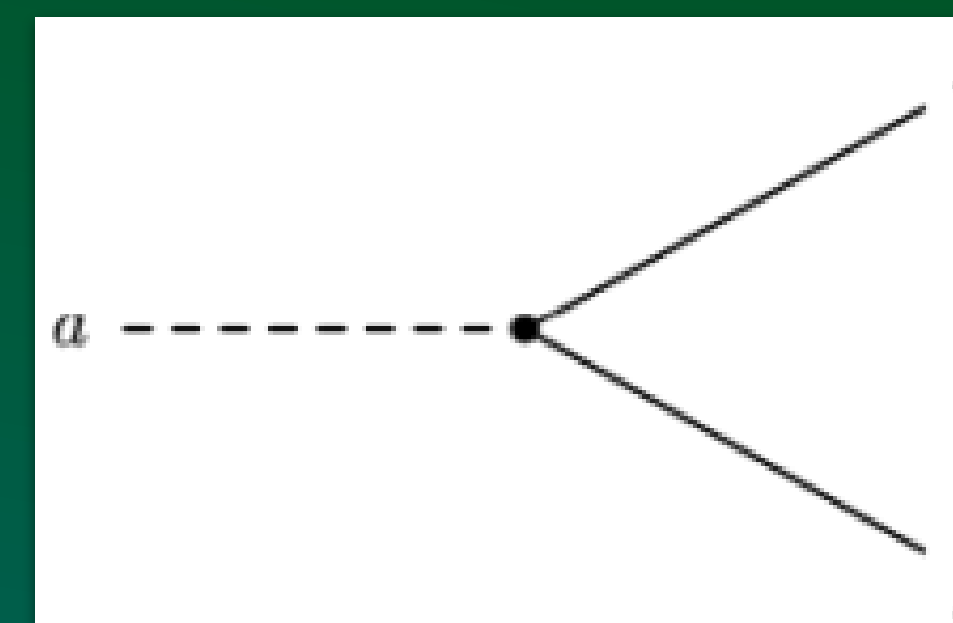
### Dark SUSY



### NMSSM



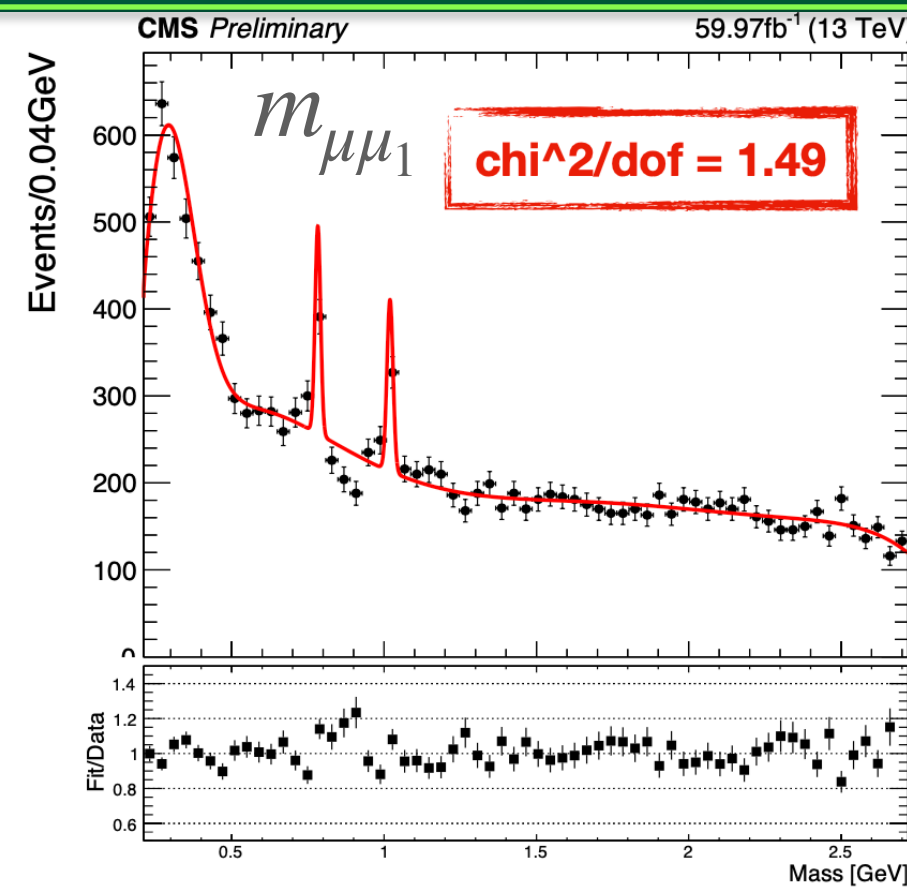
### ALP



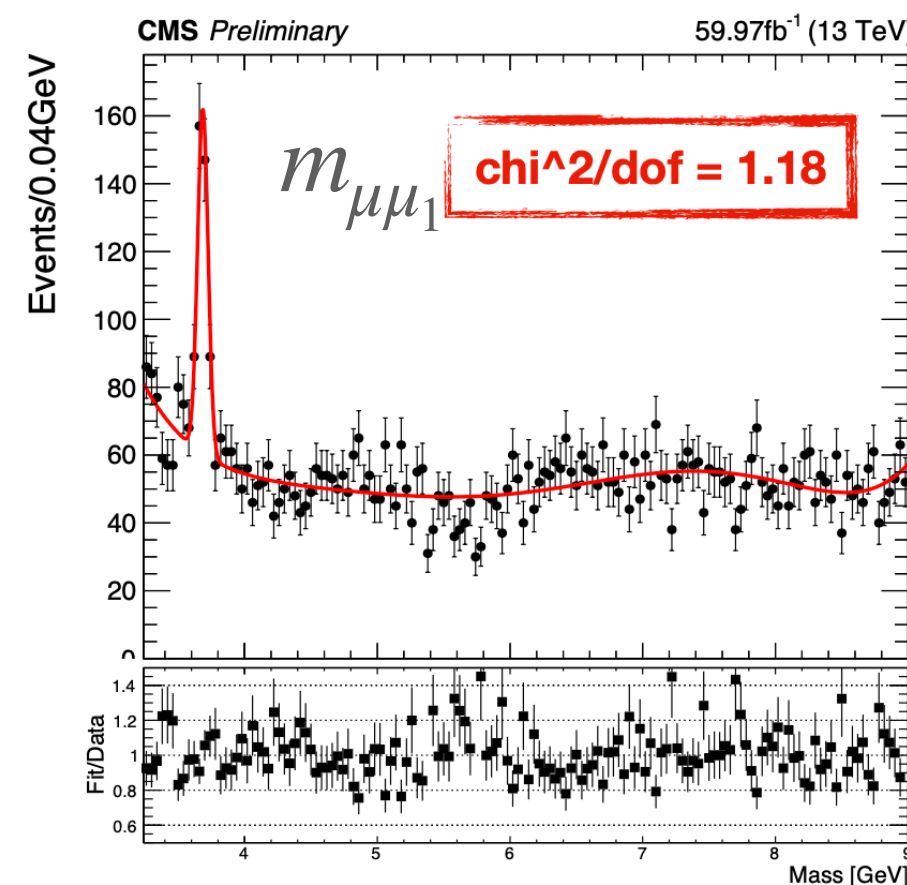
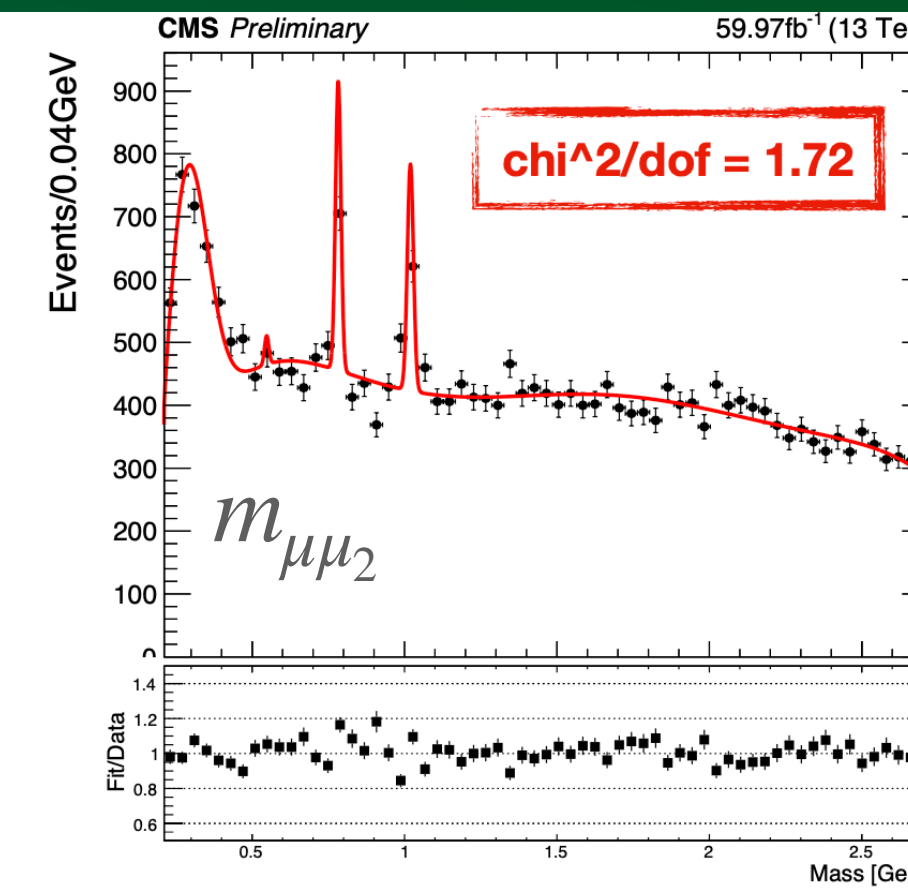
# Appendix B

## Below $\Upsilon$ Resonance 1D Mass Templates

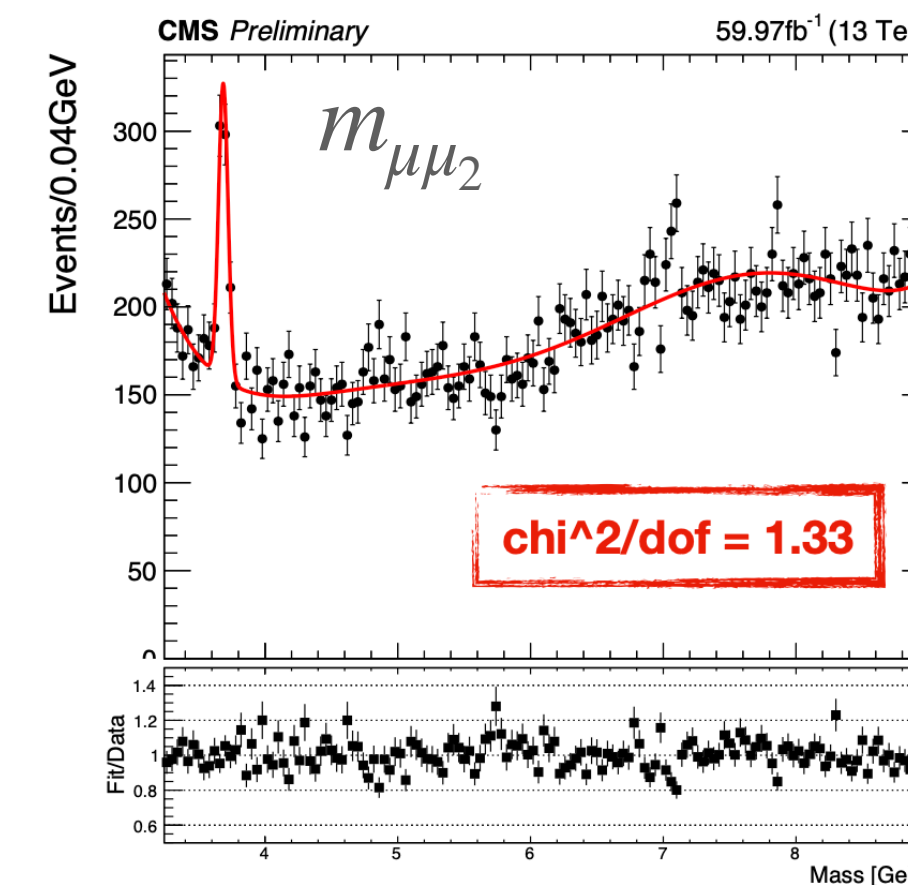
From pre-approval talk given by Wei Shi



← Below  $J/\psi$  →

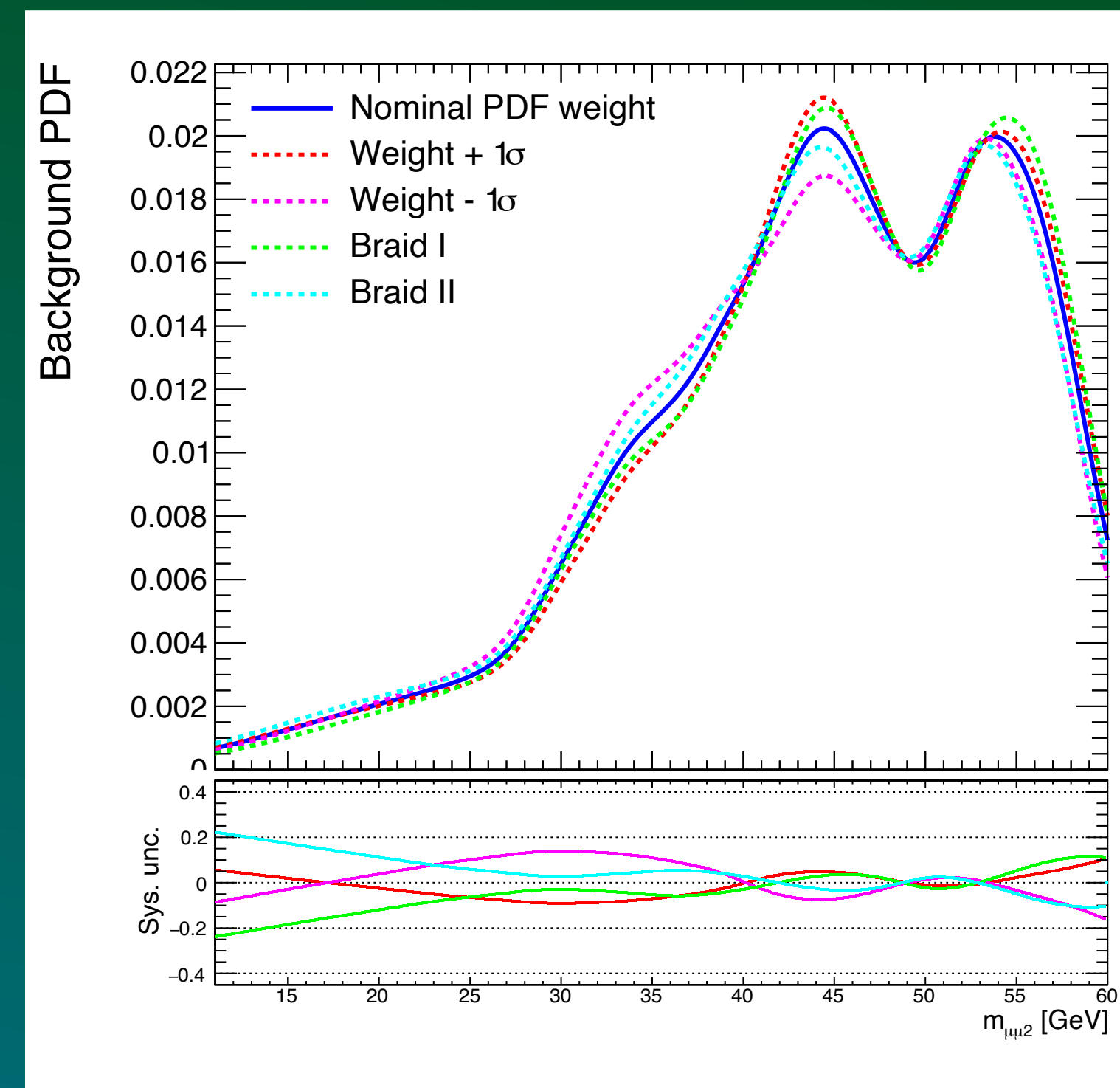
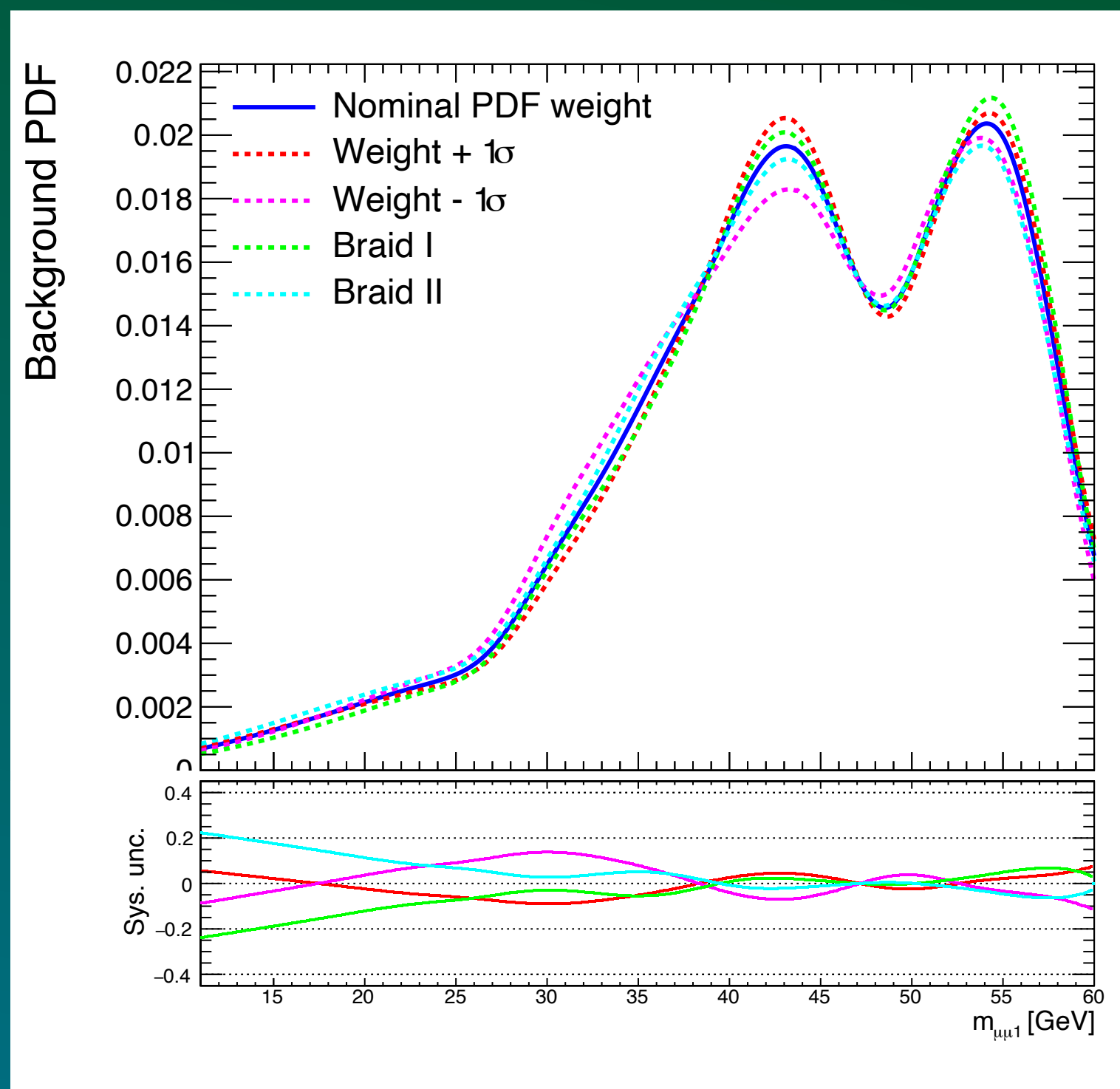


← Above  $J/\psi$  →



# Appendix C

## Kernel Density Estimation Above $\Upsilon$ Resonance





# Appendix D

## Triggers

- **HLT\_DoubleL2Mu23NoVtx\_2Cha**
  - Major contribution (70%-90%) to overall trigger efficiency, important for very boosted signals (low mass large cTau)
  - Only available for 2018
- **HLT\_Mu18\_Mu9\_SS, HLT\_TrkMu12, HLT\_TripleMu\_12\_10\_5**
  - Lower  $p_T$  improves trigger efficiency
- 2017 Analysis:
  - **HLT\_Mu23\_Mu12** replaced **HLT\_DoubleL2Mu23NoVtx\_2Cha**

2018

Trigger Paths

HLT\_DoubleL2Mu23NoVtx\_2Cha

HLT\_Mu18\_Mu9\_SameSign

HLT\_TrkMu12\_DoubleTrkMu5NoFiltersNoVtx,

HLT\_TripleMu\_12\_10\_5

2017

Trigger Paths

HLT\_Mu23\_Mu12

HLT\_Mu18\_Mu9\_SameSign

HLT\_TrkMu12\_DoubleTrkMu5NoFiltersNoVtx

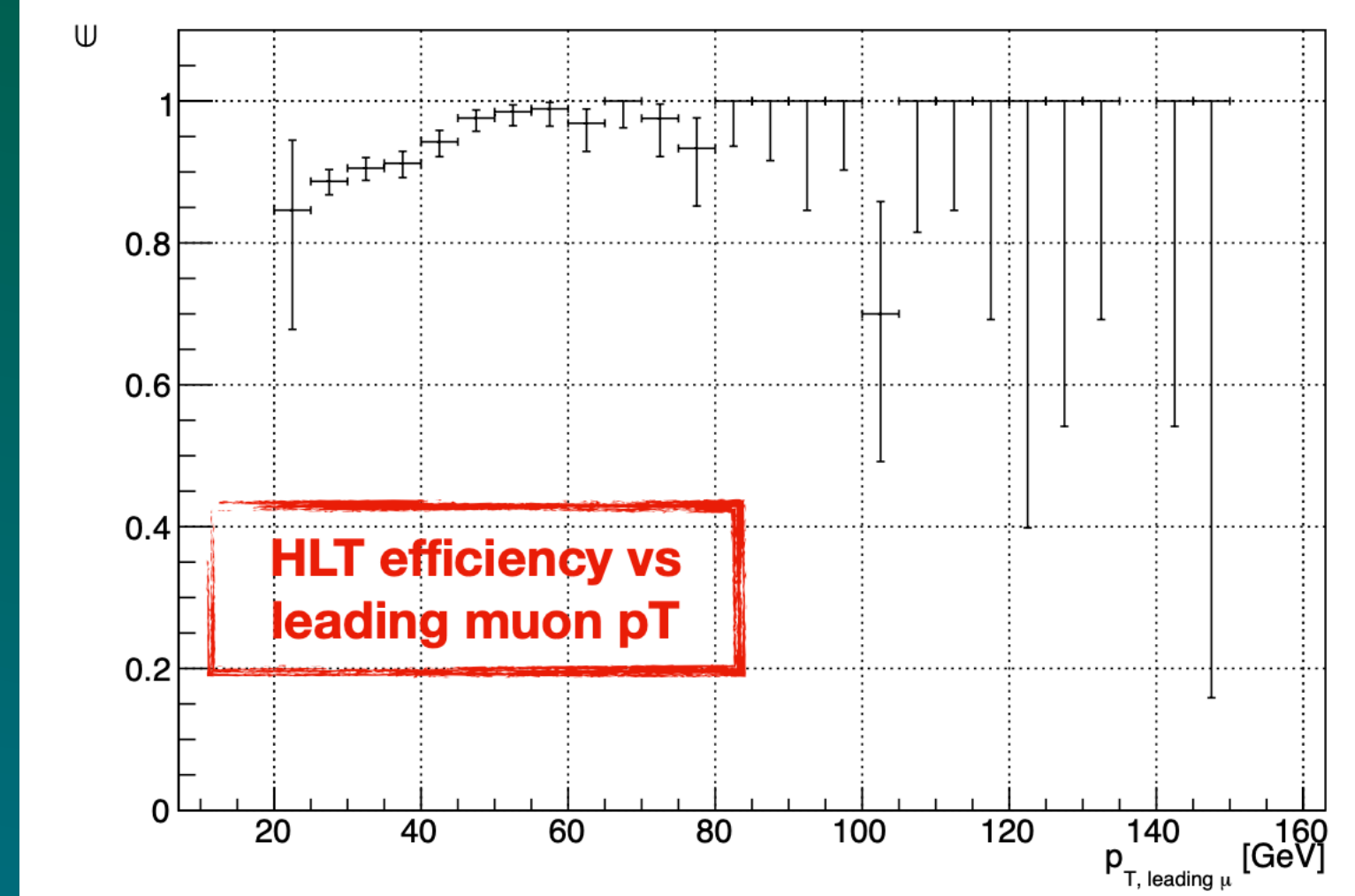
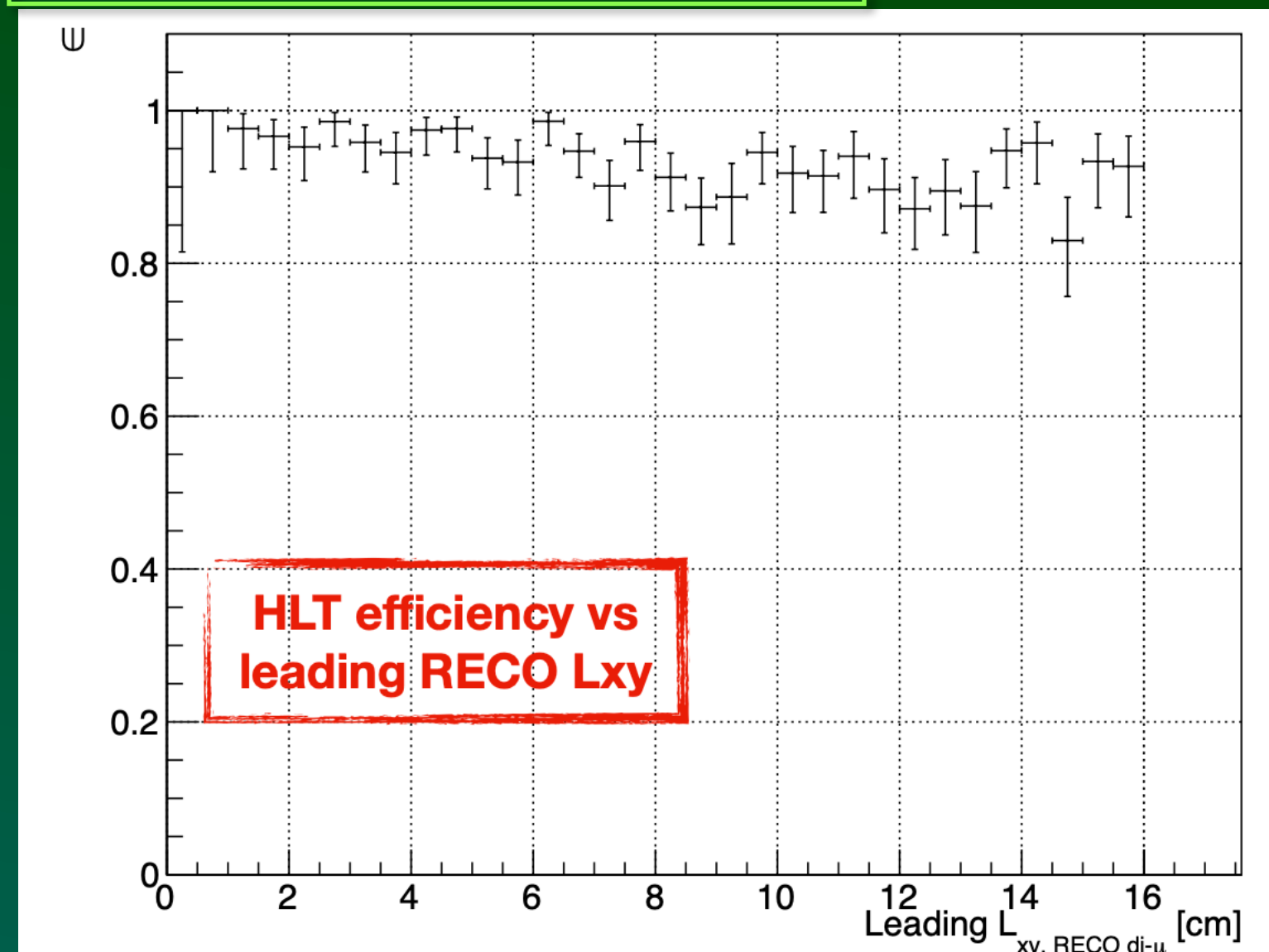
HLT\_TripleMu\_12\_10\_5

# Appendix D

## Triggers

- HLT\_DoubleL2Mu23NoVtx\_2Cha
  - Major contribution (70%-90%) to overall trigger efficiency, important for very boosted signals (low mass large cTau)
  - Only available for 2018
- HLT\_Mu18\_Mu9\_SS, HLT\_TrkMu12, HLT\_TripleMu\_12\_10\_5
  - Lower  $p_T$  improves trigger efficiency
- 2017 Analysis:
  - HLT\_Mu23\_Mu12 replaced HLT\_DoubleL2Mu23NoVtx\_2Cha

From pre-approval talk given by Wei Shi



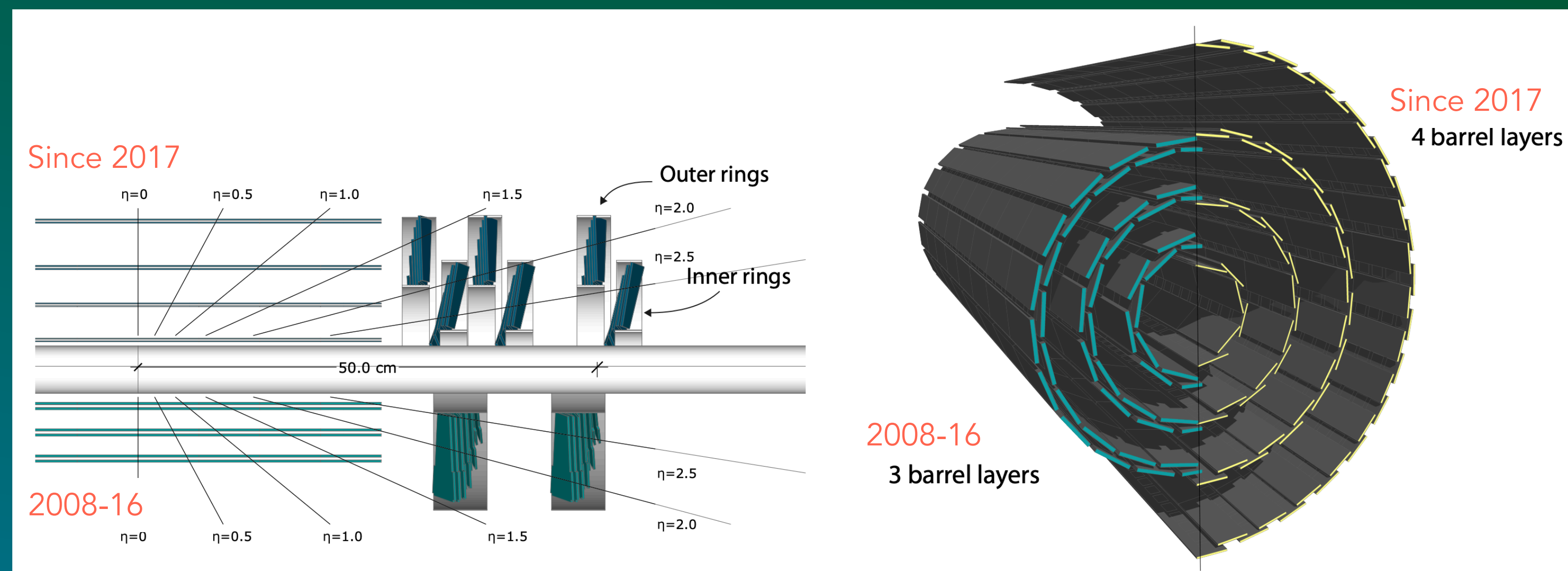
# Appendix E

## Pixel Hit

- Pixel detector went through and upgrade in 2016
- We require a valid pixel hit in phase-1 detector for at least one muon of each pair
- 4 barrel layers  $L_{xy}$  up 16 cm, and 3 forward layers  $|L_z|$  up to 51.6 cm

**Left:** comparative layout of the pixel detector between the layers and disks, before and after the upgrade of pixel detectors.

**Right:** Transverse-oblique view comparing the pixel barrel layers in the upgraded detector versus pre-upgrade



# Appendix E

## Dimuon Vertex

- dimuon vertex fit probability from KalmanVertexFitter

$$P_{\mu\mu} > P(L_{xy}, f\sqrt{\Delta R}, N_{SA-\mu})$$

$$P(L_{xy}, f\sqrt{\Delta R}, N_{SA-\mu}) = P_0 \times (1 - N_{SA-\mu}) \times \exp\left[-\left(\frac{L_{xy}}{R_0}\right)^2 \times f(\sqrt{\Delta R})\right]$$

$$f(\Delta R) = p_0 + p_1 \times \sqrt{\Delta R} + p_2 \times (\Delta R)^2 + p_3 \times (\Delta R)^3 + p_4 \times (\Delta R)^4$$

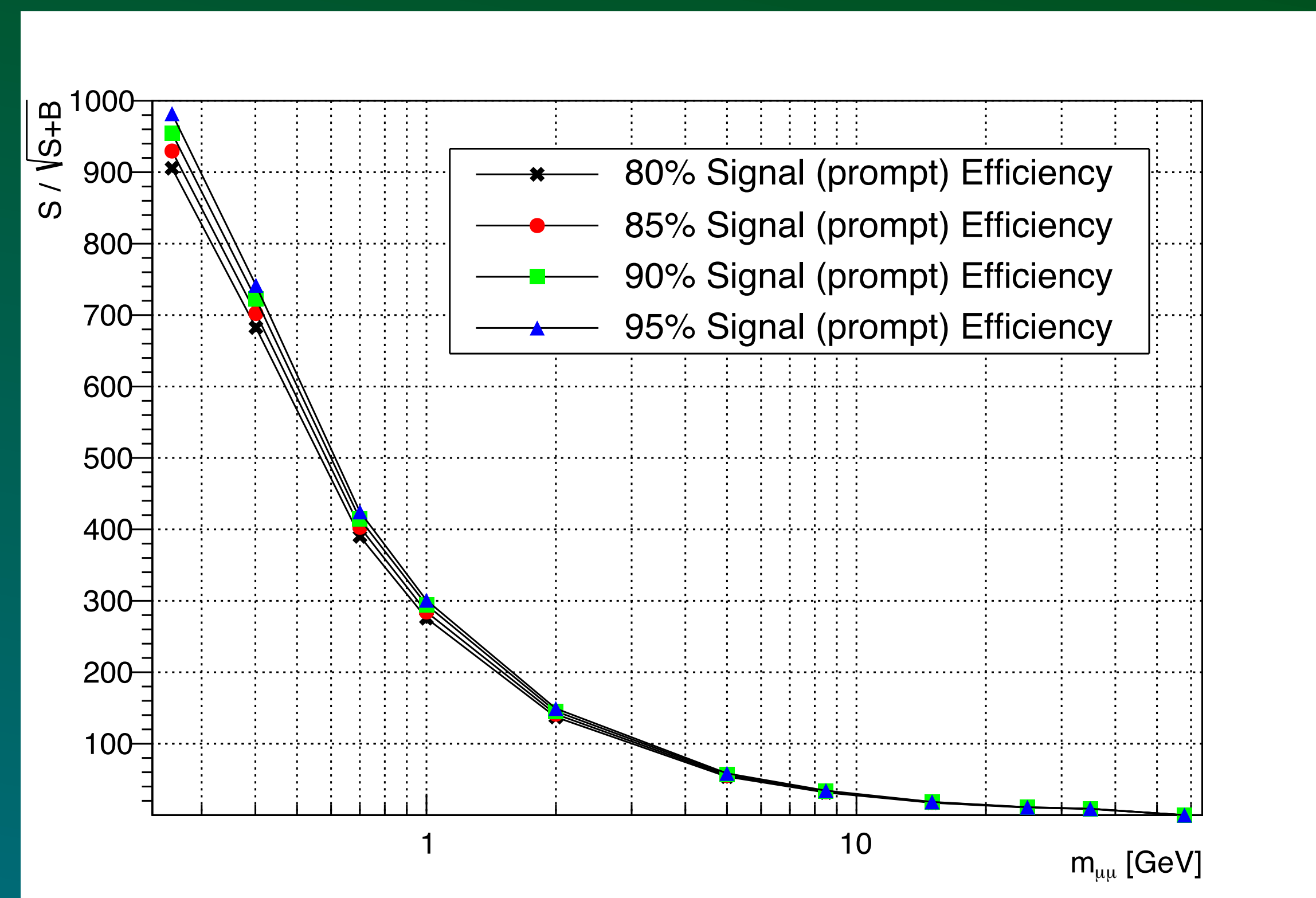
$$p_0 = 0.2, R_0 = 10cm, p_0 = 8.54, p_1 = -50.46, p_2 = 109.83, p_3 = -92.74, p_4 = 36.84$$

# Appendix E

## Mass window

- Choose desired efficiency: calculate the signal significance ( $s/\sqrt{S+B}$ )
- Significance drops at higher masses
- We chose 90% signal efficiency
- Window size is determined based on desired 90% efficiency

$$f\left(\frac{m_1 + m_2}{2}\right)$$



# Appendix F

## HLT Scale Factor 2018

- Using orthogonal triggers on SingleMuon control dataset and MC simulated events.
- The efficiency of the signal triggers is determined on events passing a set of selection criteria optimized to select WZTo3LNu and ZZTo4l events.
- This is done both on the data and on the MC simulated events. Then the signal HLT efficiency is calculated on the surviving events.
- The cut-flow table of this process is shown on the right.
- The efficiency of the signal HLT on both MC samples is  $\sim 0.99$ , while the efficiency of data is 0.986.
- This results in a trigger scale factor of  $SF = 0.986/0.99 = 99.6\% \pm 0.6\%$  (stat.)

Selection	WZTo3LNu	ZZTo4Mu	Data
Pre-selection (if applicable)	301245.23	70517.53	18051620
Passes at least one orthogonal trigger	118895.45	22794.27	18014171
Exactly three muons	22819.88	4019.38	3405670
$ \eta_i  < 2.4$	22819.88	4019.38	3405670
$p_{T,1} > 20 \text{ GeV}, p_{T,2} > 20 \text{ GeV}, p_{T,3} > 10 \text{ GeV}$	1007.26	116.17	373507
Two muons with opposite charge	999.81	115.70	337040
$ m_{\mu\mu} - m_Z  < 10 \text{ GeV}$	835.89	73.05	222817
Medium muon ID	748.68	56.47	12627
$ d_{xy,i}  < 0.005 \text{ cm}$	706.08	48.94	5269
$ d_{z,i}  < 0.01 \text{ cm}$	603.32	39.64	3059
$RelIso_i < 0.1$	406.95	25.71	437
Passes at least one signal trigger	402.72	25.42	431

# Appendix F

## HLT Scale Factor 2017

- For 2017 we separate the run eras and emulate the triggers

- The cross-section weighted total MC is calculated

- For each run:

- $$Total\ MC_{eff} = \frac{\sigma_{WZ} \times WZ_{\#events} + \sigma_{ZZ} \times ZZ_{\#events}}{\sigma_{WZ} + \sigma_{ZZ}}$$

- $$SF = \frac{data_{eff}}{total\ MC_{eff}}$$

- The lumi weighted total SF:

- $$Total\ SF = \frac{(4.79 \times 0.908) + (23.19 \times 0.996) + (13.53 \times 0.956)}{41.5}$$

- That results in an overall **SF = 0.972**

	Lumi fb <sup>-1</sup>	WZ eff	ZZ eff	Total MC eff	Data eff	SF
Run B	4.79	0.902	0.912	0.904	0.821	0.908
Run C-E	23.19	0.95	0.96	0.955	0.95	0.994
Run F	13.53	0.996	0.995	0.996	0.953	0.956

# Appendix G

## Brazilian Plot - Post Fit Observed Limits -2018

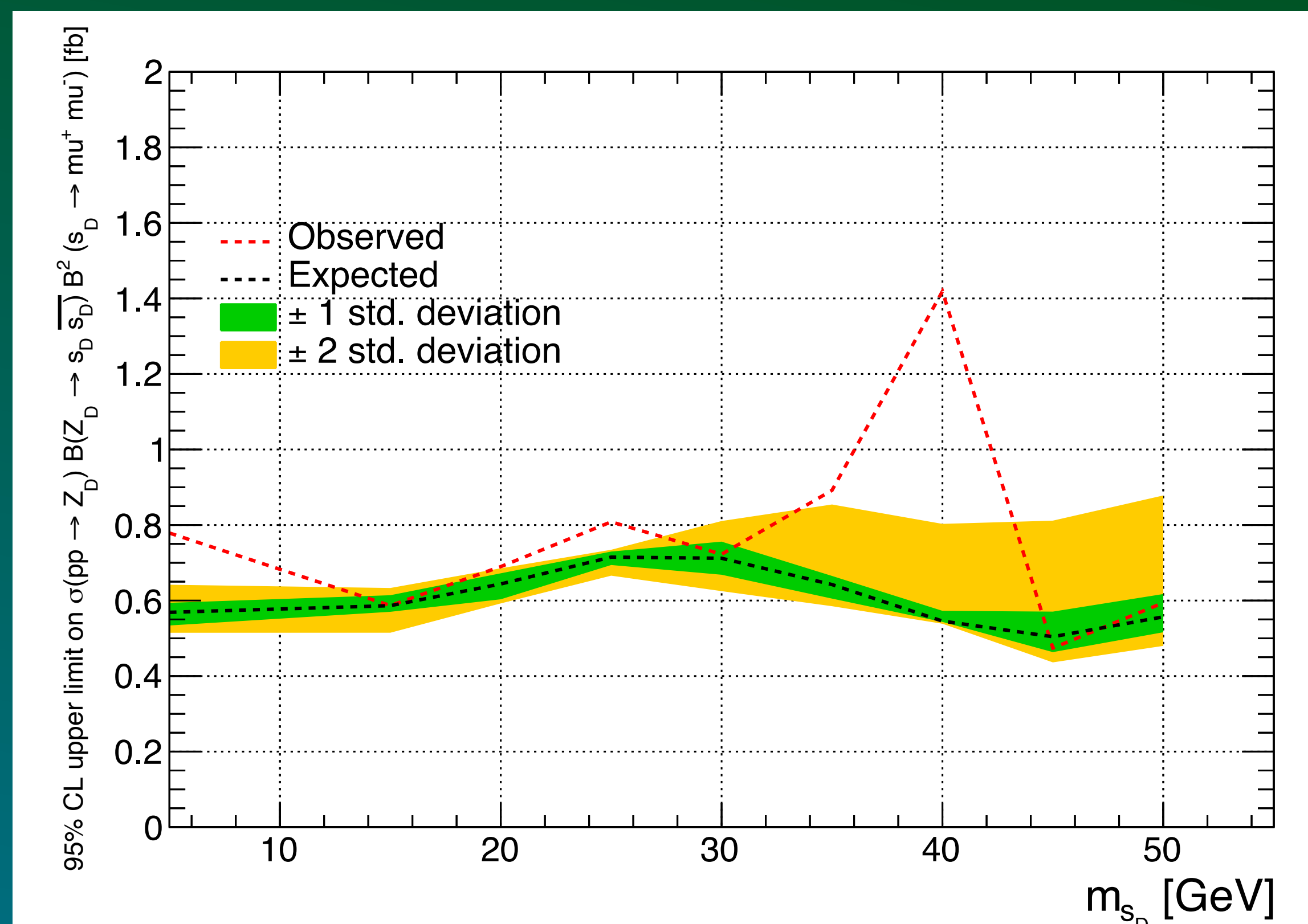


Figure20: Brazilian bands for  $m_{Z_D} = 100$  GeV. Expected limits after unblinding



# Appendix G

## Brazilian Plot - Post Fit Observed Limits -2018

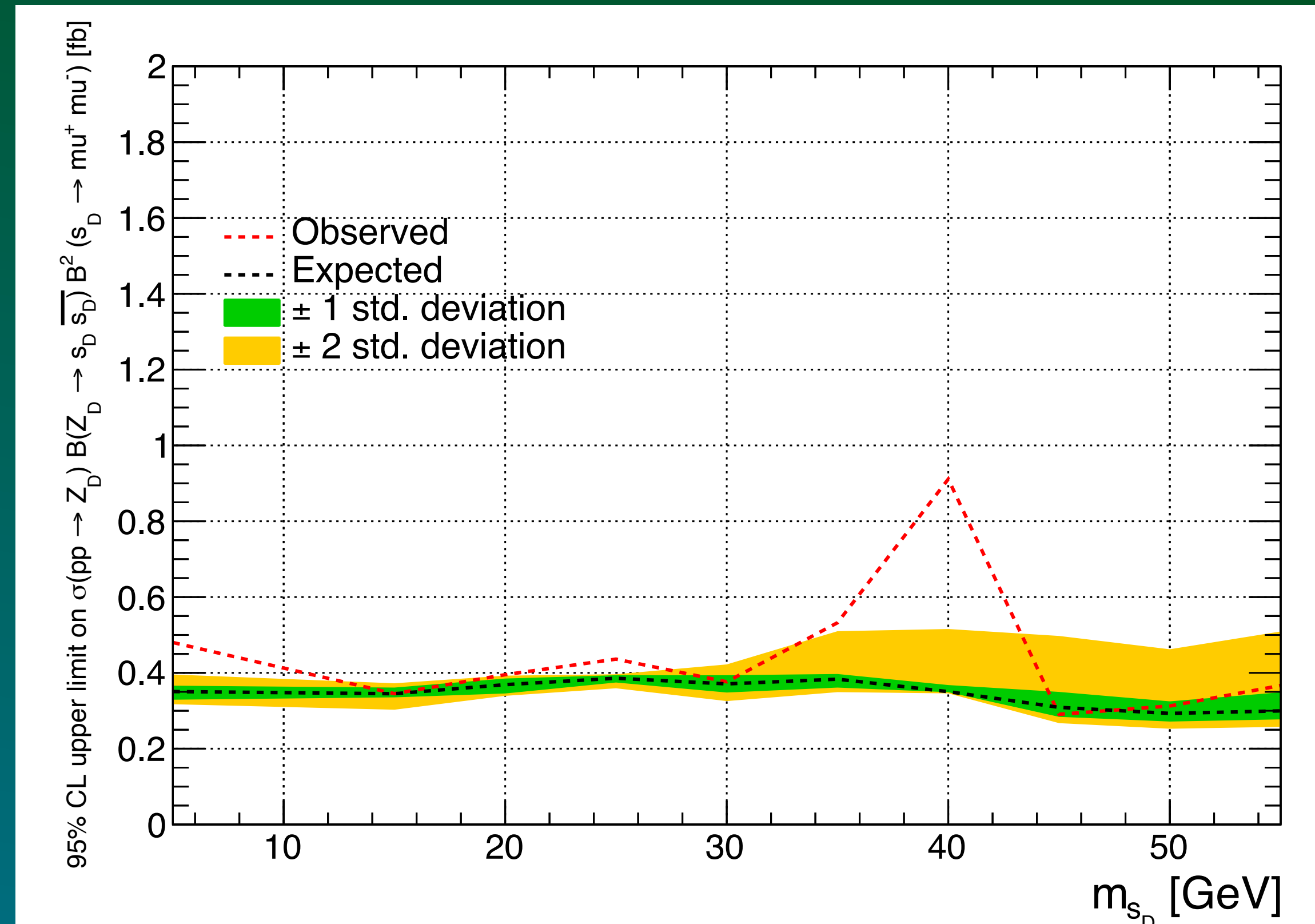


Figure22: Brazilian bands for  $m_{Z_D} = 125$  GeV. Expected limits after unblinding

# Appendix G

## Brazilian Plot - Post Fit Observed Limits -2018

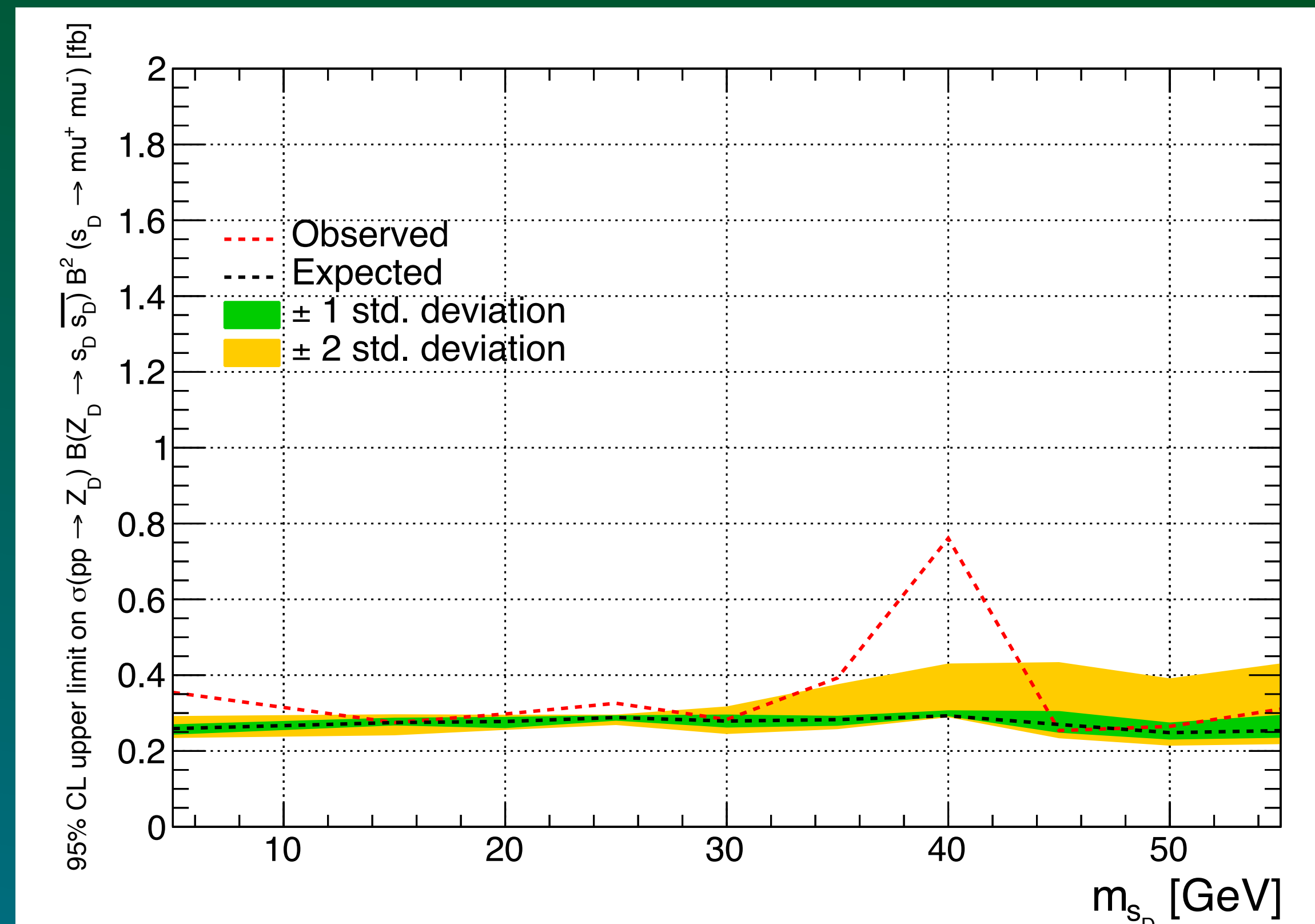


Figure26: Brazilian bands for  $m_{Z_D} = 150$  GeV. Expected limits after unblinding

# Appendix G

## Brazilian Plot - Post Fit Observed Limits -2018

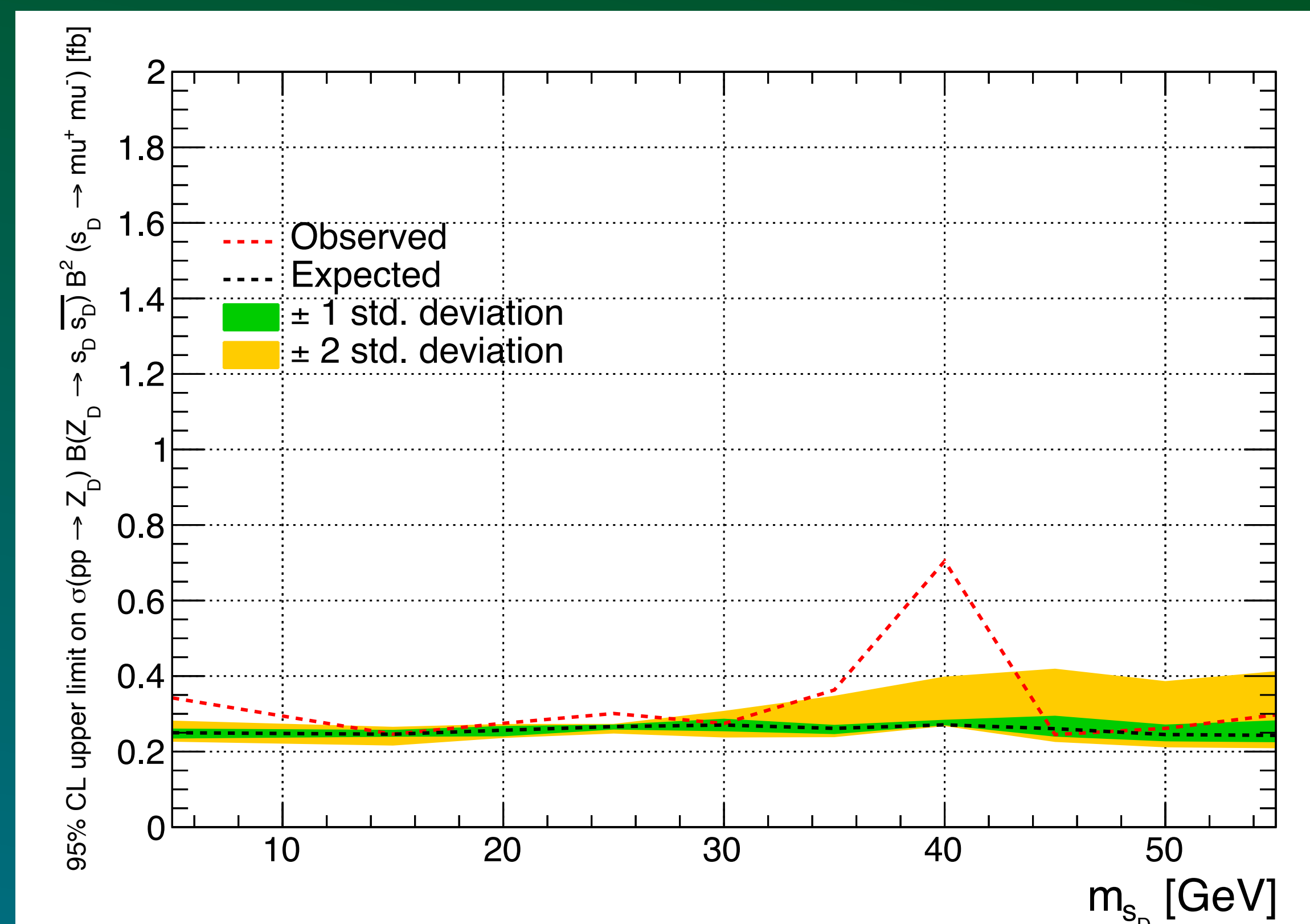


Figure27: Brazilian bands for  $m_{Z_D} = 160$  GeV. Expected limits after unblinding

# Appendix G

## Brazilian Plot - Post Fit Observed Limits -2018

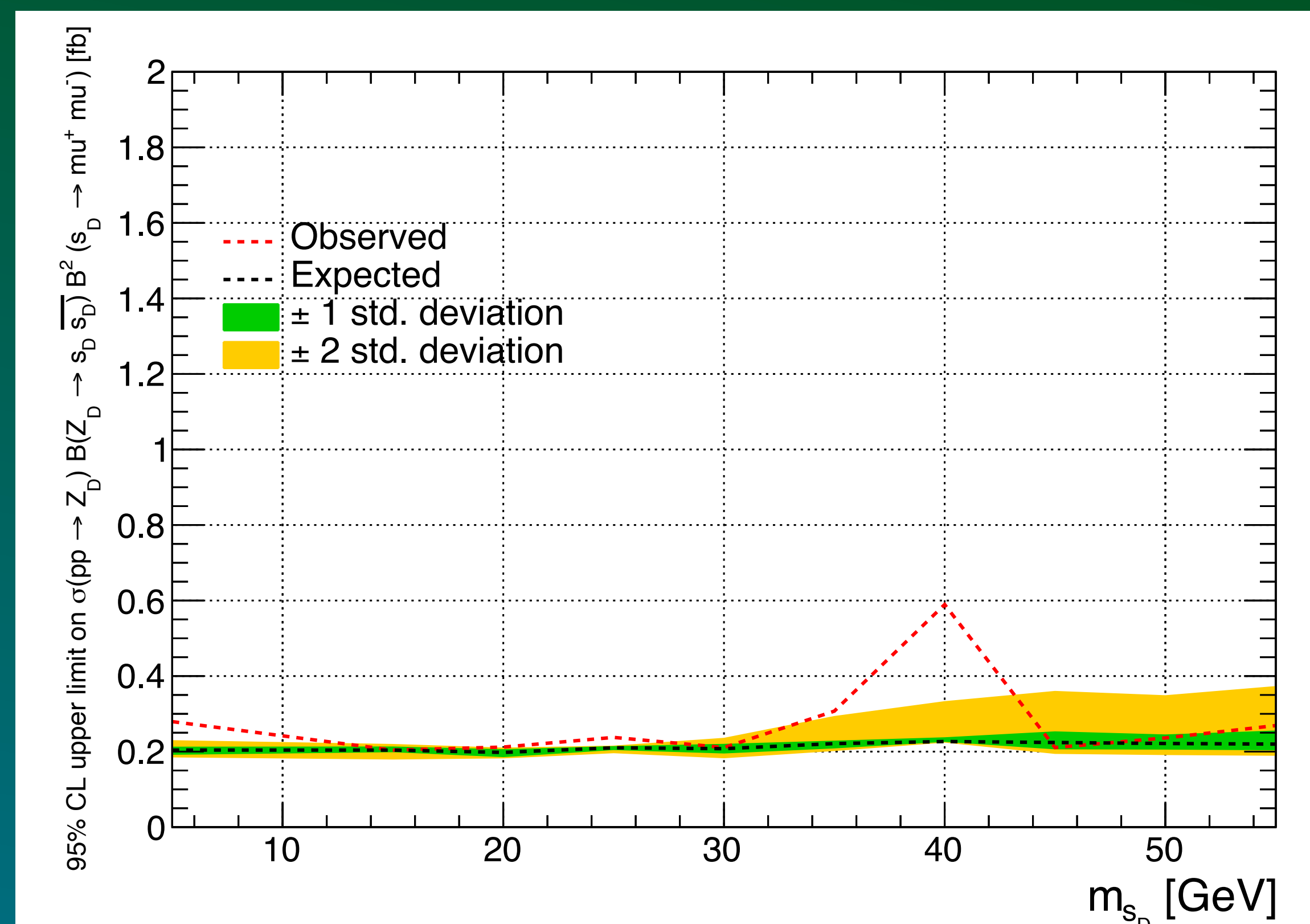


Figure31: Brazilian bands for  $m_{Z_D} = 200$  GeV. Expected limits after unblinding